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## 2D indoor localization system with an UWB multistatic radar

Nour Awarkeh

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# 2D Indoor Localization System with an UWB Multistatic Radar

Thèse de doctorat de l'Université Paris-Saclay  
préparée à Télécom ParisTech

École doctorale n° 580 "Sciences et Technologies de  
l'Information et de la Communication" (STIC)  
Spécialité de doctorat: Réseaux, Information et  
Communications

Thèse présentée et soutenue à Paris, le 30 Octobre 2019, par

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# Abstract

Nowadays, the ability to track objects and people is crucial for a huge number of applications, such as medical applications (monitoring of patients) or independent applications that require a very high accuracy and resolution in the positioning process.

Therefore, the main scientific objective of this thesis is to develop a tracking system using an Ultra Wide Band (UWB) multistatic radar system to provide real-time 2D location of transponders or active tags. The localization is carried out in polar coordinates (distance and azimuth angle) by merging the interferometry and goniometry principles, assuming a propagation channel with a direct path, or Line of Sight (LoS) between the station and the target. The designed Indoor Localization System (ILS) incorporates a hybrid technique by combining the duplex UWB and the Phase Correlation methods for the radial-distance and the azimuth angle estimates.

The proposed ILS consists of two main components, a transmitter /receiver (transceiver) station serving as a Localization Base Station (LBS) and an Active Tag (AT). The LBS has one transmitting channel and two identical and independent receiving channels. The localization is performed by sending UWB pulses towards the AT which acts as an active transponder and retransmits in turn the received signal back to the LBS upon delaying it.

This designed ILS is expected to offer, under LoS conditions, a position estimation with high accuracy and resolution while maintaining low system complexity. The system works with a single anchor, and simultaneously addresses indoor challenges such as multipaths, strong signal attenuations, reflections, etc.

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# List of Acronyms and Abbreviations

**ADC** Analog-to-Digital Converter

**AP** Access Point

**API** Application Program Interface

**AoA** Angle of Arrival

**AR** Axial Ratio

**AT** Active Tag

**BLE** Bluetooth Low Energy

**BP** Break-Point

**BPF** Band-Pass Filter

**CDMA** Code Division Multiple Access

**CIR** Channel Impulse Response

**CMOS** Complementary Metal Oxide Semiconductor

**CPU** Central Processing Unit

**CRLB** Cramer-Rao lower bound

**CSS** Chirp Spread Spectrum

**CST** Computer Simulation Technology

**CW** Continuous Wave

**DC** Direct Current

**DFP** Davidon Fletcher-Powell

**DIP** Dual In-Line Package

**DME** Distance Measuring Equipment

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**DoA** Direction of Arrival

**DoP** Dilution of Precision

**ECC** Electronic Communications Committee

**ED** Energy Detection

**EIRP** Effective Isotropic Radiated Power

**FCC** Federal Communications Commission

**FH** Frequency Hopping

**FMCW** Frequency Modulated Continuous Wave

**GPR** Ground Penetration Radar

**GPS** Global Positioning System

**ID** Identification

**IL** Insertion Loss

**ILS** Indoor Localization System

**IP** Internet Protocol

**IPS** Indoor Positioning System

**IR** Infrared

**IR-UWB** Impulse Radio - UWB

**ISM** Industrial, Scientific and Medical

**LAN** Local Area Network

**LBM** Location-Based Marketing

**LBS** Localization Base Station

**LEDs** Light Emitting Diodes

**LHCP** Left Hand Circular Polarization

**LNA** Low Noise Amplifier

**LO** Local Oscillator

**LPR** Local Position Radar

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**LoS** Line of Sight

**MES** Maximum Energy Selection

**MES-SB** Maximum Energy Selection with Search-Back

**MESS** Maximum Energy Sum Selection

**MF** Matching Filtering

**ML** Maximum Likelihood

**MM** Method of Moments

**MU** Mobile User

**NFA** Near Field Approximation

**NIC** Network Interface Card

**NLoS** Non Line of Sight

**PC** Phase Correlation

**PCB** Printed Circuit Board

**PCs** Personal Computers

**PDA**s Personal Digital Assistants

**PDF** Probability Density Function

**PDP** Power Delay Profile

**PHY** Physical

**PSDs** Power Spectral Densities

**PWC** Plane Wave Condition

**RF** Radio Frequency

**RFID** Radio Frequency Identification

**RHCP** Right Hand Circular Polarization

**RL** Return Loss

**RMSE** Root Mean Square Error

**RSS** Received Signal Strength

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**RToF** Round Time of Flight

**SDK** Software Development Kit

**SMA** SubMiniature version A

**SNR** Signal-to-Noise Ratio

**SR** Stored-Reference

**SRD** Step Recovery Diode

**SV** Saleh-Valenzuela

**TC** Threshold Comparison

**TDC** Time to Digital Converter

**TDoA** Time Difference of Arrival

**TDSC** Time Delayed Sampling and Correlation

**TH** Time Hopping

**ToA** Time of Arrival

**ToF** Time of Flight

**TR** Transmitted-Reference

**TR-UWB** Transmitted Reference UWB

**TWR** Two-Way Ranging

**U.S.** United States

**USB** Universal Serial Bus

**UWB** Ultra Wide Band

**VAT** Value-Added Tax

**VCO** Voltage-Controlled Oscillator

**VNA** Vector Network Analyzer

**WiFi** Wireless Fidelity

**WLAN** Wireless Local Area Network

**WPANs** Wireless Personal Networks

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# Introduction

Indoor positioning is defined as the process of locating people or objects within a closed infrastructure, such as an airport, hospital or any other type of building. The applications and services offered by indoor localization are diverse and their number keeps growing. Among the various fields, we can mention industrial surveillance and control, security, information services, health services, etc. For instance, it plays a significant role in medical applications to follow patients, small children and elderly people. This location-based application and countless others have therefore become very relevant and contribute significantly to our daily lives.

However, this proliferation of position-based applications is accompanied by an increasing demand for accurate, robust and high-resolution indoor positioning systems. Despite the fact that Global Positioning System (GPS) offer high coverage with an accuracy of a few meters outdoors, their applicability is considerably limited indoors due to their low signal reception power. For this reason, the research of alternative solutions for internal positioning has attracted enormous attention in recent years. Designing such a system is challenging and should consider an appropriate balance between complexity and performance.

To this end, various technologies (infrared, ultrasound, Wireless Fidelity (WiFi), Bluetooth, etc.) have been proposed to develop a low-cost, accurate and robust Indoor Localization System (ILS). Nevertheless, most of these technologies can be severely affected by multipath propagation as a result of the narrow bandwidth, which reduces the accuracy of the overall ILS. Hence, a rising interest in Ultra Wide Band (UWB)-based ILS is emerging due to its high bandwidth allowing accurate localization with high resolution. Traditional UWB ILSs are based on the constellation principle [1]. This approach is strictly related to the measurement of the distance between the object to be located and a certain number of anchors fixed at known positions (3 anchors for a 2D localization and 4 anchors for a 3D localization), followed by the application of the trilateration technique. These systems have the drawback of prior knowledge of at least three anchors that must be synchronized with each other. To overcome this problem, another state-of-the-art ILS using a Frequency Modulated Continuous Wave (FMCW) signal is proposed in [2] with a single anchor and

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four interrogators to locate a target in 3D, by combining distance and angle measurements.

Although this system has performed well, it is important to point out that an [FMCW](#) radar requires additional signal to carry out the localization since this type of signal is not implemented in current communication systems. In addition, it has some difficulties in managing the Voltage-Controlled Oscillator ([VCO](#)), which requires the frequency variation to be as linear as possible. Finally, it can be severely affected by multipath propagation, which in turn reduces the accuracy of the system.

At this stage, [UWB](#) technology seems to be the most promising solution to address these limitations and meet the requirements of future applications. It is already deployed in existing communication systems and has many features including large bandwidth, immunity to interference, high ability to dissociate multiple target responses directly in the time domain and robustness to perturbations.

Therefore, the main objective of this thesis is to design and implement a novel [ILS](#) using the [UWB](#) multistatic radar system to provide a more robust and accurate real-time 2D location of an Active Tag ([AT](#)). Thanks to [UWB](#) technology, our proposed system is able to locate the [AT](#) with a high resolution making it capable of distinguishing even close positions, thus achieving a high accuracy of a few centimeters. This thesis is composed of 4 chapters.

In Chapter 1, the different techniques used for position estimation are presented and compared them to select the most appropriate technique for each technology. Next, the different technologies that use an appropriate technique to locate a target in an indoor environment are compared. This gives a good knowledge of the advantages and disadvantages of each technology in order to choose the one we are interested in terms of accuracy, resolution, coverage and cost to [ILS](#). Afterwards, a brief overview of the state of the art of both commercial and experimental [UWB](#) localization systems is provided. Finally, depending on the application requirements, an [ILS](#) based on [UWB](#) technology is proposed.

In Chapter 2, the essential elements of the [UWB](#) including the Federal Communications Commission ([FCC](#)) definition, regulation and characterization of channels in an indoor environment are illustrated. The Cramer-Rao lower bound ([CRLB](#)) study for Time of Arrival ([ToA](#)) estimation shows that [UWB](#) signals are particularly suitable for [ToA](#) measurement. For this reason, different state-of-the-art [UWB](#)-based approaches are identified. Next, a hybrid technique combining duplex [UWB](#) and Phase Correlation ([PC](#)) methods is proposed. The first method is used to estimate the distance while the second one is used to estimate the angle.

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In Chapter 3, the localization algorithm of a constellation-based ILS is presented. Next, the architecture of our proposed UWB ILS for 2D positioning is described. This positioning requires two identical antennas used as interrogators (receivers) separated by a single anchor in the center. To this end, the characterization of the different Radio Frequency (RF) components such as antennas, filters and amplifiers is presented and detailed. The concept of the system is validated by conducting some experiments in a controlled environment. The constraints associated with the proposed design are also mathematically validated to better understand the system's performance. Finally, the power levels at the different stages of the developed ILS are also discussed and interpreted.

In Chapter 4, the performance of the proposed UWB-based ILS is studied. The angular resolution is validated using the PC method in simulations and experimental setups. Then, the distance resolution is validated using the duplex UWB method in the CM3 channel model (office Line of Sight (LoS)) of IEEE.802.15.4a. The accuracy and resolution of the 2D position estimation are validated using both distance and angular measurement. The results are discussed and explained taking into account both LoS and Non Line of Sight (NLoS) cases. Finally, the conclusion of thesis work is presented along with some future work plans such as the extension of the prototype to 3D position estimation.

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# Chapter 1

## State-of-the-art Characteristics of Indoor Localization Systems

### 1.1 Introduction

Location data of a user or device in a given space appeared a few years ago and has since become an essential element of contextual information. This has been largely influenced by the widespread use of wireless connection, making it easier to obtain more and more information of this type. For instance, the location information has attracted a lot of attention in marketing for both consumers and advertisers. On one hand, brands and advertisers use Location-Based Marketing (LBM) strategies to attract consumers by displaying relevant messages on their mobile phones based on their geographic location. One of the main objectives of this new marketing method is to prevent consumers from escaping to e-commerce sites. On the other hand, this information helps the consumer and assist him from his place to the shopping center, guides him inside and allows him to reach his destinations more easily. Similarly, many airports, train stations, congress and exhibition centers are using these technologies to help users by providing them with useful information.

The relevance of localization is not limited to these applications, but also extends to other areas and services such as medical surveillance, assistance to the elderly and disabled people in their daily lives, monitoring children in their activities, etc. Therefore, the goal of the Indoor Localization System (ILS) is to determine the position of objects or people in an internal space of a structure (buildings, houses, industry, ...).

This chapter is dedicated to present an overview of existing ILS. The different techniques used within an ILS are presented in Section 1.2. Section 1.3 describes the famous trilateration algorithm used to estimate a tag's position. Various positioning technologies are described in Section 1.4. Section 1.5 is devoted to compare the different technologies

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described in Section 1.4. Some solutions based on Ultra Wide Band (UWB) technology are discussed in Section 1.6. Our proposed system is described in Section 1.7. Finally, the chapter ends with a conclusion in Section 1.8.

## 1.2 Position Estimation Techniques

In general terms, the location estimation consists of a three-tiered algorithm. The first stage involves measuring the characteristics of the signal. These measurements are used in the second stage to estimate the direction of the object to be located and its distance from the localization device. Finally, these distance or direction estimates are combined to estimate the exact position in the last stage. The combination method is different from one system to another and could be achieved using several techniques [1,2].

The position estimates may be obtained from a variety of measurements such as Time of Arrival (ToA), Time Difference of Arrival (TDoA), Angle of Arrival (AoA) and Received Signal Strength (RSS). This section presents the different measurement techniques used to locate a user/object in an indoor environment.

### 1.2.1 Time of Arrival

As its name suggests, the ToA provides a measurement of the arrival time of a received signal at a reference anchor. It depends on the signal Time of Flight (ToF), which is defined as the propagation time of a signal traveling from a target to a reference anchor. Therefore, the knowledge of the exact emission time  $t_m$  of the target signal and its exact arrival time  $t_i$  at the reference anchor  $i$  are required to apply ToA technique. The distance  $d_i$  between the reference anchor  $i$  and the target is then computed easily using

$$d_i = c.(t_i - t_m) \quad (1.1)$$

where  $c$  is the speed of light.

Once the distance  $d_i$  is obtained, all possible target locations can be determined. From a multilateration point of view [3], ToA defines circles around the reference anchors as shown in Figure 1.1. So if the anchor  $i$  is located at  $(x_i, y_i)$ , the target coordinate  $(x, y)$  must satisfy

$$d_i^2 = (x_i - x)^2 + (y_i - y)^2 \quad (1.2)$$

To estimate the 2D position, this measurement must take place at a minimum of three reference anchors, and the exact position of the target will be then the intersection of the obtained three circles. This scheme can be extended for 3D localization by using at least

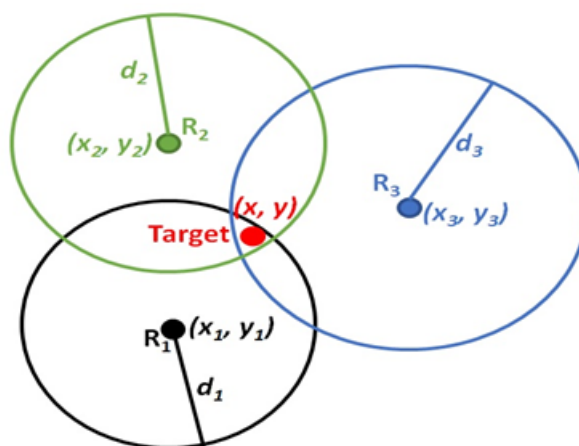


Figure 1.1 – ToA principle.

four reference anchors.

This technique achieves high accuracy in locating the position of a target even if the distance between the reference anchor and the target increases. However, this can only be accomplished when the target and all the reference anchors in the system are properly synchronized. As such, low time synchronization, multipath propagation and low Signal-to-Noise Ratio (SNR) are major sources of error in this method.

### 1.2.2 Time Difference of Arrival

Sometimes the emitting time  $t_m$  of the target signal is unknown, so the usage of the ToA technique is not possible anymore. In this case, the distance estimation can still be done using another technique known as TDoA. Like ToA, this technique uses the travel time of a signal from the target to the reference anchor, but instead of using the target's emission time, which is now unknown, it uses the difference in travel times from each reference anchor to estimate the distance to each one of them. Thus, knowing the time of transmission is no more required, and the time difference is now sufficient to estimate the distances [4].

Once a signal is received by two reference anchors  $i$  and  $j$ , the difference in arrival times  $\Delta t_{ij}$  is used to calculate the difference in distances  $\Delta d_{ij}$  between the target and the two reference anchors using

$$\Delta d_{ij} = c \cdot \Delta t_{ij} \quad i \neq j \quad (1.3)$$

Assuming that the two reference anchors  $i$  and  $j$  are located respectively at  $(x_i, y_i)$  and  $(x_j, y_j)$ , the target at  $(x, y)$  must lie on a hyperboloid with a constant range difference

between the two reference anchors for each **TD** measurement as shown in Figure 1.2. The equation of the hyperboloid is given by

$$\Delta d_{ij} = \sqrt{(x_i - x)^2 + (y_i - y)^2} - \sqrt{(x_j - x)^2 + (y_j - y)^2} \quad i \neq j \quad (1.4)$$

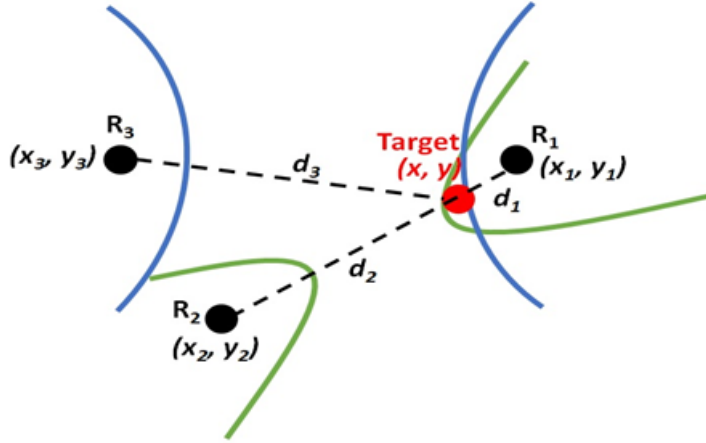


Figure 1.2 – TDoA principle.

To locate a target in 2D, **TD** measurements (for instance,  $\Delta t_{12}$  and  $\Delta t_{13}$  in the example shown in Figure 1.2) must be made at three fixed reference anchors to form two hyperbolas whose intersection determines the target position.

Similar to **ToA** or any other time-based method, the accuracy is affected by multipath propagation and low **SNR**. Furthermore, synchronization between devices is mandatory to obtain accurate measurements. However, the synchronization in **TD** is only required between the reference anchors, since the target is located based on their time/distance difference. The target does not need to be synchronized with the reference anchors because the distance between them is not taken into account in the **TD** calculation.

### 1.2.3 Angle of Arrival

**AOA**, also known as Direction of Arrival (**DoA**), provides a measurement of the angle at which a signal is received by a reference anchor [5]. Using this angle, the reference anchor defines a straight line from its position that indicates the different possible positions of the target. The exact position of the target will thus be the intersection of several lines from several reference anchors.

Assume that the target at  $(x, y)$  transmits a signal to the  $i$ -th reference anchor  $R_i$  located at  $(x_i, y_i)$ . As shown in Figure 1.3, the straight line connecting these two entities makes an angle  $\theta_i$  with the axis  $(R_i, R_j)$ . The angle of arrival  $\theta_i$  is therefore obtained by the triangulation principle

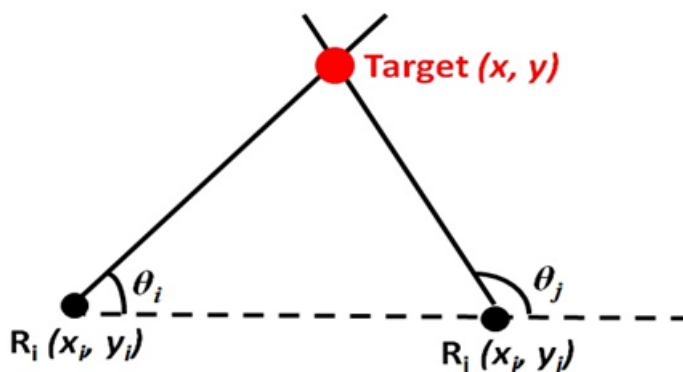


Figure 1.3 – AoA principle.

$$\tan \theta_i = \frac{y - y_i}{x - x_i} \quad (1.5)$$

To find the 2D position of the target, **AoA** methods use at least two known reference anchors,  $R_i$  and  $R_j$ . The exact position of the target will be then the intersection of the two lines of direction  $\theta_i$  and  $\theta_j$ . Following the same approach, 3D positioning is also possible using at least three reference anchors.

Unlike **ToA** and **TDoA** methods, **AoA** method does not require synchronization between the target and the reference anchors. Moreover, the minimum number of reference anchors needed to locate the target is reduced (two in 2D and three in 3D). However, besides the large and complex material requirements, the accuracy of the position estimation decreases as the distance between the target and the reference anchors increases. In fact, this method works well in situations with Line of Sight (**LoS**), but accuracy decreases too when there are signal reflections and multiple paths. Thus, it is not suitable for indoor environments unless combined with other techniques forming a hybrid **ILS** system.

#### 1.2.4 Received Signal Strength

The **RSS** is the field intensity of a signal measured at the reception point. In this approach, the power level of a received radio signal is used to estimate the position of a remote target using multilateration technique while applying either signal propagation models [6] or fingerprint method [7].

Based on a path loss model, the distance  $d_i$  between the target and the  $i$ -th reference anchor can be obtained using

$$\frac{P_i}{P_0} = \left(\frac{d_0}{d_i}\right)^n \quad (1.6)$$

where  $P_i$  is the received power at the reference anchor  $i$ ,  $P_0$  is the received power at the reference distance  $d_0$ , and  $n$  is the path loss exponent of the environment under consideration.

However, path loss models are not always applicable due to shadowing and severe multipath fading. Therefore, it is difficult to apply these models to the received signal, which is continuously affected by the complex nature of the indoor environment.

One way to overcome this problem and avoid complex modelling of signal propagation is by using the fingerprint method. This method comprises two phases: training and position determination. The first phase consists of determining the [RSS](#) values at each point using offline measurement campaigns to build a database, also called a radio map. Then, the position of a target can be estimated in the second phase by comparing the [RSS](#) observations with the values already recorded in the radio map using proximity matching algorithms.

In 2D, at least three reference anchors are required to estimate the target position, while in 3D, at least four reference anchors are needed.

The [RSS](#) method provides high accuracy in short-range and [LoS](#) environments. Unlike [ToA](#) and [TDoA](#), this method does not need any time synchronization between the system anchors. However, the dynamic nature of the indoor environment requires a continuous updating of the radio map affecting the system's performance.

Table [1.1](#) outlines the main characteristics of the different techniques described above. This comparison allowed us to choose the most appropriate technique for each technology used in localization systems. A detailed description of these technologies, including the technique adopted for each one, is presented in the following section.

Table 1.1 – Comparison between different ILS techniques

Criteria	ToA	TDoA	AoA	RSS
<b>Position Estimation</b>	The time taken by the signal to move from the target anchor to several reference anchors.	The time difference between the arrival of the signal at multiple reference anchors.	The intersection of several pairs of angle direction lines.	The signal strength received at the target anchor from several reference anchors.
	<b>Number of reference anchors</b>	At least three. At least four.	At least three. At least four.	At least three. At least four.
<b>Synchronization</b>	All transmitters and receivers in the system must be perfectly synchronized.	Only the reference anchors should be synchronized.	Less synchronization and clock precision requirements.	Not required.
<b>LoS Vs. NLoS</b>			Requires a clear LoS between transmitter and receiver.	Favours LoS to reduce multipath effects.
<b>Issues</b>	Relative clock shift between transmitter and receiver.	Lower accuracy than ToA with the same system geometry.	A small error in the angle measurement has a big impact on the accuracy. Requires large and expensive antenna arrays.	Sensitive to channel inconsistency. Requires short distances between anchors.



The measurements obtained by the techniques mentioned above are used to estimate a target's position through a series of algorithms such as the trilateration algorithm, which will be detailed in the next section.

### 1.3 Trilateration-based ILS

ILSs based on trilateration have fixed anchors at known positions that form a well-defined constellation. To find the 2D location of the tag, at least 3 anchors or alternatively 3 reference nodes are required. The system uses trilateration technique to estimate the tag position  $T$  by calculating the distance to each anchor  $R_i$  ( $i = \{1, 2, 3\}$ ), as shown in Figure 1.4. Therefore, the algorithm requires the coordinates  $(x_i, y_i)$  of all the anchors to predict the location of the tag by calculating the distance  $d_i$  between the latter and each anchor.

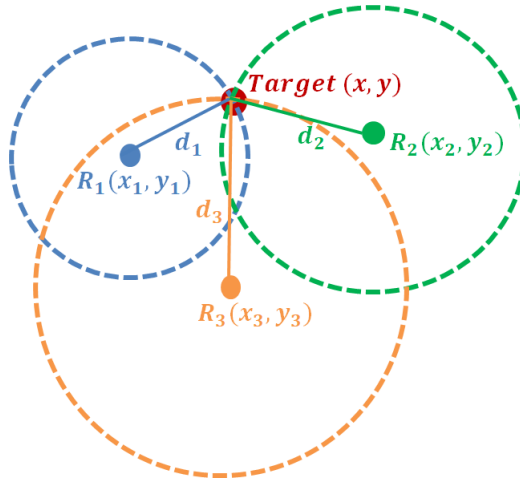


Figure 1.4 – Trilateration estimation.

The distances  $d_i$  are given by the following equation

$$\begin{cases} d_1^2 = (x_1 - x)^2 + (y_1 - y)^2 \\ d_2^2 = (x_2 - x)^2 + (y_2 - y)^2 \\ d_3^2 = (x_3 - x)^2 + (y_3 - y)^2 \end{cases} \quad (1.7)$$

Solving this system of equation reveals the tag position  $(x, y)$  as follows

$$x = \frac{Ay_{32} + By_{13} + Cy_{21}}{2(x_1y_{32} + x_2y_{13} + x_3y_{21})} \quad (1.8)$$

$$y = \frac{Ax_{32} + Bx_{13} + Cx_{21}}{2(y_1x_{32} + y_2x_{13} + y_3x_{21})} \quad (1.9)$$

where

$$\begin{cases} A = x_1^2 + y_1^2 - d_1^2 \\ B = x_2^2 + y_2^2 - d_2^2 \\ C = x_3^2 + y_3^2 - d_3^2 \end{cases} \quad (1.10)$$

and

$$\begin{cases} x_{32} = x_3 - x_2 \\ x_{13} = x_1 - x_3 \\ x_{21} = x_2 - x_1 \end{cases} \quad (1.11)$$

$$\begin{cases} y_{32} = y_3 - y_2 \\ y_{13} = y_1 - y_3 \\ y_{21} = y_2 - y_1 \end{cases} \quad (1.12)$$

Figure 1.5 highlights a new problem or limitation of this method. In fact, the accuracy of the localization is strongly affected by the geometry of the anchors. This well-known problem in the field of localization is reflected in the definition of *Dilution of Precision (DoP)*. This concept has been mathematically derived and proved in [4] and has long been used in GPS tracking systems as an indicator of anchor positioning. As we can see, the geometry of the anchor failed to accurately locate the AT, and merely provided a surface of uncertainty in which the AT can occupy any position. When this area is narrow, which is equivalent to a small DoP value, the estimation error is also small. However, this error increases for large areas, corresponding to a high DoP value.

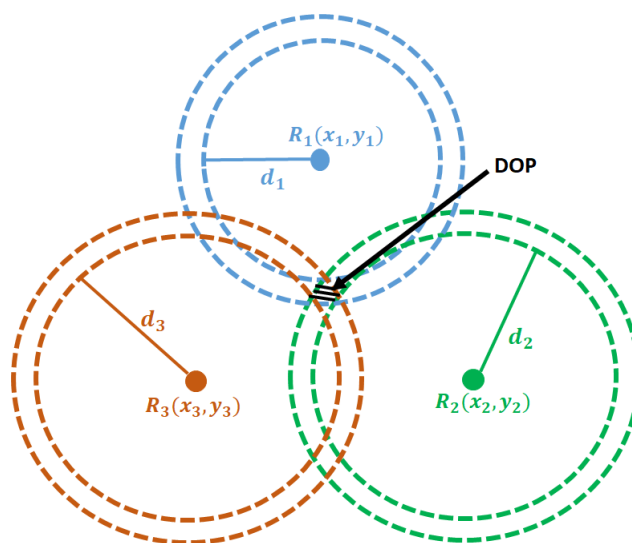


Figure 1.5 – Anchors Geometry Problem.

## 1.4 Positioning Technologies

Positioning technologies have a major influence on the performance, reliability and confidentiality of location-based services, systems and applications [8]. Therefore, this section is devoted to presenting the different technologies that utilize the aforementioned techniques to locate a target in an indoor environment.

### 1.4.1 Global Positioning System

Global Positioning System ([GPS](#)) is the most popular and widespread radio navigation system for finding the location and position of objects, especially for the outdoor environment. The fundamental aspect of positioning using this technology is the measurement of the distance between the satellites and the receiver. To do this, satellites send messages containing the sending time, their exact orbits and other useful information. The receiver processes this information and measures the time differences of these signals to find its position as shown in [Figure 1.6](#). In this scenario, at least four satellites are required to determine the 3D position.

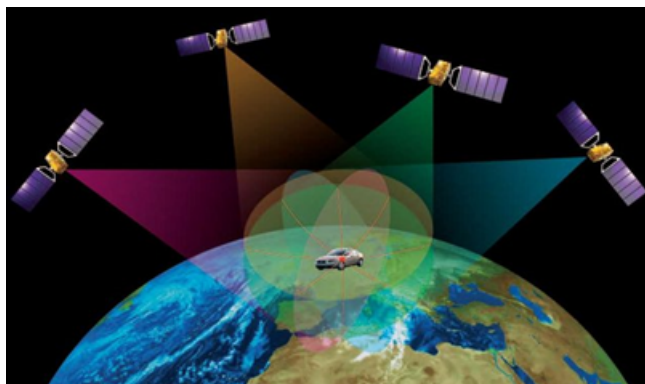


Figure 1.6 – GPS methodology [9].

However, the presence of obstacles that block the line of sight between the satellite and the receiver as well as the attenuation and dispersion of electromagnetic waves by buildings and external obstacles, make [GPS](#) a technology not suitable for indoor environments [10].

To solve this problem, several positioning systems based on conventional [GPS](#) are proposed [11]. An example of such a system is the pseudo-satellites, also known as pseudolites. A pseudolite is a device that generates and transmits [GPS](#)-type signals. These signals are similar to real [GPS](#) signals but using different carrier frequencies or containing different navigation data [12]. Therefore, this method estimates the position by simulating the constellation of real satellites through several pseudolites located at different corners of the building. Nevertheless, this method has several disadvantages, such as the cost of modifying receiver equipment to be compatible with pseudolites, clock synchronization

problems and multi-path and near-far effects. These problems can be addressed by using [GPS](#) repeaters.

Another example of these systems is [GPS](#) repeaters [13]. This approach uses several switching modules to amplify and retransmit high quality [GPS](#) signals from an outdoor antenna to the indoor environment. To avoid the interference problem, the transmission of the modules is done in a sequential way, i.e. only one module will be active and transmits signals at a time. The switching period of the signal received by the indoor terminal corresponds to the [TDoA](#) between two successive repeaters. Therefore, using at least four [TDoA](#) measurements, this method allows a standard receiver to provide indoor position.

Although these methods can provide a reasonable estimate of the indoor position, most of them are costly and require additional infrastructure for the building. User terminals still need hardware modifications and interference between the outdoor and indoor antennas cannot be completely mitigated. All these weaknesses of [GPS](#) technology have highlighted the need to find a better solution for indoor localization that offers good performance at a low cost.

### 1.4.2 Infrared

Infrared ([IR](#)) positioning systems are one of the most common positioning systems that use wireless technology [14] and [AoA](#) technique. A simple infrared system consists of a diode that emits an infrared signal in the form of non-visible light flashes, and a receiving photodiode that detects and captures the light pulses, which will then be processed to extract the information [15]. [IR](#) localization can be used in active or passive configurations.

[IR](#) technology is adopted by several systems to perform position detection. For instance, the Active Badge System [16, 17] is one of the first indoor badge positioning systems that covers the area inside a building and provides symbolic information on the location of each active badge. This system can therefore locate people in its coverage area by estimating the location of their active badges. In this system, an active badge transmits a globally unique [IR](#) signal every 15 seconds. These signals are detected by one or more sensors connected by wires and fixed in each localized place. The information provided by the latter makes it possible to determine the position of the active badges, which will be transmitted and saved in a central server.

Infrared systems provide very accurate positioning estimates. They are used in Wireless Personal Networks ([WPANs](#)) because they are a short-range beam with a narrow transmission angle, suitable for aiming and selective signal reception. [IR](#) emitters are small,

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lightweight and easy to transport. The system architecture is simple and does not require time-consuming installation and maintenance.

In contrast, indoor infrared positioning systems have some drawbacks, such as security and privacy issues. In addition, infrared signals are sensitive and the location determination is affected by interference from fluorescent light and sunlight [18]. Moreover, IR waves cannot penetrate opaque materials, so the system no longer works if the IR device is covered. Although IR emitters are not expensive, the entire system using a camera array and connected by special wires is expensive compared to its limited coverage area. Another limitation of IR systems is the need for a transmitter or receiver in each location, i.e. each room in a building must be equipped with at least one IR device to locate whether or not the persons or target devices are in the room.

### 1.4.3 Ultrasonic

Ultrasonic location-based systems [19, 20] use sound frequencies beyond the audible range (above 20 KHz) to determine the user's position through the time required for an ultrasonic signal to move from a transmitter to a receiver. Ultrasonic technology uses the TDoA technique, and the ranging is mainly done using the reflective distance method through the triangulation positioning algorithm to determine the location of objects.

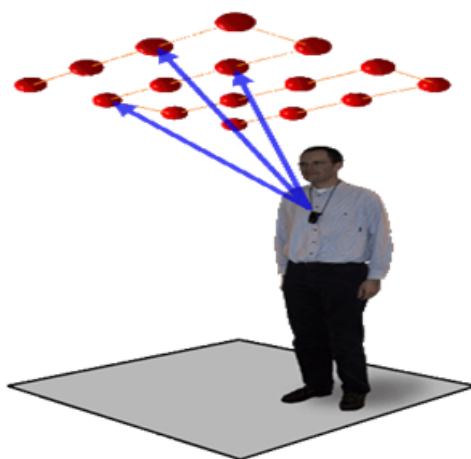


Figure 1.7 – Active Bat system [22].

The Active Bat system is an example of systems that use ultrasonic technology to determine the position of an ultrasonic tag, or "bat", being carried by a person. To do this, a tag periodically broadcasts a short ultrasonic pulse, which is then received by a matrix of receivers mounted on the ceiling at known positions, as shown in Figure 1.7. The distances between the tag and the receivers can be measured through ultrasonic waves and the position of the tag is determined by the triangulation method. Active Bat positioning system [21, 22] provides 3D position and orientation information of the tracked tags using

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at least three receivers according to the principles of multilateration.

However, from the user's point of view, deploying a large number of ceiling sensors in each room is a time-consuming task, which impacts the system's scalability. Receivers must also be placed accurately, which results in a complex and costly installation. Moreover, these systems have a lower measurement accuracy (several centimetres) than IR-based systems (several millimetres). They also suffer from air flows, reflected ultrasonic signals and other noise sources such as the jangling of metal objects, crispy packages, etc.

#### 1.4.4 Wireless Local Area Network

Wireless Local Area Network (**WLAN**), also known as "Wireless Fidelity (**WiFi**)", transmits and receives data using electromagnetic waves, providing wireless connectivity within its coverage area. **WLAN** technology is very popular and has been implemented in public places such as hospitals, stations, universities, etc. This widespread use of **WiFi** technology has motivated researchers to utilize it in designing localization systems inside buildings [23]. To determine the location, this system converts the detected electromagnetic signals into measurable metrics such as distance and angle, using the signal strength and **SNR** available from the **WLAN** Network Interface Card (**NIC**). It triangulates the 2D position of an object within a building using empirical data or mathematical model of indoor radio propagation.

In indoor localization, it is necessary to go beyond the mere identification of the Access Point (**AP**) in order to achieve higher precision. Therefore, three approaches have been proposed to locate a user using **WLAN** technology and **RSS** technique:

- The propagation model of a known antenna is used to calculate the distance to a known base [24].
- The relative strength of several known **WiFi** bases is used to determine the position by a multilateration method.
- Fingerprinting is used to match a pattern of known **WiFi** bases along with their relative strengths, to a database of known patterns associated with the locations [25]. Of course, building the database requires extensive pre-mapping activity and storing **WiFi** patterns for each mapped point.

A famous example of an indoor position tracking system that uses existing **WLAN** technology is the RADAR system [26], proposed by a Microsoft research group. The RADAR system can provide 2D absolute position information using signal strength and **SNR** with triangulation location technique, and thereby enable location-based applications for users. In [26], the RADAR system was tested on a floor inside a building, which is a typical

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indoor environment. The authors used three Personal Computers (PCs) serving as APs to track the target object represented by a laptop computer. The three APs measure the signal strength of the target's Radio Frequency (RF) signals. These measurements are used to determine a 2D position of the object. The main advantage of the RADAR system is that it uses the existing indoor WLAN infrastructure, eliminating the need to deploy new equipment. In addition, position detection requires few base stations, making RADAR a system that is easy to set up. However, this system can only locate objects equipped with WLAN technology, which is difficult for some light and energy-limited devices. In addition, this system does not take into account privacy issues, i.e. a person using a device with a WLAN interface can be easily tracked, even without their permission. Also, the RADAR system suffers from the limitations of the RSS positioning methodology [27].

Generally speaking, WLAN-based indoor positioning is an example of a low-cost positioning technology that uses existing infrastructure in indoor environments. WLAN technology is widely used and integrated in various wireless devices such as Personal Digital Assistants (PDAs), laptops, mobile phones, etc. Thus, WLAN-based indoor positioning systems can also reuse these wireless devices to track people, by measuring certain signal parameters provided by each wireless card.

Nevertheless, the accuracy of location estimations based on the signal strength of WLAN signals is affected by various sources of the indoor environment [28] such as movement and orientation of the human body, overlapping APs, walls, doors, etc. In some situations, it may be important to have a large number of APs to confront the high attenuation of the WiFi signal, especially if the signal passes through walls. Ideally, using at least one AP per room helps to limit the distance for the received signal from a particular access point, and thus minimizes the estimated position errors. Moreover, using stored information and fingerprinting techniques is complex and costly if the number of users of the indoor positioning system increases significantly.

### 1.4.5 Bluetooth

Bluetooth technology is a low-power, short-range wireless transmission technology that uses short-wave radio communications to send and receive data (audio, video, etc.) between devices such as mobile devices, computers, PDAs, etc. It uses the Frequency Hopping (FH) technique to protect its signals against other technologies using the same Industrial, Scientific and Medical (ISM) band. In Bluetooth-based positioning systems [29], several Bluetooth devices are grouped together to form a positioning infrastructure or what is called a cluster. A Bluetooth mobile device is then located using other mobile devices in the same cluster. In fact, a Bluetooth indoor positioning system uses the RSS technique to determine a user's position as long as he/she is equipped with a mobile

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device having Bluetooth technology and has activated this feature in it. Like any other Bluetooth device, a Bluetooth tag, which is a small transceiver, is identified by its unique Identification (ID). This ID can be used to locate the Bluetooth tag [30].

The Topaz location system [31] uses Bluetooth technology to locate tags in indoor environments. The architecture and the different components of this indoor localization system are shown in Figure 1.8. In this system, Bluetooth servers receive the measured signal strength and forward the raw data to the location server, whose role is to calculate the location of the tags. Bluetooth servers, location servers and location clients are connected via Local Area Network (LAN). This Bluetooth-based location system can only provide 2D location information with an error range of about 2 m, which is not sufficient to achieve high accuracy in an indoor environment with multiple obstacles.

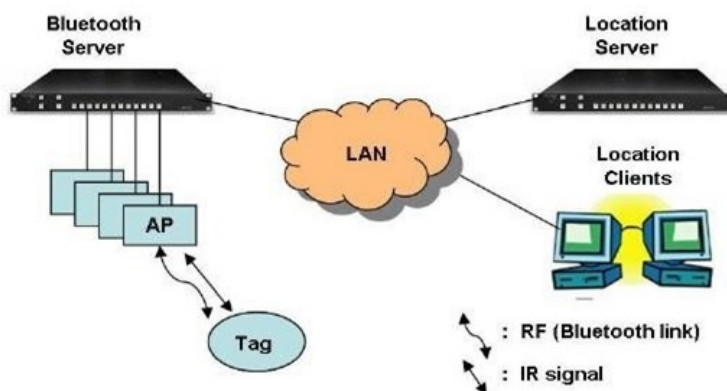


Figure 1.8 – System architecture of Topaz [31].

Bluetooth technology is mainly intended to facilitate communications between mobile devices and those with fixed devices, in order to eliminate the need for cables and connectors (e.g. when using wireless headsets), and to simplify the synchronization of data between personal devices [32]. Bluetooth devices are small in size and easy to integrate into the various electronic devices, so it is easy to popularize. Moreover, Bluetooth technology is reusable, i.e. it uses infrastructures that have already built-in Bluetooth chips. It is cost-effective and consumes a small amount of energy during operation.

However, a disadvantage of the Bluetooth-based positioning system is the delay time it takes to calculate the position of a tag. This delay of about 10 to 30 seconds is considered quite long compared to the operational range (2 to 3 m) of such a system. Moreover, the frequency hopping technique makes the impulse response of the propagation channel barely constant in the ISM band, which in turn causes a variation in the power of the received signal at each frequency hopping. Thus, this technique is the origin of different attenuation, thereby complicating the analysis of the received power measurements, and



limiting the effectiveness of positioning systems based on Bluetooth [RSS](#) measurements [33]. Bluetooth positioning systems also suffer from the drawbacks of [RF](#) positioning technology in complex and changing indoor situations [30]. In addition, the stability of the Bluetooth system is affected in a complex spatial environment due to noise signal interference.

#### 1.4.6 Radio Frequency Identification

Radio Frequency Identification ([RFID](#)) is a mechanism to store and retrieve data via electromagnetic transmission to an [RF](#)-compatible integrated circuit [34]. This technology uses radio waves to trigger a specialized circuit into producing a response containing a unique identifier, which can be used to identify people, animals or objects using [RSS](#) technique. An [RFID](#) system consists of [RFID](#) readers and [RFID](#) tags. The [RFID](#) reader is responsible for retrieving data from [RFID](#) tags. [RFID](#) tags or "transponders" are equipped with a microchip and a printed circuit board. This card acts as an antenna and allows the tag to transmit radio signals containing useful information, mainly the tag's unique [ID](#) [35]. The tags can be classified into "passive" or "active" depending on the energy source they use to respond to an [RFID](#) reader. On one hand, a passive [RFID](#) tag operates without a battery. It responds to an [RFID](#) reader by using only the small amount of energy emitted by the reader, which is collected using a small antenna. It reflects the [RF](#) signal received from the reader and adds information by modulating it. Passive [RFID](#) tags are mainly used to replace traditional barcode technology. They are much lighter, smaller in volume and less expensive than active tags. However, their reading range is very limited (1-2 m), and the cost of readers is relatively high. On the other hand, active [RFID](#) tags have their own power supply. They are small transceivers, which can actively transmit their [ID](#) (or other additional data) in response to a query. The advantages of active [RFID](#) are a smaller antenna and a much longer range (several tens of meters).

[RFID](#) technology has many applications and areas of use, such as personal/vehicle access control, department store security, equipment tracking, luggage, fast food establishments, logistics, medical equipment, etc [36]. In addition, [RFID](#) systems have been used for localization, especially when the user's position is not requested at all times, but only when passing through important control points, like entrance doors. In these cases, the user's location is often given in a logical form rather than in a coordinate system, e.g. "before the door", "in the waiting room", etc.

Two variants of user positioning are possible: in the first, the user carries the tag, and the readers are fixed in the infrastructure. In the other option, the user carries a reader, and many tags are incorporated in key locations in a given area. The first option was the most popular because the tags are cheaper and very lightweight, while the readers are bulky

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and very expensive.

LANDMARC (Location Identification based on Dynamic Active RFID Calibration) is a pioneering RFID system [34]. It belongs to the category of systems in which the tag is attached to the object or person to be located. LANDMARC needs information on the signal intensity of each tag reader to calculate the position of RFID tags using the  $k$ -Nearest Neighbour algorithm ( $k$ -NN). Although the authors claim an accuracy of 1 meter, the main limitation of this system is that the reader does not directly provide the signal strength; rather it reports only if the tag is "detectable" or "undetectable". LANDMARC must periodically scan power levels to estimate the signal strength of the tag, which produces latency in the localization. An additional problem is the wide variation in the behaviour of RFID tags due to the battery's loss of energy. Another indoor positioning system using RFID is called SPOT ON [37]. It is a new tagging technology for 3D location detection based on RSS measurements. These measurements, provided by several base stations, are sent and stored in the server. The server processor maps the RSS values and determines the exact position of the objects using the triangulation technique. Once the position is known, a virtual 3D display of the indoor environment can be built to show the location of the tags.

RFID technology is not only intended for indoor positioning applications, but also provides many potential services to meet user demands. They are cost-effective, their RF tags can be read in any environment, and can work at high speeds even if the line-of-site is not available. In addition, the RFID positioning system has lightweight and small tags that can be carried by the people to be tracked. Therefore, the RFID system can only identify equipment and people equipped with a tag. However, proximity and absolute positioning techniques require the installation and maintenance of many infrastructure components in the working area of an RFID positioning system [14]. In addition, their range is quite limited and the cost of readers is relatively high in the case of passive tags.

#### 1.4.7 Ultra Wide Band

UWB is a technology based on the transmission of electromagnetic waveforms composed of a sequence of very short pulses, as shown in Figure 1.9a, using a very large bandwidth (greater than 500MHz) [38]. This radio technology uses a very large part of the radio spectrum to transmit, but at the same time consumes very small amounts of energy during operation, as shown in Figure 1.9b. UWB has many applications and areas of use: radar and imaging, security applications, medical applications, vehicle radar systems, high-penetration radar systems, location and tracking, etc [39,40]. UWB can be used for accurate indoor positioning, such as finding the location of soldiers on the battlefield, tracking the movement of a robot. Therefore, UWB technology was selected

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for deployment in indoor positioning systems because it offers different advantages in terms of accuracy of time-of-flight measurement, multipath immunity and low power consumption for extended operation [41]. To determine the distance between the target and a reference point, two different measurements can be used in a UWB positioning system : **ToA** and **TDoA**, regardless of the used modulation scheme.

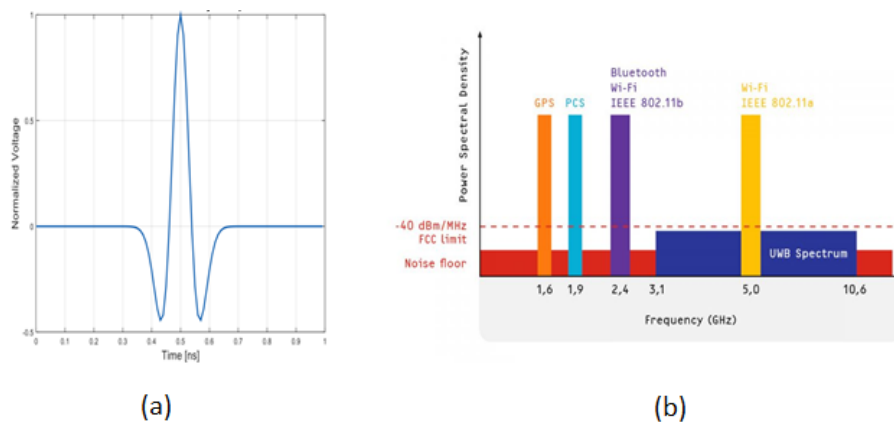


Figure 1.9 – (a) UWB pulse [42] and (b) UWB spectrum [43]

Ubisense is an example of a new real-time positioning system based on UWB technology [44]. It uses the triangulation localization technique, which takes advantage of both the TDoA and AoA techniques, to provide a flexible position detection capability. This system consists of three parts: sensors, tags and the Ubisense software platform. The active tags transmit UWB pulses. These pulses are received by the sensors, fixed at known locations. Next, the tag location data is forwarded via existing Ethernet links from these sensors to the Ubisense software platform, which analyzes and displays the tag location. The software platform consists of two parts: the location engine and the location platform. Location Engine is an execution component that allows to configure the sensors and tags. Location Platform collects location data from location-aware applications. Once the visualization of the location of the tags is provided, absolute, relative and proximity information can be extracted and sent to various location-aware applications. Ubisense sensors are arranged in cells. In each cell, there are at least four sensors, covering an area of up to 400m<sup>2</sup>. Thus, the coverage by infrastructure element is important and the system is scalable with respect to a large position monitoring area. Tracked tags in this system are wireless, easy to wear, lightweight (45 g) and equipped with a long life battery (about 1 year). Ubisense provides high precision (a few tens of centimetres) in indoor positioning, because it is based on both measurements of signal angles and arrival time differences, and it is not affected by complex indoor environments, including walls and doors [43]. With this high accuracy, the price of this system remains significantly high, limiting its use on a large scale.

**UWB** localization exploits the temporal synchronization characteristics of **UWB** communication to obtain a very high indoor localization accuracy (20 cm). It is therefore suitable for high-precision real-time 2D and 3D localization. 3D positioning can be performed using two different measuring techniques: **TDoA**, which measures the difference in arrival time of a **UWB** pulse at several sensors, and **AoA**. Using both techniques at the same time allows to reduce the required sensor density compared to systems that use only **TDoA**, because a location can now be determined with only two sensors. Furthermore, **UWB** technology offers various advantages over other positioning technologies used in the **ILS**, such as no line-of-sight requirement, no multipath distortion, less interference, high penetration ability, etc. In addition, **UWB** sensors are cheap, making the positioning system a cost-effective solution. Finally, the large range of each sensor allows the **UWB** positioning system to be scalable.

## 1.5 How to choose the Indoor Localization System ?

Indoor localization has lately gained interest due to the vast range of services it can offer. As discussed in the previous sections, different techniques, wireless technologies and mechanisms have been developed in the literature to provide indoor location and improve services offered to users. So the main question that arises now is, how to choose the indoor positioning system ?

Unfortunately, there is no unique answer to this question because the different use cases impose specific requirements for the indoor localization system. Generally speaking, there are several aspects that help to characterize an **ILS** system and distinguish it from other systems. Among these aspects, we are interested in [45]:

- **Accuracy:** It is roughly referred to the difference between the estimated and the actual positions. In the **UWB** case, very accurate measuring can be easily achieved due to the short pulse duration. In this case, the diffuse multiple path is well separated from the **LoS**, so that neither amplitude fading nor pulse distortion impairs the received signal. This is not the case for the narrow band where amplitude fading occurs and complete diffuse multipath propagation interferes with the **LoS** component.
  - **Resolution:** It is the minimum **ToA** or **TDoA** that the system can measure. These measurements will then be used to derive the distance and angular resolutions which are the minimum required values to distinguish one target from another depending on the radio waves' bandwidth. In particular, the large bandwidth of **UWB** signals can be conveyed to a high resolution in the pulse arrival time.
  - **Coverage:** It is the territorial extension in which the system can locate a user or object. Some technologies may provide extensive coverage in an ideal environment,
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but when used indoors, their coverage may be limited due to environmental factors. An [ILS](#) can locate a person or object within a range of several meters or even on different levels in a building.

- **Cost:** It is the amount of resources invested in the installation and operation of a positioning system. Systems that reuse existing technology in indoor environments (e.g. [WiFi APs](#)) or those that are carried by the user (e.g. mobile devices), require a small investment for installation and maintenance and a low cost for user service. However, in the case of indoor positioning systems based on technologies that use special devices and specialized infrastructure (e.g. sensor networks, readers), installation and maintenance costs are high.

With this in mind, this section aims to compare the different [ILS](#) technologies taking into account different aspects and characteristics of each one of them.

Compared to outdoor environments, indoor environments are more complex because there are various objects (such as walls, equipment and people) that reflect, cause high attenuation and diffusion of signals, and subsequently lead to multipath and delay problems. Indoor environments are then forced to rely on Non Line of Sight ([NLoS](#)) propagation where the signal cannot move directly in a straight line from a transmitter to a receiver, causing inconsistent delays at the latter. Typically, indoor positioning applications require higher accuracy and precision than outdoor positioning applications to be able to deal with relatively small areas and existing obstacles. In this sense, [GPS](#) has poor performance in dense urban areas compared to rural areas. In particular, the low coverage of the satellite signal in the indoor environment reduces its accuracy and makes it unsuitable. In addition, [GPS](#) has a large infrastructure to support location measurement, which is expensive and complex.

Infrared is a near foolproof way to ensure room-level accuracy. It uses light instead of radio waves, which cannot pass through walls - if the system says that an asset is in room 4B, it is undoubtedly in room 4B. Radio-based systems cannot provide such certainty, as radio waves can sometimes be captured by other readers through walls and subsequently cause positioning errors. However, in non-segmented rooms, infrared positioning would be a challenge - if three receivers read a light pulse, it is impossible to know from which receiver the tag is closest, because it is difficult to measure the relative strength of the infrared signal. In this case, radio technologies work better generally.

Most existing smartphones, laptops and other portable devices are [WiFi](#) compatible, making [WiFi](#) an ideal solution for indoor localization without the need to deploy additional infrastructure. However, the positioning accuracy that this technology can provide remains subject to uncontrolled interference in the [ISM](#) band. Compared to Bluetooth, [WiFi](#)

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provides lower accuracy (5-10 meters) and is a bit expensive. In addition, it consumes much more energy than [UWB](#).

Bluetooth technology is considered as a competitor to [WiFi](#) in indoor positioning systems, particularly since the widespread adoption of Bluetooth Low Energy ([BLE](#)), due to its high availability (it is supported by most modern smartphones), low cost and very low power consumption, which allows fixed transmitters to run on batteries for several months or even years [46]. Bluetooth operates in the 2.4 GHz [ISM](#) band. Compared to [WLAN](#), the gross bit rate is lower (1 Mbps) and the range is shorter (typically 10 – 15 m). In addition, apart from the variations in the indoor environment that affect the [RSS](#) measurement, the latter is also influenced by the type of [FH](#) modulation. Despite all of this, Bluetooth remains a "lighter" standard, very ubiquitous and supports several other network services in addition to Internet Protocol ([IP](#)).

Regarding [RFID](#) technology, passive [RFID](#) is the most commonly used and finds its applications at airport security checkpoints for baggage tracking or as an anti-theft measure in libraries, etc. because of their ability to identify items with just a quick scan. [RFID](#) is not a feasible option for live tracking due to its small range and large size. In addition, it is also not a preferred option for the medical industry due to the high presence of [RF](#) energy. It is therefore obvious that with its low accuracy, current [RFID](#) technology is not the right choice for an [ILS](#).

Ultrasonic [ILS](#) can reach even subcentimeter accuracies in still air conditions [47]. However, ultrasonic systems are limited in range (about 10 m) and cannot penetrate walls, making their coverage dependent on the number of installed beacons and the partitioning of the building. Moreover, the propagation properties of sound waves in indoor environments present a challenge for accurate position estimation. Environmental elements such as furniture, walls and their salient edges can create echoes. The appearance of such echoes can lead to inaccurate location [48, 49].

[UWB](#) technology is a great option for Indoor Positioning System ([IPS](#)) and has a high anti-interference capability, but it is expensive and requires more infrastructure. This technology has many advantages over traditional narrow-band systems, such as high penetration power, low energy consumption, resistance to multi-path effects, high security, low complexity, very precise positioning, etc. Short pulse waveforms permit to determine accurately the [ToA](#) of a burst transmission. [UWB](#) signals pass easily through walls, equipment and clothing, but are affected by metallic and liquid materials that cause interference. This problem can be avoided by using more [UWB](#) readers strategically placed in the infrastructure. In general, [RF](#) positioning systems suffer from multipath distortion of radio signals reflected by walls or any other obstacle in indoor environments.

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This problem is overcome with **UWB** pulses because they allow to filter the reflected signals from the original one. In this way, the system can offer higher accuracy compared to traditional wireless technologies such as **RFID** and **WLAN**. This is clearly reflected in the Ubisense system, which achieves an accuracy of about 15 cm in 3D, considered very high compared to other **RF** positioning systems. The delay time of the position estimates is short and the sensing rate can reach 20 times per second. Unlike conventional **RFID** systems, which operate on a single band of the radio spectrum, **UWB** transmits a signal over several frequency bands simultaneously, from 3.1 to 10.6 GHz. **UWB** signals are also transmitted for a much shorter time (less than 1 ns) than those used in conventional **RFID**. In addition, **UWB** tags consume less energy than conventional **RF** tags and can operate over a wide range of frequencies. **UWB** can be used in the immediate vicinity of other **RF** signals without causing or experiencing interference due to differences in signal types and the radio spectrum used. So using **UWB** technology in positioning systems has been a popular way to improve positioning accuracy. Therefore, **UWB** technology can be applied to fixed or moving indoor objects and people tracking and navigation, and can provide very high positioning accuracy.

For active **RF** location and positioning applications, short-pulse **UWB** techniques offer distinct advantages in terms of accurate time-of-flight measurement, multipath immunity for leading edge detection and primary energy consumption for extended-operation **RFID** tags [50]. For this reason, the **UWB** technology is considered a promising solution for **ILS**.

Table 1.2 shows the main advantages and disadvantages of different technologies used in **ILS**. Among the different technologies, **UWB** has met the aforementioned aspects that interest us. In the following section, some existing **UWB** systems will be presented.

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Table 1.2 – Comparison between different ILS technologies

Technologies	Techniques	Advantages	Disadvantages
<b>IR</b>	<b>AoA</b>	Cheap for user	Sunlight interference Limited range
<b>Ultrasonic</b>	<b>TDoA</b>	High accuracy	Interference Limited range Low penetration Air flow
<b>WLAN</b>	<b>RSS</b>	Low cost Large range	High variance signal High power consumption Continuous update of the radio map
<b>Bluetooth</b>	<b>RSS</b>	Low cost Low power consumption	Intrusive Limited range <b>FH</b>
<b>RFID</b>	<b>RSS</b>	Very low cost with passive tags	Limited accuracy Limited range with passive tags
<b>UWB</b>	<b>TDoA/ToA</b>	High accuracy High resolution Immune to interference	High cost

## 1.6 UWB Indoor Localization system

In general, there are two types of **UWB** indoor localization systems based on the **TDoA** measurement:

1. The first type refers to systems in which the tag sends its user-specific information sequence, encoded by **UWB** pulses. In this case, the tag will be localized by a Central Processing Unit (**CPU**), responsible for synchronizing all receivers and collecting time measurement data.
2. The second type refers to systems in which the receivers are used exclusively as repeaters. Thus, the tag receives back the transmitted signal, also containing the information (coordinates) of the receiver that it has sent it. In this case, the tag must calculate its own position using the relative distance information to the receivers. This is based on the Two-Way Ranging (**TWR**) measurement principle.

These two approaches are adopted in different literature systems, although the majority



favour the first one. Therefore, a brief overview of the state of the art of both commercial and experimental **UWB** localization system is provided in this section.

In [51], a complete **UWB** indoor location demonstrator is presented. The system includes several interconnected **APs** to ensure synchronization and an autonomous Mobile User (**MU**) equipped with an **UWB** tag to transmit the pulses. In this scenario, the signals propagate over different physical paths (channels) and reach the **AP**. The received signals from all **APs** are forwarded to the time measurement unit - Time to Digital Converter (**TDC**) - via the synchronization network. The obtained positioning results show an original average accuracy of 9 cm. This accuracy is improved to 2.5 cm by including the influences of the antenna and signal detection threshold level.

In [52], an example of a **UWB** indoor localization and tracking system is presented. The transmitted signal is a sequence of short pulses that propagate through the media and are received by the four receivers placed at known positions. The architecture of this system is illustrated in Figure 1.10. As one can see, the receivers of this system are interconnected by two networks: the clock network which provides a reference clock to all receivers, and the data network which is used for communication between the receivers and the computer. The role of the latter is to process the received data to analyze the **ToA** of the receiver pulses and then determine the position of the transmitter. The location error was below 30% for 95% of all position estimates.

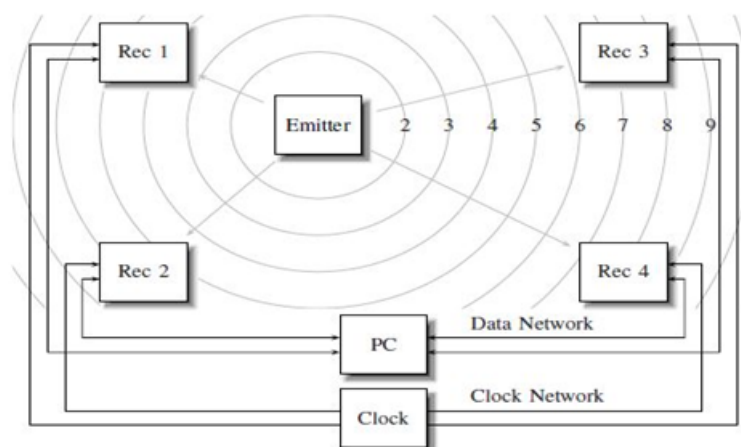


Figure 1.10 – UWB indoor localization system [52]

In [53], an **ILS** based on **UWB** is presented. The considered system is composed by four fixed transmitters, synchronized using a time division scheme. Each transmitter sends an **UWB** signal to some mobile users. The location of the latter is easily estimated using a triangulation method based on **TDoA** measurements between transmitters and receivers.

In [54], a performance comparison between ten impulse-radio UWB localization systems is described. Nine of them are laboratory setup that use an oscilloscope or squarer/comparator to acquire the received signals and estimate the ToA or the TDoA. The obtained results show that the system using the squarer/comparator and the TDoA method achieved the best accuracy of 3.4 cm in 2D.

Despite the accuracy that the above-mentioned systems can achieve, they nevertheless suffer from the synchronization constraint between receivers (or AP). Therefore, an additional synchronization circuit is required, which increases the overall complexity and cost of the system.

So far, several UWB commercial location systems have been fielded [55].

Ubisense [56] is one of the first companies to commercialize UWB technology for localization services. It was founded in 2002 in Cambridge, United Kingdom and has become a leader in the field of business location solutions. It has offices in Europe (Cambridge, Paris and Düsseldorf), the United States, Canada and Japan. The Ubisense positioning system consists of a network of sensors, installed at fixed positions, and UWB tags whose position is to be estimated. The sensors contain an array of antennas connected to the UWB radio receiver. They estimate the location of Ubisense tags using the UWB signals received from each of them. Each sensor independently determines the azimuth and elevation AoA of the UWB signal, providing a bearing for each tag. The TDoA information is determined between each sensor pairs connected by a synchronization cable. The company points out that combining AoA and TDoA measurement techniques provides a flexible, powerful and robust localization system, capable of determining a precise location with just one sensor and a precise 3D location using two sensors. Thus, the integration of AoA and TDoA makes it possible to minimize infrastructure and installation costs and improve the reliability and robustness of the system. UWB systems operate in the 6 – 8 GHz band and employ an additional narrow-band telemetry channel (2.4 GHz) to provide bidirectional control and telemetric communications with Ubisense tags (monitoring battery, button, Light Emitting Diodes (LEDs), etc.). The tag updating rate can be adjusted between 0.1 and 20 Hz. According to the manufacturer, the maximum operating range of the Ubisense 7000 system is over 160 m and the resulting accuracy does not exceed 15 cm in 3D. A kit with six sensors and ten tags costs 26,900 Euros (including Value-Added Tax (VAT) and shipping).

BeSpoon [57] is a French start-up that has developed a miniature IR-UWB system. They were the first manufacturer to prove that UWB technology can be successfully integrated into a smartphone. Their "SpoonPhone" prototype has been used by hardware manufac-

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turers and software developers to conduct research and evaluation. This phone along with 6 tags costs 1699 euros (VAT and shipping included). Now, this company has changed its sales strategy and their products are sold in the form of general purpose modular kits (UM100) to design customized solutions for each customer. These modules use UWB channel 2 (3.99 GHz) and offer the possibility to obtain good precision (down to 10 cm), large coverage (up to 880 m in line of sight) with a receiver sensitivity down to  $-118$  dBm. The UWB radio can be activated in the SpoonPhone in the same way as the WiFi/BLE radio is enabled in a phone, i.e. by activating it through a menu. The UWB antenna is also used for WiFi communication and is located at the top left of the phone screen. A Software Development Kit (SDK) Application Program Interface (API) is available to programmers to access in real time the telemetry data of the various miniature tags on the phone. The average range measurement rate is 2.5 Hz.

DecaWave DW1000 modules [58] are fully integrated low power Complementary Metal Oxide Semiconductor (CMOS) chips that comply with the IEEE 802.15.4–2011 UWB standard. They allow to perform distance measurements with an accuracy of  $\pm 10$  cm using TWR (ToF) measurements. This system is capable of estimating the real-time position of a moving tag with an accuracy of about  $\pm 30$  cm in X and Y directions, using either TWR (ToF) measurements or one-way TDoA approaches. A maximum measurable range of 300 m is possible under ideal conditions. This company provides the TREK1000 development kit for US\$ 925 (plus import customs fees). This kit contains four fully functional UWB anchors, which consist of a DW1000 UWB ranging chip, an STM32F105 ARM Cortex M3 processor and an omnidirectional antenna. The anchors are able to interconnect and estimate the distance between them. An external device (computer) can connect to any available anchor via Universal Serial Bus (USB) to collect all inter-anchor ranges. Each UWB anchor can be configured by changing the Dual In-Line Package (DIP) switches on the Printed Circuit Board (PCB) board, to toggle between the anchor and tag function. These switches can also be used to choose between two channel options (2 and 5), which correspond to the central frequencies 3.99 and 6.48 GHz, and data rates 110 kb/s and 6.8 Mb/s respectively. By default, the system uses the 4 GHz central frequency and a data rate of 110 kb/s. This configuration is recommended for maximum distance measurement. According to the manufacturer, the updating rate of a moving tag must be 3.5 Hz. This frequency is reduced when the number of tags increases because they are multiplexed over time.

The performance of these three systems (Ubisense, BeSpoon and DecaWave) is compared in [59]. It has been shown that these systems reach even subcentimeter accuracies under still air conditions. However, they require a prior knowledge of at least three anchors, which implies synchronization between them. Therefore, anchor clock drifts, RF and Analog-to-Digital Converter (ADC) front-end delays and their long-term variations are

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the main factors limiting the performance of these systems.

In the following, a system attempting to mitigate this problem while ensuring good accuracy, resolution, coverage and a reasonable price will be presented.

## 1.7 Proposed UWB Indoor Localization System

As already outlined in Section 1.4, there are several wireless technologies in the literature used for indoor positioning. The design methodology and the selected technology are critical factors affecting ILS performance. Among the different technologies, ultra-wideband indoor positioning systems have offered highly accurate solutions, in situations where other radio frequency technologies such as RFID, WiFi or Bluetooth cannot provide these levels of accuracy.

The choice of a positioning method depends on the intended specific application. In general, a positioning system using UWB technology aims to locate one or more targets (e.g. MU) in an indoor environment, such as offices or industrial halls. In such scenario, an UWB system only requires prior knowledge of the reference anchor (e.g. APs) positions to be able to find the location.

Depending on the selected positioning method, synchronization between reference anchors and targets may or may not be necessary. In the ToA method, all reference anchors and targets in the system must be perfectly synchronized. However, in applications where no information on the target is given, only relative time methods such as the TDoA or the AoA are applicable. The TDoA method requires information on the signal propagation time from the target (transmitter) to all reference anchors (receivers). For 3D anchor positioning, at least four reference anchors are required. In the AoA approach, each reference node is equipped with an antenna array linked to an UWB receiver and the difference in receive times is measured. For 3D localization, a minimum of two reference anchors is required, where each anchor must be composed of at least three elements.

For future applications, it is recommended to combine TDoA and AoA techniques to obtain synergistic effects [60]. For example, in the Ubisense positioning system, the combination of AoA and TDoA measurement techniques provides a flexible, powerful and robust localization system that can determine a precise 2D location with just one sensor and an accurate 3D location using two sensors.

It is worth recalling that the short pulse waveforms of UWB technology make it possible to accurately determine the ToF. For this reason, the TDoA technique is extensively used in conventional commercial and experimental indoor UWB localization systems,

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as described in Section 1.6. In these systems, different algorithms such as triangulation, multilateration or received data processing are applied to TDoA measurements in order to determine the position of the target. This is achievable only if synchronization between the reference anchors and prior knowledge of at least three reference anchors in multilateration or triangulation methods are ensured.

From the knowledge acquired in the above study, our proposed ILS is based on UWB technology operating in the European 3–4 GHz band. This band is used as a proof of concept, before moving to the 6–10 GHz band. This work is in line with the one developed by R. Kumar [61] in which a Frequency Modulated Continuous Wave (FMCW) signal is used. Thus, the main scientific objective is to implement a tracking system using the UWB multistatic radar system to provide real-time 2D location of transponders or active tags. This system includes a base station having 2 co-located UWB radars (to overcome time constraints) and UWB tags. The location is done in polar coordinates (distance and azimuth angle) by combining the principles of interferometry and goniometry, assuming a propagation channel with a direct path, or LoS between the station and the badge.

The proposed indoor location system consists of two main components, a transmitter/receiver (transceiver) station acting as a Localization Base Station (LBS) and an Active Tag (AT). The SBS has one transmitting channel and two identical and independent receiving channels. UWB pulses covering a bandwidth of 4 GHz (0–4 GHz) will be generated by a pulse generator and placed in the available bandwidth of the antenna (3–4 GHz) before being transmitted to the AT. The AT is used as an active transponder in which a delay  $\tau$  will be applied to the received UWB pulse. The use of such a delay is very important because it helps the system to separate the SBS signal from the backscattered signals of an indoor environment. The intended signal and the broadcast ones will therefore have a different arrival time as in the ground stations of Distance Measuring Equipment (DME) systems dedicated to air navigation [62]. Finally, the delayed signal will be received by the receiver antennas of the SBS, and the position will be estimated using the duplex UWB method for distance estimation and the phase correlation method for azimuth angle estimation. The method and the full setup will be detailed in Chapter 2 and Chapter 3, respectively.

The objective of the proposed solution is to improve the accuracy, the angular and distance resolutions of the ILS under LoS conditions compared to conventional systems, without prior knowledge of the anchors' position and therefore no synchronization is required between them.

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## 1.8 Conclusion

In this chapter, we have presented a detailed description of the different indoor localization techniques (ToA, TDoA, AoA and RSS) and technologies (GPS, IR, Ultrasonic, WiFi, Bluetooth, RFID and UWB). Taking into account the most relevant aspects of an ILS (accuracy, coverage and cost), we have compared the different technologies used in the literature, and have shown the importance of UWB in current localization systems and its significance in the research and development of future systems that aim to provide better accuracy while maintaining simple complexity and low cost. This motivated us to adopt it in the work of this thesis to design a low complexity microwave system that can accurately locate people inside a building in 3D. As a first step, we have proposed an UWB system for 2D indoor localization based on radial distance and Azimuth angle measurements. In the next chapter, the main elements of UWB technology required for its implementation in the ILS will be presented along with a detailed description of the proposed methods for achieving high precision and resolution of the position estimation.

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## Chapter 2

# Proposed UWB-based Method for Position Estimation

### 2.1 Introduction

Several properties associated with **UWB** signals, such as high accuracy, high multipath immunity, limited interference and immunity to other radio systems, etc., have a direct relationship to the location problem. The features of **UWB** technology allow to explore a new range of applications, including military applications, medical applications (patient tracking), family communications (child monitoring), search and rescue (communications with firefighters, avalanche or earthquake victims), home control applications, logistics (package tracking) and security applications (tracking authorized persons in high security areas). Therefore, the characteristics of **UWB** technology make it the promising solution for indoor localization systems.

To exploit the potential centimeter-level positioning accuracy provided by the large bandwidth of **UWB** systems, a significant number of studies based on the **ToA** estimation have been conducted, which are application-specific. For example, some proposals focus on achieving maximum resolution regardless of the complexity of the system, while others seek a less complex system that is sufficiently accurate for the desired application.

This chapter outlines the essential elements of **UWB** technology required for its implementation in the **ILS**. The definition of **UWB** signals, **UWB** regulations and the characterization of **UWB** indoor propagation are described in Section 2.2. The Cramer-Rao lower bound (**CRLB**) for **ToA** estimation in multipath channels is presented in Section 2.3. Several state-of-the-art methods based on **ToA** estimation with **UWB** pulses are illustrated in Section 2.4. A brief description of the proposed system and the adopted waveform are provided in Section 2.5. Two methods for estimating distance and small path difference are proposed in Section 2.6 and Section 2.7, respectively. Finally, the chapter ends with a

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conclusion in Section 2.8.

## 2.2 UWB Features

Faced with the emergence of communication and localization systems, it is essential and even primordial that these systems can coexist with each other (optimal use of existing frequency resources). For this reason, in 2002, the Federal Communications Commission (FCC) authorized the use of UWB signals with other signals in the same band, under certain conditions and without License. This section will provide the definition of the UWB and some of its specific features as well as the regulations in force.

### 2.2.1 Definition

UWB signals are very short pulses of the order of a few pico or nano seconds having a bandwidth  $Bw$  greater than 500 MHz according to the FCC definition. Another way to distinguish UWB signals from other types of signals is through the fractional bandwidth  $B_f$  defined as the ratio of the bandwidth  $Bw$  at  $-10$  dB points to the center frequency  $f_c$ , as shown in Figure 2.1, i.e.

$$B_f = \frac{Bw}{f_c} = 2 \times \frac{f_H - f_L}{f_H + f_L} \quad (2.1)$$

where  $f_H$  and  $f_L$  are the upper and lower frequencies of the  $-10$  dB emission points respectively.

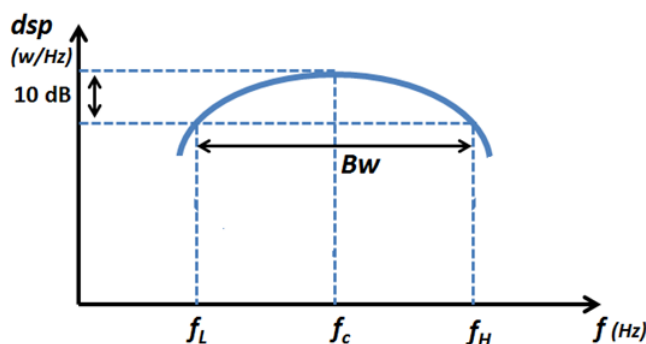


Figure 2.1 – Power spectral density of an UWB signal.

Depending on the value of  $B_f$ , FCC has classified the signals as follows

- Narrowband:  $B_f < 1\%$
- Wideband:  $1\% < B_f < 20\%$
- Ultra-Wideband:  $B_f > 20\%$

Therefore, UWB signals must have a fractional bandwidth  $B_f$  larger than 20% at all times of transmission [1]. An UWB signal can be any wideband signal [2–4], such as Gaussian, chirp, wavelets or hermit-based short-duration pulses.

### 2.2.2 UWB Regulations and Standards

The United States (U.S.) regulations for UWB systems were first established in February 2002 by the FCC [5], providing some very conservative rules to ensure that UWB technology would not interfere with other radio systems. For instance, the FCC has allocated in this law the 3.1 – 10.6 GHz frequency band for UWB systems, in order to protect existing communication systems offering services in the lower frequency bands. In this way, the authorized power is also limited and the power spectral density must be very low to not exceed  $-41.3$  dBm/MHz in average power.

Figure 2.2 and Figure 2.3 represent the UWB emission limit under U.S. regulations for indoor and outdoor systems, respectively. As can be seen, to protect GPS receivers in the 0.96 – 1.61 GHz band, the degree of attenuation required in the 1.61 – 3.1 GHz band is higher in an outdoor environment.

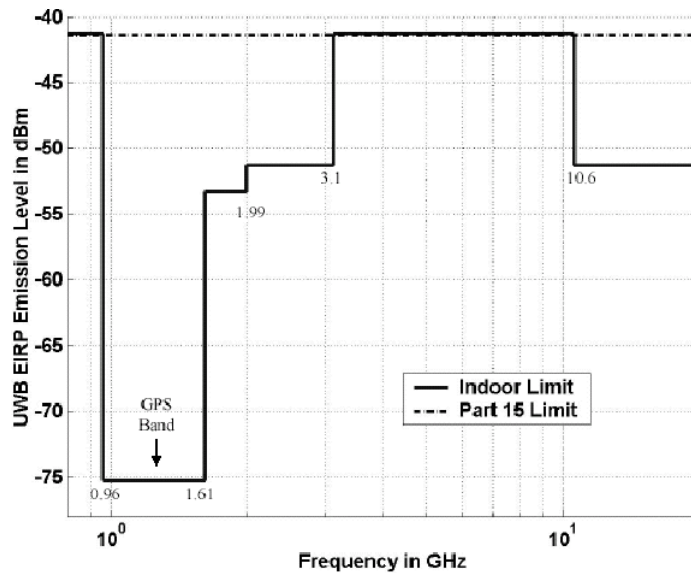


Figure 2.2 – Spectral masks defined by the FCC for Indoor environment [6].

In 2007, the Electronic Communications Committee (ECC) - a committee of the Conference of Postal and Telecommunications Administrations (CEPT) in Europe - also allocated a frequency band in Europe for the unlicensed use of UWB communications and radar systems [8]. This mask provides a maximum mean Effective Isotropic Radiated Power (EIRP) density of  $-41.3$  dBm/MHz from 6 to 8.5 GHz. The signal level below 6 GHz must be attenuated by 28.7 dB to  $-70$  dBm/MHz and above 8.5 GHz by 23.7 dB to  $-65$  dBm/MHz. Figure 2.4 compares the authorized Power Spectral Densities (PSDs) between ECC and



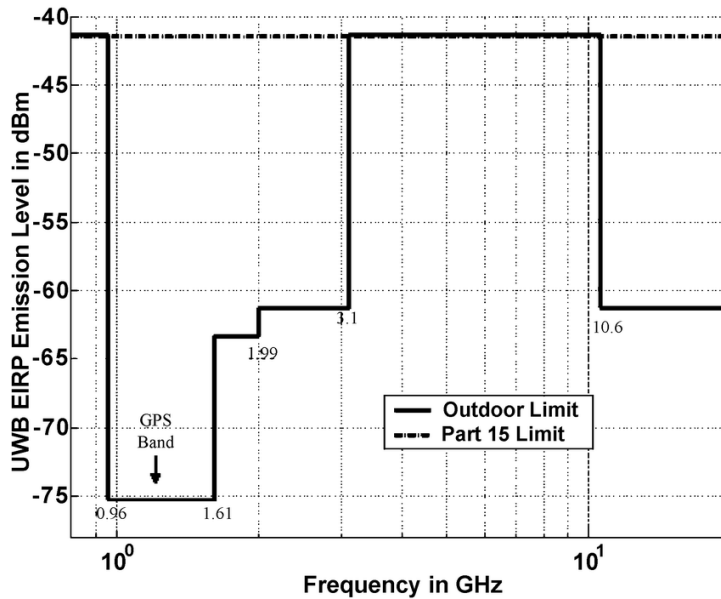


Figure 2.3 – Spectral masks defined by the FCC for outdoor environment [7].

FCC regulations.

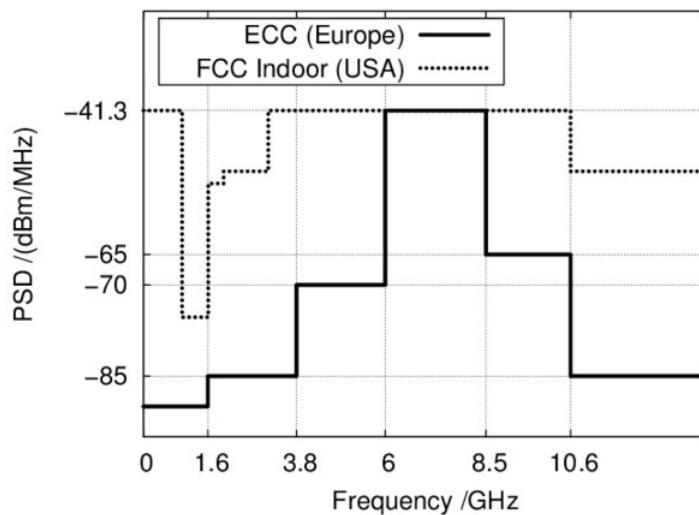


Figure 2.4 – Comparison between the European UWB mask and the FCC indoor mask [9].

Parallel to the international regulatory process, a standardization framework was established in the U.S. and ended up by proposing

- The IEEE 802.15.3a standard [10], which targets high-rate and short-range applications around the 2.4 GHz frequency.
- The IEEE 802.15.4a standard [11], which targets low rate communications (250

Kbps) dedicated to wireless personal networks.

In practice, the adoption of the IEEE 802.15.4a standard involves two Physical (PHY) layers:

- The Impulse Radio - UWB (IR-UWB) PHY layer for communication and/or localization systems. This physical layer uses three sub-bands Sub-GHz (0.25 – 0.75 GHz), Low band (3.244 – 4.742 GHz) and High band (5.944 – 10.234 GHz).
- The Chirp Spread Spectrum (CSS) PHY layer uses the 2.4 – 2.4835 GHz band for communications only.

For this standard, the frequency bands of the IR-UWB PHY layer have been divided into 16 sub-bands of 499.2 MHz width as shown in Table 2.1.

Table 2.1 – UWB channels for IEEE 802.15.4a standard

UWB Band	Channel number	Central Frequency (MHz)	Bandwidth (MHz)
Sub-GHz	0	499.2	499.2
Low band	1	3494.4	499.2
	2	3993.6	499.2
	3	4492.8	499.2
	4	3993.6	1331.2
High band	5	6489.6	499.2
	6	6988.8	499.2
	7	6489.6	1081.6
	8	7488.0	499.2
	9	7987.2	499.2
	10	8486.4	499.2
	11	7987.2	1331.2
	12	8985.6	499.2
	13	9784.8	499.2
	14	9984.0	499.2
	15	9484.8	1354.97

UWB technology is seen as a very interesting and innovative solution for a large number of applications that are generally classified into three categories [12]:

- **Imaging systems:** include Ground Penetration Radar (GPR) and penetration into or through walls, surveillance and medical imaging systems. These systems are allowed to transmit below 960 MHz or between 3.1 and 10.6 GHz.

- **Vehicle radar systems:** These are integrated into the vehicle's navigation system to determine the distance to objects. Systems in this category are mainly used outdoor, which could increase the risk of jamming other services. They are allowed to transmit between 22 and 29 GHz with some restrictions below 24 GHz.
- **Communication systems:** This category includes short-range communication systems, such as wireless personal networks and measurement systems. They are allowed to use the frequency band 3.1 – 10.6 GHz in both indoor and outdoor environments using portable terminals.

### 2.2.3 UWB Indoor Channel Model

The particularities of the UWB signal make its channel characteristics different from the existing narrow-band communication systems based on the Continuous Wave (CW). On the top of that, the propagation environment of the UWB signal is one of the most important factors that affects the performance of a wireless communication system. For this reason, it is crucial to establish an accurate channel model to design and analyze the positioning system. To this end, the IEEE 802.15.4a standard working group has developed a statistical model for the propagation of UWB signals [13], relevant for the 3 – 10 GHz frequency band.

The channel model of the IEEE 802.15.4a standard is based on the Saleh-Valenzuela model [14]. This model begins with the physical realization that the rays arrive in clusters, i.e. each cluster consists of several rays. The cluster arrival times, or the arrival times of the first cluster rays, are modelled as a Poisson arrival process with a fixed rate  $\Lambda$ . Within each cluster, the subsequent rays also arrive according to a Poisson process with another fixed rate  $\lambda$ . Moreover, the amplitudes of the multiple trajectory follow a Rayleigh distribution, the phase angles are uniform and independent random variables, the power decreases exponentially with a time constant  $\Gamma$  for clusters and a constant  $\gamma_l$  in each cluster  $l$ , as shown in Figure 2.5.

Thus, the Channel Impulse Response (CIR) is expressed as

$$h(t) = \sum_{l=0}^L \sum_{k=0}^K \alpha_{k,l} e^{j\phi_{k,l}} \delta(t - T_l - \tau_{k,l}) \quad (2.2)$$

where  $\alpha_{k,l}$  is the channel gain coefficient of the  $k$ -th component in the  $l$ -th cluster,  $T_l$  is the delay of the  $l$ -th cluster, and  $\tau_{k,l}$  is the delay of the path  $k$  relative to the  $l$ -th cluster arrival time  $T_l$ . The phases  $\phi_{k,l}$  are uniformly distributed, i.e. for a bandpass system, the phase is considered as a random variable uniformly distributed in the range  $[0, 2\pi]$ .

The resulting model for the 3 – 10 GHz range is a generalized Saleh-Valenzuela (SV) model, in which the parameters are defined for indoor residential, indoor office, industrial,

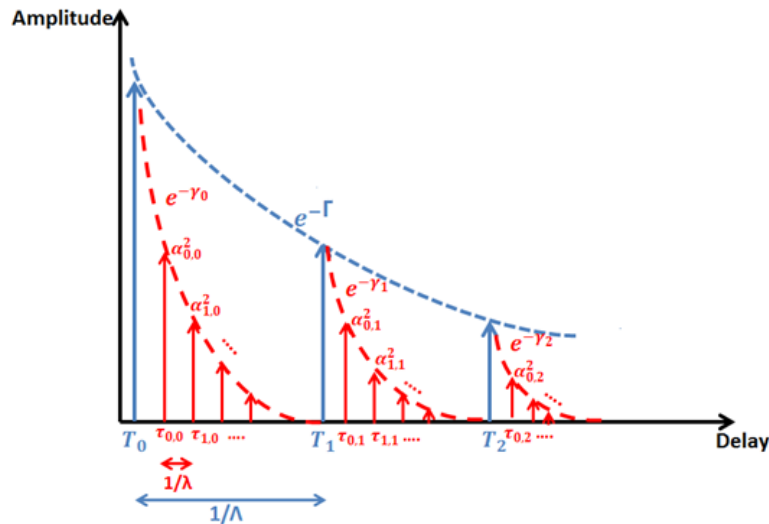


Figure 2.5 – Concept of the SV model.

outdoor and farm environments. For each one of these environments, LoS and NLoS are identified, except in farm environments, where only NLoS situations are considered as shown in Table 2.2. The models are based on measurement campaigns, excluding again the farm environment, which is based solely on simulations.

Table 2.2 – Environments of the IEEE propagation model for UWB signals

Channel	Description
CM1	Residential LoS
CM2	Residential NLoS
CM3	Office LoS
CM4	Office NLoS
CM5	Outdoor LoS
CM6	Outdoor NLoS
CM7	Industrial LoS
CM8	Industrial NLoS
CM9	Farm, Snow-Covered Open Area

## 2.3 Cramer-Rao Lower Bound for ToA estimation

The time of flight of a signal traveling from one node to another, also known as ToA, provides information about the distance between these two nodes, as explained in Chapter 1. Therefore, estimating this parameter is crucial for localization. To do so, it is possible to use probabilistic models to perform a statistical estimation that attempts to determine the value of the parameter of interest through observations over a set of samples associated

with the model under consideration. In the following, we will introduce some general notations and definitions about the estimation theory, then proceed to its application in the [ToA](#) estimation.

In general, if the true value of the parameter to be measured is  $\theta$ , its statistical estimate  $\hat{\theta}$  is derived as a function of a sequence of the process samples/realizations associated with  $\theta$ , i.e.

$$\hat{\theta}(X_1, X_2, \dots, X_n) \quad (2.3)$$

where  $\{X_1, X_2, \dots, X_n\}$  are independent real random variables.

Ideally, the average value of the estimator, aka its expectation, should be equal to the true value

$$\mathbb{E}_\theta[\hat{\theta}(X_1, X_2, \dots, X_n)] = \theta \quad (2.4)$$

Otherwise, the estimator has a bias,  $b(\theta)$ , and is considered to be biased

$$b(\theta) = \mathbb{E}_\theta[\hat{\theta}(X_1, X_2, \dots, X_n)] - \theta \quad (2.5)$$

The performance of an estimator can be measured according to different criteria; among the most commonly used, the mean square error  $MSE(\theta)$

$$MSE(\theta) = \mathbb{E}_\theta\left[\left(\hat{\theta}(X_1, X_2, \dots, X_n) - \theta\right)^2\right] \quad (2.6)$$

Therefore, the estimator is better when the error is low. Note that the  $MSE(\theta)$  of an unbiased estimator is equal to its variance

$$\begin{aligned} MSE(\theta) &= \mathbb{E}_\theta\left[\left(\hat{\theta}(X_1, X_2, \dots, X_n) - \mathbb{E}_\theta[\hat{\theta}(X_1, X_2, \dots, X_n)]\right)^2\right] \\ &= \text{Var}\left(\hat{\theta}(X_1, X_2, \dots, X_n)\right) \end{aligned} \quad (2.7)$$

An unbiased estimator with minimal variance is defined as one that has the minimal variance for any value of  $\theta$ . This minimum value or maximum possible accuracy can be calculated using [CRLB](#) [15]

$$MSE(\theta) = \text{Var}\left(\hat{\theta}(X_1, X_2, \dots, X_n)\right) \geq \text{CRLB} \quad (2.8)$$

The minimum variance estimator does not always exist. The Cramer-Rao bound can be used to evaluate the quality of an estimator by indicating whether or not it has a minimum

variance.

Back to the localization problem, and more precisely to the case of estimating the distance from the **ToA**. A first model considers only the received signal  $r(t)$  via the direct path (without multiple paths)

$$r(t) = \alpha \cdot s(t - \tau) + n(t) \quad (2.9)$$

where  $\tau$  is the **ToA**,  $\alpha$  is the gain of the channel,  $s(t)$  is a unit energy pulse and  $n(t)$  is a centered Gaussian noise with a spectral density equal to  $N_0/2$ .

The Cramer-Rao bound for the parameter  $\tau$  is given by [16]

$$\text{Var}[\hat{\tau}] \geq \frac{1}{8 \times \pi^2 \times \beta^2 \times \text{SNR}} \quad (2.10)$$

where  $\hat{\tau}$  is an unbiased estimator,  $\text{SNR} = \alpha^2 E_p / N_0$  is the signal to noise ratio,  $E_p$  is the mean received energy from  $s(t)$  and  $\beta$  is its effective bandwidth expressed as a function of the Fourier transform  $S(f)$  of the transmitted signal  $s(t)$

$$\beta = \sqrt{\frac{\int_{-\infty}^{+\infty} f^2 |S(f)|^2 df}{\int_{-\infty}^{+\infty} |S(f)|^2 df}} \quad (2.11)$$

This result shows that the accuracy of the **ToA** measurement can be improved by increasing the SNR and the effective bandwidth of the received signal. Therefore, **UWB** signals are particularly suitable for **ToA** measurement.

For multipath propagation, the above formula can be generalized if the received signals from the different paths do not overlap, i.e. the signals are separated by a larger width than the transmitted pulse  $\tau_p$

$$|\tau_{li} - \tau_{lj}| \geq \tau_p \quad \forall i \neq j \quad (2.12)$$

In this case, the signal model can be expressed as

$$r(t) = \sum_{l=1}^L \alpha_l \cdot s(t - \tau_l) + n(t) \quad (2.13)$$

where  $s(t - \tau_l)$  is a unit energy pulse,  $L$  is the number of paths,  $\alpha_l$  and  $\tau_l$  are the gains and the delays of these paths respectively, and  $n(t)$  is a centered Gaussian noise with a spectral density equal to  $N_0/2$ .

Then, the Cramer-Rao bound can be expressed for each path  $l$  characterized by its signal to noise ratio  $\text{SNR}_l = \alpha_l^2 E_p / N_0$  as [17]

$$CRLB[\hat{\tau}_i] = \frac{1}{8 \times \pi^2 \times \beta^2 \times SNR_i} \quad (2.14)$$

Figure 2.6 shows the CRLB variation in the ToA estimation as a function of the SNR for different bandwidths. For instance, the 1 GHz bandwidth signal has a standard deviation of 0.02 ns (0.3) cm for an SNR of 15 dB and 0.01 ns (0.19) cm at 20 dB. This variation becomes very small when the SNR exceeds 15 dB for any given bandwidth. For this reason, we decided in this work to fix the SNR between 15 and 20 dB.

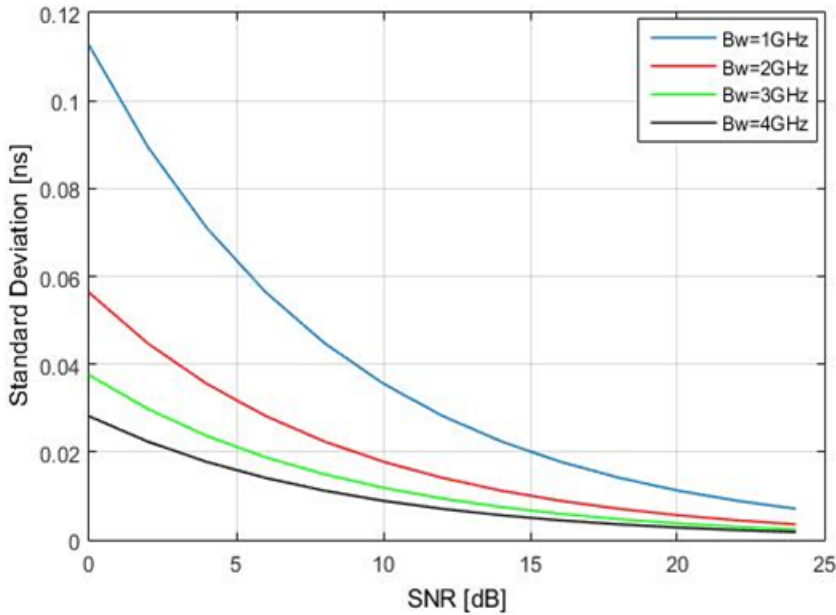


Figure 2.6 – Standard deviation for ToA estimation.

However, the CRLB yields a precision reference that is difficult to approach in practice. In the case of UWB signals, it is mandatory to sample at frequencies higher than the Nyquist frequency, thus involving several GHz. Furthermore, the bound is less accurate when the signal to noise ratio is low.

## 2.4 ToA Estimation Methods

The high temporal resolution of UWB signals allows a very accurate ToA estimation, as reflected in the Cramer-Rao lower bound. Hence, different approaches for UWB's estimated ToA are addressed in the literature. This section summarizes some of these approaches and provides the corresponding details in Appendix A if necessary.

### Optimization Techniques

In [18], the performance of two different position estimation methods based on ToA estimation of the UWB signal for a set of receivers/sensors is investigated. The first one is based on the direct calculation method which gives the exact solutions of a set of simultaneous equations, expressed as the range (distance) between the tag and sensor  $i$

$$\sqrt{(x - x_i)^2 + (y - y_i)^2 + (z - z_i)^2} = c.(t_i - t_0)^2 \quad i = 1, 2, 3, 4 \quad (2.15)$$

where  $c$  is the speed of light,  $t_i$  is the ToA at sensor  $i$ ,  $t_0$  is the transmit time at the tag and  $(x, y, z)$  and  $(x_i, y_i, z_i)$  are the coordinates of the tag and sensor  $i$ , respectively.

On the other hand, the second method examines classical non-linear optimization techniques, and more precisely the Davidon Fletcher-Powell (DFP) quasi-Newton algorithm. The optimal position is estimated by minimizing the objective function  $f(p)$  defined as the summation of the quadratic errors for all the sensors  $N$

$$f(p) = \sum_{i=1}^N \left[ \sqrt{(x - x_i)^2 + (y - y_i)^2 + (z - z_i)^2} - c.(t_i - t_0) \right]^2 \quad (2.16)$$

where  $p = [x, y, z, t_0]^T$  is the unknown vector of the position coordinates  $(x, y, z)$  and the transmission time  $t_0$  to be estimated.

### Multiple Hypothesis Testing System Model

In [19], the problem of distance estimation in a dense multipath environment is studied by applying a technique that relies on the analysis of the Power Delay Profile (PDP) of the received UWB signal and the theory of segmentation of non-stationary processes. Assuming that the ToA estimate for LoS is equivalent to locating the Break-Point (BP) in a stationary piecewise process characterized by different powers before and after BP, the BP detection is equivalent to the segmentation of non-stationary processes with abrupt changes as shown in Figure 2.7.

The objective is to estimate the BP from the measurements  $y = [y_0, \dots, y_{L-1}]$  according to the optimal classification rule derived from the Neyman-Pearson criterion and extended to several assumptions [20]. The null hypothesis  $H_0$  indicates that there is no change while  $H_n$  is the hypothesis of having the BP in the  $n$ -th sample.

### Matched Filter

In [21], an algorithm for accurately determining the ToA is presented using a combination of match filtering and peak search techniques. This technique aims to detect the direct path signal by searching the measurement results in the time domain for the first peak



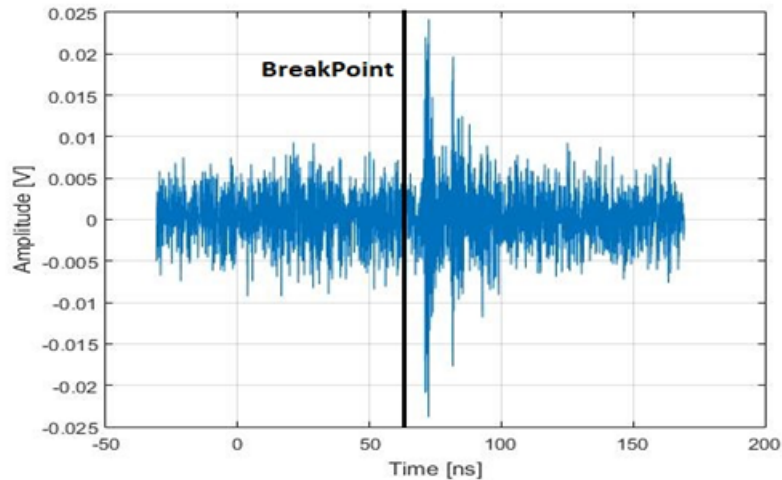


Figure 2.7 – Segmentation Process.

above a dynamic threshold. To do this, the received signal is multiplied by a template signal and then the first peak above the threshold is searched.

### Direct Sampling Receiver

In [22], the performance of Stored-Reference (SR), Transmitted-Reference (TR) and Energy Detection (ED) schemes based on ToA estimation techniques are analysed for IR-UWB systems using sub-Nyquist sampling rates. The collected signal at the receiver antenna passes through a Low Noise Amplifier (LNA) and a Band-Pass Filter (BPF). At this stage, any of the previous approaches (SR, TR or ED) can be used to collect energy. Then, the received signal can be sampled after correlation with a SR signal, after correlation with a TR signal, or after a square-law device as shown in Figure 2.8, Figure 2.9 and Figure 2.10, respectively. With the first method (SR signaling), optimal detection is envisaged, i.e. matched filtering. However, in order to have accurate timing and efficient energy capture, high sampling rates in the order of the Nyquist rate are required for SR scheme. On the other hand, both ED and TR schemes can efficiently capture the received energy without requiring the knowledge of the sampling time or the pulse shape (assuming specific delay lines for TR signal), even at sub-Nyquist sampling rates.

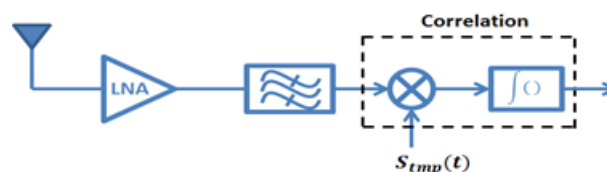


Figure 2.8 – Correlation with a Stored-Reference signal.

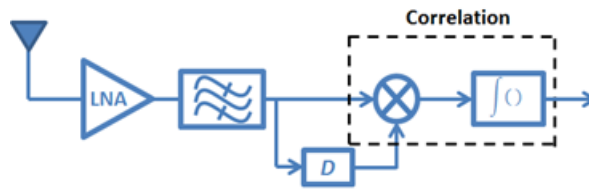


Figure 2.9 – Correlation with a Transmitted–Reference signal.



Figure 2.10 – Energy Detection.

The coarsest way to obtain a **ToA** estimate is the Maximum Energy Selection (**MES**) from the individual energy samples  $E_n$ , while neglecting the information from the neighboring samples, which yields the following

$$\hat{n}_{ToA} = \arg \max_n [E(n)] \quad n = 1, \dots, N \quad (2.17)$$

where  $N$  is the number of samples. However, the energy of neighboring multipath components can be exploited by dividing  $N$  into  $I$  windows of  $N_w$  samples, then combining the energy samples  $E_n$  within a window.

$$E_i^{N_w} = \sum_{n=1+iN_w}^{(i+1)N_w} E_n \quad i = 0, \dots, I \quad (2.18)$$

Therefore, the main block estimate  $\hat{n}_{ToA}$  using the Maximum Energy Sum Selection (**MESS**) scheme is given by

$$\hat{n}_{ToA} = \arg \max_i [E_i^{N_w}] \quad (2.19)$$

### Two-step TOA estimators

In [23], a two-step **ToA** estimation based on the Time Delayed Sampling and Correlation (**TDSC**) method for Transmitted Reference UWB (**TR-UWB**) signals is presented. A **TR-UWB** symbol  $d(t)$  consists of a pair of pulses  $g_1(t)$  and  $g_2(t)$ , referred to as a doublet, where  $g_1(t)$  is a reference pulse and  $g_2(t)$  is an information pulse delayed by a few seconds  $T_D$  with respect to the first one. The **TDSC** method uses a general structure similar to the one used in the delay and correlation receiver to detect **TR-UWB** signals.

In the coarse step, this method estimate  $\hat{\tau}_{ToAc}$  by relying on the sliding correlation over a symbol length to find a signal block where the direct path is enclosed.

In the fine step, the sliding correlation is finely evaluated over the signal block obtained by the coarse step to accurately estimate the starting point of the pulse  $\hat{\tau}_{ToAf}$ .

Finally, the absolute ToA estimate is the sum of the coarse and fine estimates

$$\hat{\tau}_{ToA} = \hat{\tau}_{ToAc} + \hat{\tau}_{ToAf} \quad (2.20)$$

In [24], strategies based on SR and ED are applied to estimate the ToA, using a signal that corresponds to the IEEE.802.15.4a standard. This signal is transmitted as a frame where each frame, of duration  $T_f$ , is divided into  $N_b$  blocks, each of duration  $T_b$ . These  $N_b$  blocks contain a total of  $N_c$  chips, each of a duration  $T_c$  ns.

The estimation is performed in two steps. In the first one, the frame is analyzed to find the higher energy block  $\hat{k}_b$ , using an energy detector. To ensure reliable decision variables in this step, the energy for each block is combined from  $N_1$  different frames of the received signal  $r(t)$ .

In the second step, the estimated block  $\hat{k}_b$  is analyzed to find the chip  $\hat{k}_c$  where the first signal path is located, by correlating the received signal with a shifted version of the template signal. In this process, the arrival time of the first signal path is estimated through a hypothesis test approach.

Finally, the ToA is obtained by

$$\hat{\tau}_{ToA} = \hat{k}_b T_b + \hat{k}_c T_c \quad (2.21)$$

## Dirty Templates

In [25], a blind timing acquisition algorithm for frame-level synchronization is developed. This algorithm is based on simple integrate-and-dump operations over one symbol duration to collect the available multipath diversity. Every symbol information of duration  $T_s$  consists of  $N_f$  frames, each of duration  $T_f$ , making  $T_s = N_f T_f$ . Each frame is then used to transmit an ultra-short pulse  $p(t)$  of duration  $T_p \ll T_f$ , as shown in Figure 2.11. To acquire timing with frame-level resolution, the product of two received waveforms for two adjacent symbols is computed for  $M$  symbols. Then, the estimated frame  $\hat{n}_f$  is obtained by searching for the maximum average value across the  $M/2$  pairs.

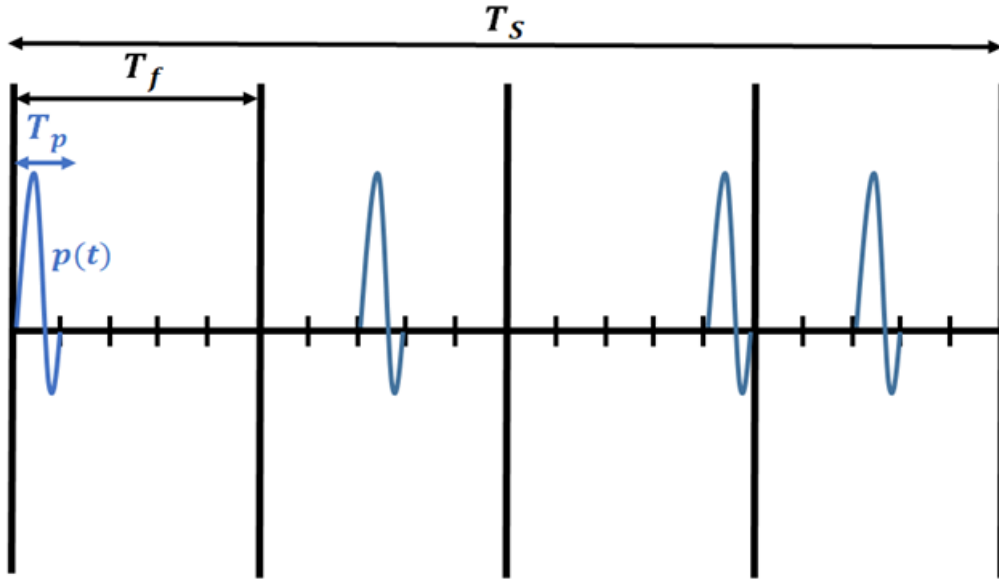


Figure 2.11 – Symbol Format.

### Energy Detection

In [26], various ToA estimation algorithms for UWB systems that use a low sampling rate and the energy detection method are analyzed. A symbol of the considered signal is composed of  $N_s$  frames. Each frame, of duration  $T_f$ , is used to transmit a pulse. In this scheme, the different users are separated through pseudo-random Time Hopping (TH) codes ( $C_j$ ). In order to estimate the ToA, each frame is divided into  $N_b$  blocks of duration  $T_b = \frac{3T_f}{2N_b}$  each. Next, the energy  $E_n$  in each block  $n \in \{1, \dots, N_b\}$  is calculated from the received signal  $r(t)$ . Finally, the energies  $E_n$  of the block  $n$ , calculated in the different  $N_s$  frames, are combined as follows

$$Z_n = \sum_{j=1}^{N_s} \int_{(j-1)T_f + (C_j + n - 1)T_b}^{(j-1)T_f + (C_j + n)T_b} |r(t)|^2 dt \quad (2.22)$$

For leading edge detection, basic ToA estimation algorithms such as MES algorithm, Threshold Comparison (TC) approach and Maximum Energy Selection with Search-Back (MES-SB) work with  $Z_n$  values.

Using MES, the ToA estimate corresponds to the center of the block  $n$  that contains the maximum energy  $Z_n$ .

$$\hat{\tau}_{MES} = \left( \arg \max_n \{Z_n\} - 0.5 \right) T_b = (n_{max} - 0.5) T_b \quad (2.23)$$

In TC approach, the obtained values  $Z_n$  are compared to an appropriate threshold  $\xi$ , and the center of the first block  $n$  that exceeds the threshold corresponds to the ToA estimate

$$\hat{\tau}_{TC} = \left( \min_n \left\{ \arg\{Z_n \geq \xi\} \right\} - 0.5 \right) T_b \quad (2.24)$$

where  $\xi$  is defined according to the received signal statistics. In addition, a normalized threshold  $\xi_{norm}$  can be used based on the minimum and maximum energy values.

$$\xi_{norm} = \frac{\xi - \min\{Z_n\}}{\max\{Z_n\} - \min\{Z_n\}} \quad (2.25)$$

The **MES-SB** is used to improve the performance of the TC approach when the **SNR** is low. In this method, once the maximum energy block is identified,  $w_{SB}$  blocks preceding it are searched. Note that  $w_{SB}$ , known as the search back window, is defined according to the channel statistics. The **ToA** estimate based on thresholding and backward search is then given by

$$\hat{\tau}_{MES-SB} = \left( \min_n \left\{ \arg\{\tilde{Z}_n \geq \xi\} \right\} - 0.5 + (n_{max} - w_{SB} - 1) \right) T_b \quad (2.26)$$

where  $\tilde{Z}_n = [Z_{n_{max}-w_{SB}}, Z_{n_{max}-w_{SB}-1}, \dots, Z_{n_{max}}]$  is a vector of the  $w_{SB}$  blocks.

Most of the algorithms mentioned above are based on the **ToA** estimate of the strongest path. For instance, the simplest technique is the one using Matching Filtering (**MF**) of the received signal, where the **ToA** estimate corresponds to the maximum of the **MF** output. However, since the strongest path is not necessarily the first arrival path in dense multipath channels, their **ToA** accuracy is limited.

To solve this problem, channel information techniques can be used, particularly Maximum Likelihood (**ML**) approaches that jointly estimate channel amplitude and arrival time. However, apart from the great complexity of this approach, the partial overlap of signal paths makes the channel estimation insoluble and therefore degrades the **ToA** estimation.

Similarly, in some algorithms, prior knowledge of the received pulse shape also adds limitations to the **ToA** estimate. Therefore, with the change in shape of the different multipath components, it is more difficult to adapt exactly to the received pulse shape.

Due to the above limitations, algorithms based on energy detection are proposed, where energy is collected after certain analog front-end processing. These algorithms do not require precise synchronization or pulse shapes, but rather need a strong signal at the detector input. This requirement is crucial since the **ToA** estimation is seen as a problem of detecting the leading edge of the signal, which can be erroneous when the noise power is higher than the signal power.

Therefore, even if it is theoretically possible to obtain very accurate ranging, the practical limitations of the above algorithms prevent the localization system from achieving the desired high resolution. At the same time, a trade-off between the required accuracy, resolution and complexity must be taken into account when developing a ToA estimation algorithm. To this end, our objective is to design a new algorithm of low complexity capable of outperforming current algorithms and thereby creating an ILS of higher resolution and accuracy.

## 2.5 Overview of the Proposed System

Our proposed ILS delivers the 2D position of an AT by estimating a distance  $d$  and an Azimuth angle  $\alpha$ , as shown in Figure 2.12. The system architecture will be described in detail in Chapter 3.

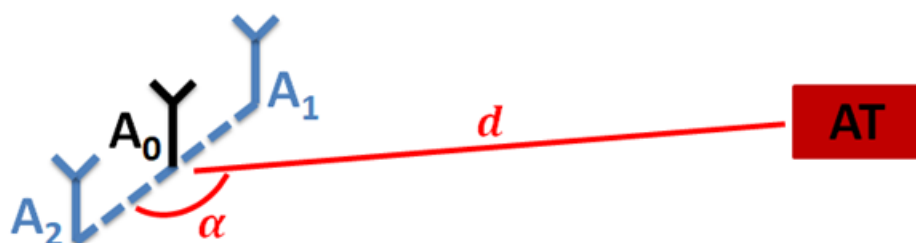


Figure 2.12 – AT Position Estimation.

The radial distance  $d$  is obtained by estimating the absolute ToA of the received signals on  $A_1$  and  $A_2$ . The azimuth angle  $\alpha$  is estimated by computing the TDoA between the two received signals on  $A_1$  and  $A_2$ .

To examine the performance of these two methods, we resort to a previous work on UWB radar system [27]. This system uses an impulse signal that generally covers the 3 – 5 GHz bandwidth, which is the lower part of the UWB spectrum. Using ultra-short pulses (nanoseconds) that generate a very large bandwidth confers it many advantages over other systems. They showed that this system could achieve a spatial resolution of about ten cm thanks to its large frequency bandwidth according to

$$R = \frac{c}{2Bw} \quad (2.27)$$

where  $R$  is the spatial resolution of the radar,  $c$  the speed of light, and  $Bw$  the frequency bandwidth.

For instance, for a frequency bandwidth of 2 GHz, the smallest distance that the UWB Radar system can detect is equal to 7.5 cm and the corresponding time of arrival is equal

to 0.25 ns.

Based on this result, we can conclude that both the above-mentioned **ToA** and **TDoA** estimation algorithms are unable to achieve a high resolution. Therefore, to improve distance and angular resolution, we propose a new algorithm that combines the Duplex **UWB** method to estimate  $d$  and the Phase Correlation (**PC**) method to determine  $\alpha$  through the estimation of the path difference.

### 2.5.1 Waveform

According to the **UWB**'s low rate standardization, the 3 – 4 GHz band is of interest to us. In the time domain, the used unit waveform typically corresponds to a cosine carrier modulated by a Gaussian pulse [28].

$$S(t) = A \cos(2\pi f_0 t) e^{-\left(\frac{t}{T_p}\right)^2} \quad (2.28)$$

where  $A$  is the amplitude of the signal,  $f_0$  the center frequency and  $T_p = \frac{1}{\zeta Bw \sqrt{2\pi}}$  with  $\zeta = 0.43$  defining the cutoff frequency at  $-3$  dB from the maximum of the power spectral density.

Figure 2.13 shows the used waveforms for a bandwidth frequency  $Bw$  of 1 GHz and 500 MHz and Figure 2.14 shows their corresponding spectrum.

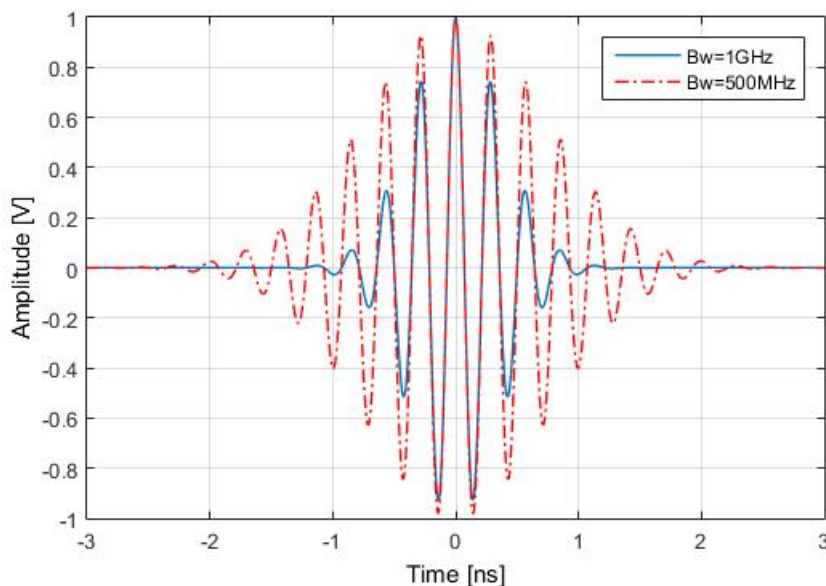


Figure 2.13 – Waveform shapes.

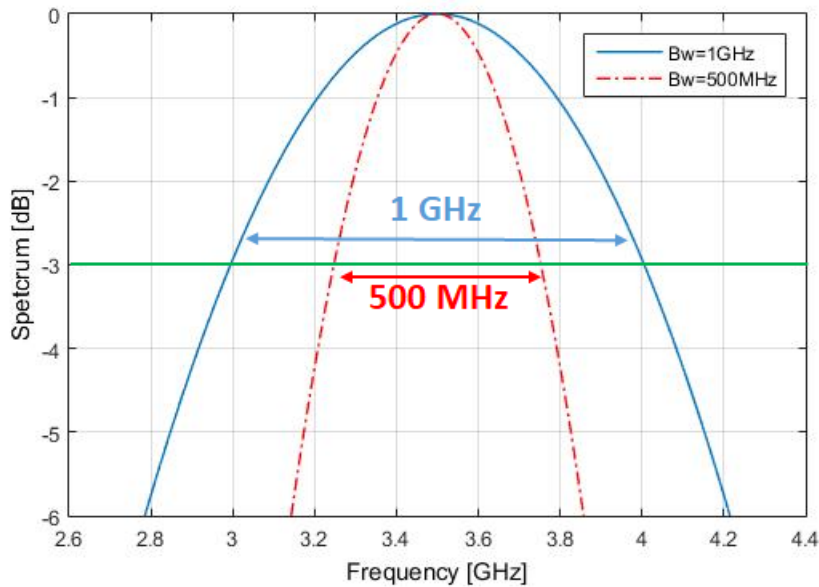


Figure 2.14 – Normalized spectrum.

## 2.6 Proposed Method for Distance Estimation

In the literature, one way to estimate the distance is through the duplex method [29,30]. This approach consists in transmitting two CW signals at different frequencies, such that the frequency difference  $\Delta f$  is small compared to the used frequency values. Consequently, the information about the distance at which the target is located can be obtained from the difference between the phase shifts of the two signals. Such systems were proposed to measure the range and radial velocity of moving targets, particularly in automotive applications. It is important to mention that the maximum distance in this system is affected by the frequency difference  $\Delta f$ . The major drawback of these solutions is that the accuracy is affected by the multipath channel environment even in LoS situation.

This method can be adjusted to give our system the ability to measure distances using UWB signal. Thus, instead of relying on two CW signals, we propose a new algorithm that uses two different cosine carriers modulated by a Gaussian pulse as a waveform to determine the distance at which a target is located.

### 2.6.1 Duplex UWB Method

The distance is estimated through the corresponding ToF of a signal, obtained by correlating the emitted signal with the received signals on both receiving chains. The correlation function being used is based on a Duplex UWB method.

This method estimates the distance by using the phase difference while sending two



pulses of equal width and two different center frequencies  $f_1$  and  $f_2$ , respectively.

Let  $U$  and  $V$  be defined according to Eq. (2.28) as the two emitted signals by the transmitting chain. Each signal is sent at different time and using distinct center frequency ( $f_1$  and  $f_2$ ) as shown in Figure 2.15.

$$U(t) = A \cos(2\pi f_1 t) e^{-\left(\frac{t}{T_p}\right)^2} \quad (2.29)$$

$$V(t) = A \cos(2\pi f_2 (t - t_s)) e^{-\left(\frac{t-t_s}{T_p}\right)^2} \quad (2.30)$$

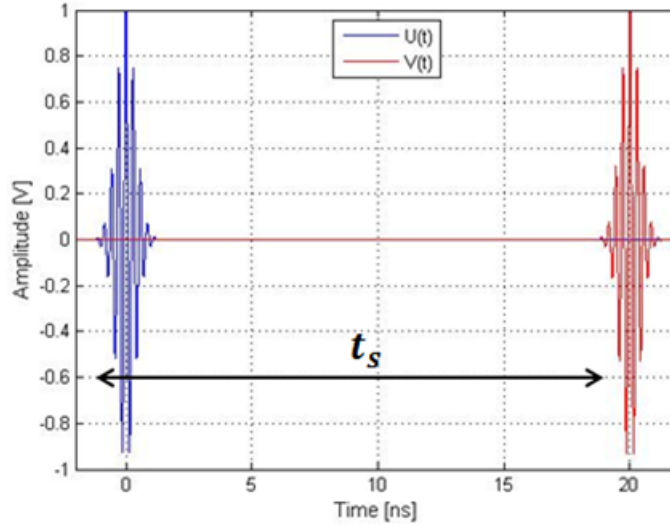


Figure 2.15 – Emitted signals at  $f_1$  and  $f_2$ .

where  $t_s$  is the starting time of the second emitted pulse.

Let  $U_i$  and  $V_i$  be the two received signals on the receiving chain  $i$  ( $i = 1, 2$ ), as shown in Figure 2.16. We assume that the channel is flat i.e. the channel remains constant during the transmission of the two pulses and that the deformation and distortion of these signals by the circuit components and the environment are exactly the same on both receiving chains. These assumptions are justified since  $f_1$  and  $f_2$  are very close and the distance between the two receiving antennas is much smaller than the distance  $d$ , to guarantee that the Plane Wave Condition (PWC) holds.

Therefore, these two pairs of received signals can be expressed as follows

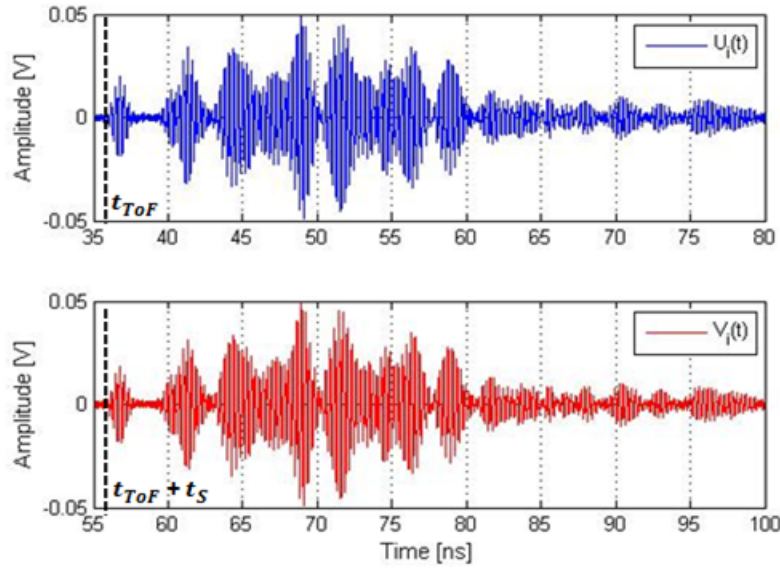


Figure 2.16 – Received signals at  $f_1$  and  $f_2$  on the receiving chain  $i$ .

$$\begin{cases} U_1(t) = A' \cos(2\pi f_1(t - t_{ToF}))e^{-\left(\frac{t-t_{ToF}}{T'}\right)^2} \\ V_1(t) = A' \cos(2\pi f_2(t - t_s - t_{ToF}))e^{-\left(\frac{t-t_s-t_{ToF}}{T'}\right)^2} \end{cases} \quad (2.31)$$

$$\begin{cases} U_2(t) = A' \cos(2\pi f_1(t - t_{ToF} - \Delta t))e^{-\left(\frac{t-t_{ToF}-\Delta t}{T'}\right)^2} \\ V_2(t) = A' \cos(2\pi f_2(t - t_s - t_{ToF} - \Delta t))e^{-\left(\frac{t-t_s-t_{ToF}-\Delta t}{T'}\right)^2} \end{cases} \quad (2.32)$$

where  $A'$  is the amplitude of the received signal,  $t_{ToF}$  the time of flight of the signal (round trip time),  $\Delta t$  the time difference between the two received signals on the two receiving chains and  $T'$  the duration of the distorted and broadened pulse.

The duplex **UWB** method follows the following step to estimate the distance

1. The first step consists in synchronizing all the signals by eliminating the known start time  $t_s$  from the pulses of frequency  $f_2$  (the synchronization of the emitted pulses is given in Figure 2.17 as an example and the same operation is performed on  $V_1$  and  $V_2$ ). Then, the signals of frequency  $f_1$  will be multiplied by the synchronized signals of frequency  $f_2$  on each transmitting/receiving chain as follows

$$U(t).V(t) = \frac{A^2}{2}e^{-2\left(\frac{t}{T_p}\right)^2} \cdot \left[ \cos(2\pi(f_2 + f_1)t) + \cos(2\pi(f_2 - f_1)t) \right] \quad (2.33)$$

$$U_1(t).V_1(t) = \frac{A'^2}{2}e^{-2\left(\frac{t-t_{ToF}}{T'}\right)^2} \cdot \left[ \cos(2\pi(f_2 + f_1)(t-t_{ToF})) + \cos(2\pi(f_2 - f_1)(t-t_{ToF})) \right] \quad (2.34)$$

$$U_2(t).V_2(t) = \frac{A'^2}{2} e^{-2\left(\frac{t-t_{ToF}-\Delta t}{T'}\right)^2} \left[ \cos\left(2\pi(f_2+f_1)(t-t_{ToF}-\Delta t)\right) + \cos\left(2\pi(f_2-f_1)(t-t_{ToF}-\Delta t)\right) \right] \quad (2.35)$$

Note that this multiplication can only be done if each pair of signals ( $U_i, V_i$ ) takes the same time to reach the receiver  $i$ .

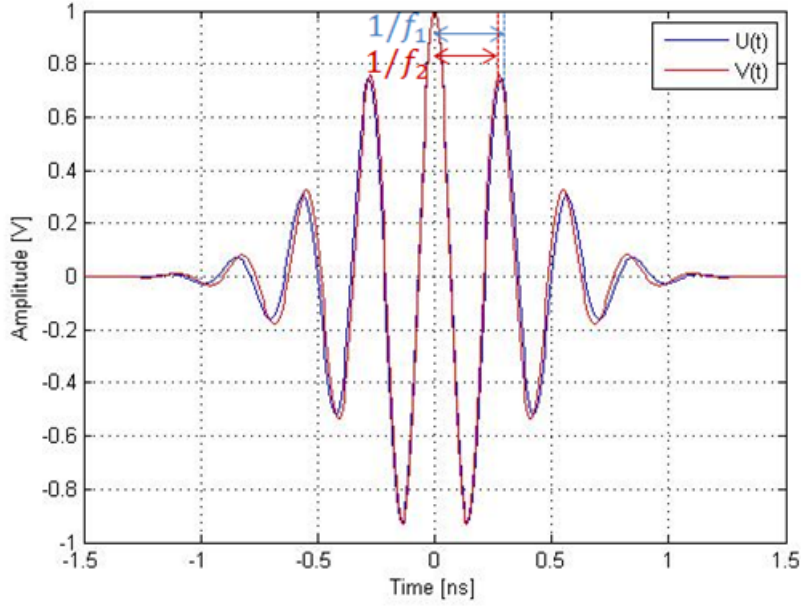


Figure 2.17 – Synchronized emitted signals.

As we can see in Eq. (2.33), (2.34) and (2.35), the resulting signals, shown in Figure 2.18 and Figure 2.19, have two center frequencies  $f_2 + f_1$  and  $f_2 - f_1$ . The second center frequency  $f_2 - f_1$  is of interest, since the maximum range of the system is higher when the center frequency is smaller.

2. Then, a low-pass filter is applied to all the pulses obtained above in order to extract the frequency  $f_2 - f_1$ . The resulting signals after filtering are expressed as follows

$$S(t) = \frac{A'^2}{2} e^{-2\left(\frac{t}{T_p}\right)^2} \cdot \cos\left(2\pi(f_2 - f_1)t\right) \quad (2.36)$$

$$S_1(t) = \frac{A'^2}{2} e^{-2\left(\frac{t-t_{ToF}}{T'}\right)^2} \cdot \cos\left(2\pi(f_2 - f_1)(t - t_{ToF})\right) \quad (2.37)$$

$$S_2(t) = \frac{A'^2}{2} e^{-2\left(\frac{t-t_{ToF}-\Delta t}{T'}\right)^2} \cdot \cos\left(2\pi(f_2 - f_1)(t - t_{ToF} - \Delta t)\right) \quad (2.38)$$

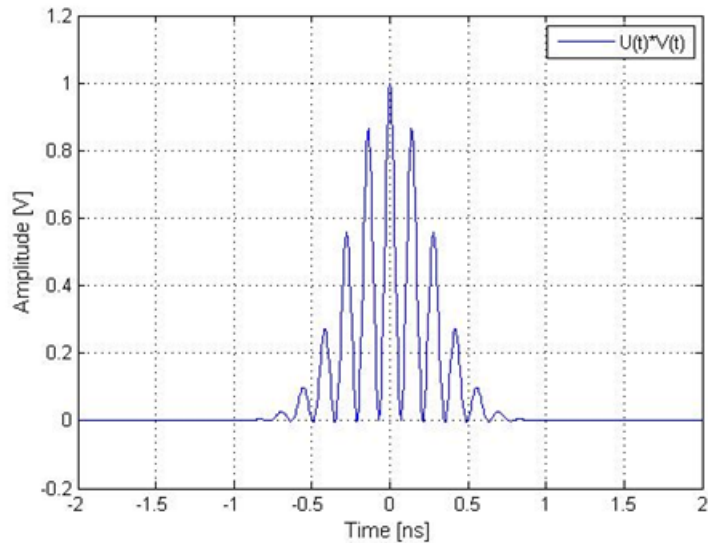


Figure 2.18 – Obtained emitted signal after multiplication of  $U$  and  $V$ .

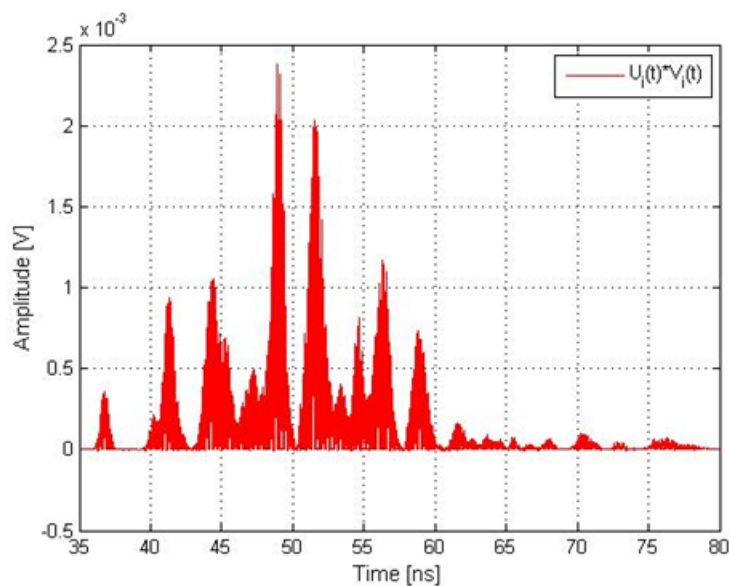


Figure 2.19 – Obtained received signal on the receiving chain  $i$  after multiplication of  $U_i$  and  $V_i$ .

where  $S(t)$  and  $S_i(t)$  ( $i = 1, 2$ ) are the pulses obtained at center frequency  $f_2 - f_1$  on the transmitting chain and the receiving chains  $i$ , as shown in Figure 2.20 and Figure 2.19, respectively.

3. Finally, the distance is estimated by detecting the direct path of each transmission represented by the first peak of  $S_1(t)$  and  $S_2(t)$ , respectively. The difference between the time corresponding to the peak of  $S(t)$  and the time corresponding to each above-

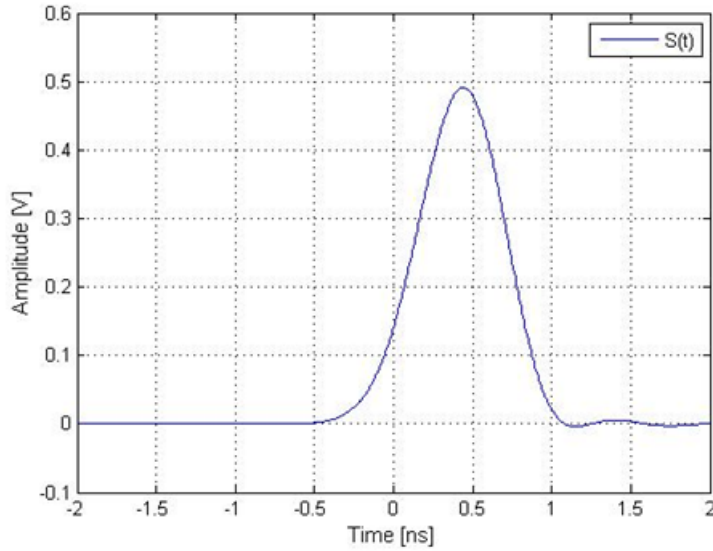


Figure 2.20 – Obtained emitted signal after filtering.

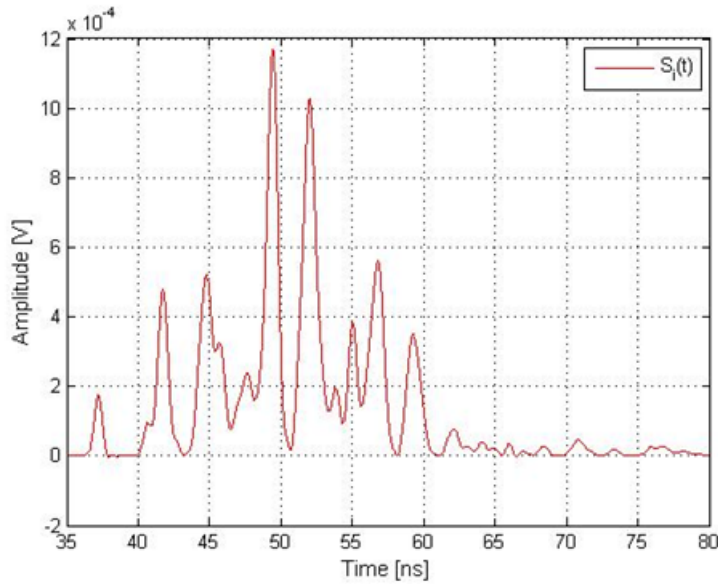


Figure 2.21 – Obtained received signal on the receiving chain  $i$  after filtering.

mentioned peak gives us  $t_{ToF}$  which is then used to find the distance according to

$$d = c \cdot \frac{t_{ToF}}{2} \quad (2.39)$$

Figure 2.22 shows the block diagram of the Duplex UWB method.

The duplex UWB method is based on the difference  $\Delta\varphi$  between the phase shifts of the two signals  $U$  and  $V$ . Therefore, to avoid the phase ambiguity,  $\Delta\varphi$  should respect the

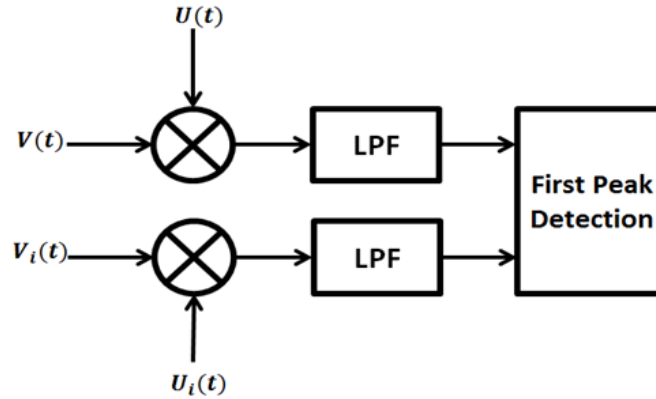


Figure 2.22 – Block diagram of the Duplex UWB method.

following constraint

$$\Delta\varphi = 2\pi(f_2 - f_1)t_{ToF} \leq 2\pi \quad (2.40)$$

Consequently, the maximum time of flight  $t_{ToF-max}$  that can be detected is given by

$$t_{ToF-max} = \frac{1}{\Delta f} \quad (2.41)$$

where  $\Delta f = f_2 - f_1$  is the difference between the two center frequencies  $f_1$  and  $f_2$ .

Finally, the maximum time of flight  $t_{ToF-max}$  is used to determine the maximum estimated distance  $d_{max}$  as follows

$$d_{max} = c \cdot \frac{t_{ToF-max}}{2} = \frac{c}{2\Delta f} \quad (2.42)$$

In our case where we selected  $f_1$  and  $f_2$  so that  $\Delta f = 50$  MHz, this method made it possible to estimate distances up to 3 m.

## 2.7 Proposed Method for Path Difference Estimation

Our goal now is to determine the azimuth angle  $\alpha$  through the estimation of the path difference. According to previous proposals, the smallest path difference that an UWB radar system can detect is 30 cm for a bandwidth 1 GHz. However, this resolution is considered small for future indoor applications.

Therefore, many approaches are proposed to improve the resolution without increasing the frequency bandwidth. Among them, we can mention the work of [31] in which the phase difference of a CW signal is exploited. As previously stated, this solution is constrained by the multipath channel environment that reduces its accuracy, even in LoS

situations.

To tackle this challenge, this method can be adapted to make our system capable of detecting smaller path difference using UWB signal instead of CW signals. The proposed algorithm is based on a phase correlation between the two received signals.

### 2.7.1 Phase Correlation Method

The path difference between two received signals is estimated through the corresponding time difference, obtained by correlating these two signals on the two receiving chains. The correlation function being used is based on a PC method.

Compared to the previous method, this one requires only one signal to estimate the path difference. Therefore, we have decided to select the lowest center frequency  $f_1$ , i.e.  $U_1$  and  $U_2$  defined in Eq. (2.31) and Eq. (2.32). This choice will be justified at the end of this section.

Recall that the deformation and distortion of these signals by the circuit components and the environment are exactly the same on both receiving chains. In the same equations (2.31) and (2.32),  $T'$  is greater than the duration of the emitted pulse ( $T' \gg T_p$ ) due to the distortion. In addition, the duration of the received pulse is much longer than the time difference ( $T' \gg \Delta t$ ) when the path difference is very small.

Figure 2.23 shows the parameters definition of the PC method applied to  $U_1$  and  $U_2$ .

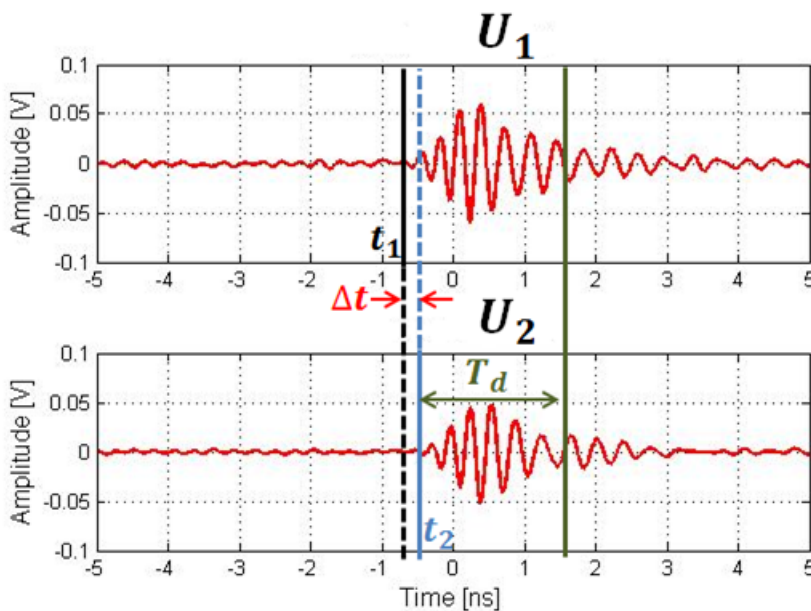


Figure 2.23 – Parameters definition.

The PC method proceeds as follows to estimate the path difference

1. The first step consists in determining the beginning of the received pulse;  $t_1$  and  $t_2$  which correspond respectively to the beginning of the impulse of  $U_1$  and  $U_2$ . To determine  $t_1$  and  $t_2$ , the signals are divided into  $N_b$  blocks of duration  $T_b$  each. Each block is shifted from the previous one by the duration  $\Delta_b$ , as shown in Figure 2.24. Therefore, the total interval time  $T$  of the recovered signal is expressed as follows

$$T = N_b T_b - (N_b - 1)(T_b - \Delta_b) \quad (2.43)$$

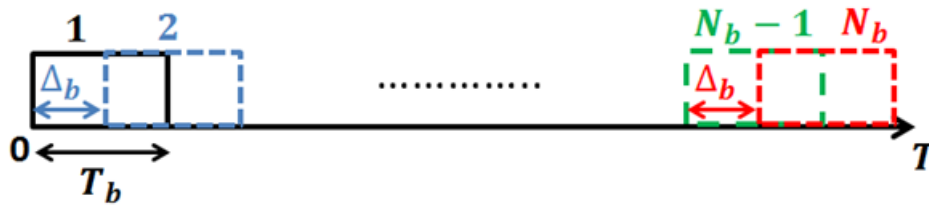


Figure 2.24 – ED signal decomposition.

In each block, the energy  $E_n^j$  of the received signal  $U_j$  is calculated

$$E_n^j = \sum_{i=(n-1).i_{\Delta_b}+1}^{(n-1).i_{\Delta_b}+i_{T_b}} U_j^2(i) \quad (2.44)$$

where  $j = 1, 2$  and  $1 \leq n \leq N_b$

$$\begin{cases} T_b = i_{T_b} \cdot T_e \\ \Delta_b = i_{\Delta_b} \cdot T_e \end{cases} \quad (2.45)$$

where  $T_e$  is the sampling time,  $i_{T_b}$  and  $i_{\Delta_b}$  represents the number of samples corresponding to the duration  $T_b$  and  $\Delta_b$  respectively.

Hence,  $t_j$  ( $j = 1, 2$ ) corresponds to the block that contains the maximum energy.

$$t_j = \max_n(E_n^j) \cdot \Delta_b \quad (2.46)$$

2. Then, a window of width  $T_d$  is defined as shown in Figure 2.23. The choice of  $T_d$  depends on certain parameters which will be discussed at the end of this section.
3. Finally, a correlation between the two signals is applied in the interval  $[t_1; t_2 + T_d]$ . The discrete cross-correlation function is given by the following expression.

$$C_p = \sum_{q=i_1}^{i_2+i_{T_d}} U_1(q) \cdot U_2(q-p) \quad (2.47)$$



with  $0 \leq p \leq 2(i_2 + i_{T_d} - i_1) + 1$

$$\begin{cases} t_j = t_0 + (i_j - 1)T_e \\ T_d = i_{T_d} \cdot T_e \end{cases} \quad (2.48)$$

where  $j = 1, 2$ ,  $T_e$  is the sampling time,  $t_0$  the sampling starting time,  $i_j$  corresponds to the pulse starting index of discrete signal  $U_j$  and  $i_{T_d}$  represents the number of samples corresponding to the window  $T_d$ .

Therefore, the analysis window  $T_w$  is given by

$$T_w = t_2 + T_d - t_1 \quad (2.49)$$

In the following, the cross-correlation function is detailed in the time domain for a small path difference. In this case, the analysis window  $T_w$  will be approximately equal to the window  $T_d$  defined in step 2 ( $T_w \approx T_d$ ).

By applying the cross-correlation function to the two received signals  $U_1(t)$  and  $U_2(t)$ , we obtain

$$C_{U_1 U_2}(\Delta t) = \frac{A'^2}{T_w} \int_0^{T_w} \underbrace{\cos(2\pi f_1 t')}_{f(t')} \cdot \cos[2\pi f_1 (t' - \Delta t)] \cdot \underbrace{e^{-\left(\frac{t'}{T'}\right)^2} \cdot e^{-\left(\frac{t' - \Delta t}{T'}\right)^2}}_{g(t')} dt' \quad (2.50)$$

where  $t' = t - t_{T_0F}$ .

By detailing the expression  $g(t')$  in Eq. (2.50), we obtain

$$g(t') = e^{-2\frac{t'^2}{T'^2} - \frac{\Delta t^2}{T'^2} + \frac{2t'\Delta t}{T'^2}} \quad (2.51)$$

For a small path difference case, we have  $\Delta t \ll T' \Rightarrow e^{-\frac{\Delta t^2}{T'^2} + \frac{2t'\Delta t}{T'^2}} \approx 1$ .

In addition, the analysis window  $T_w$  which is equal to  $T_d$  is chosen to be smaller than the duration of the broadened received signal  $T'$  as shown in Figure 2.25,  $T_w \ll T' \Rightarrow e^{-2\frac{t'^2}{T'^2}} \approx 1$ .

So, we can write  $g(t') \approx 1$ .

The expression  $f(t')$  in Eq. (2.50) can be detailed as follows

$$\begin{aligned} f(t') &= \cos(2\pi f_1 t') [\cos(2\pi f_1 t') \cdot \cos(2\pi f_1 \Delta t) + \sin(2\pi f_1 t') \cdot \sin(2\pi f_1 \Delta t)] \\ &= \cos(2\pi f_1 \Delta t) \cdot \cos^2(2\pi f_1 t') + \sin(2\pi f_1 \Delta t) \cdot \cos(2\pi f_1 t') \cdot \sin(2\pi f_1 t') \\ &= \cos(2\pi f_1 \Delta t) \cdot \frac{1 + \cos(4\pi f_1 t')}{2} + \sin(2\pi f_1 \Delta t) \cdot \frac{\sin(4\pi f_1 t')}{2} \end{aligned} \quad (2.52)$$

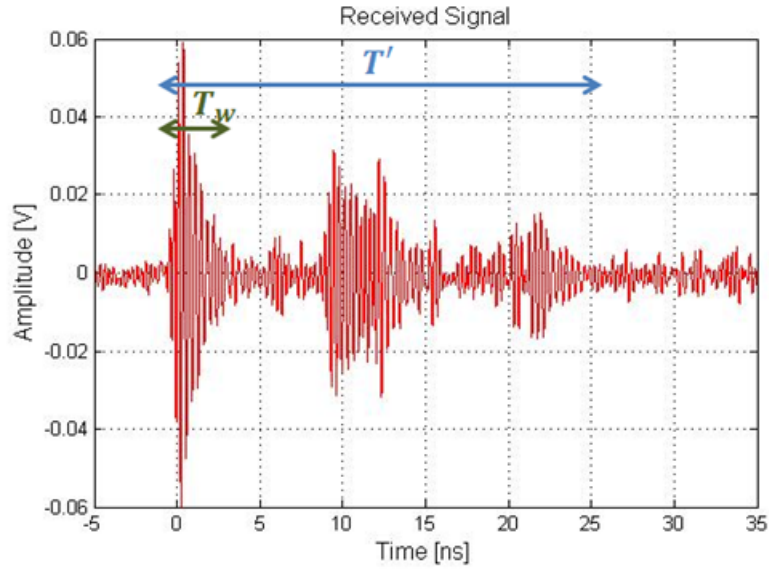


Figure 2.25 – Broadened received signal for each channel.

Integrating  $f(t')$  from Eq. (2.52) yields the following

$$\begin{aligned} \int_0^{T_w} f(t') dt' &= \cos(2\pi f_1 \Delta t) \left[ \frac{T_w}{2} + \frac{1}{8\pi f_1} \sin(4\pi f_1 T_w) \right] \\ &+ \sin(2\pi f_1 \Delta t) \cdot \frac{1}{8\pi f_1} [1 - \cos(4\pi f_1 T_w)] \end{aligned} \quad (2.53)$$

Assuming that  $T_w = \frac{a}{f_1}$  with  $a$  is an integer, Eq. (2.53) becomes

$$\int_0^{T_w} f(t') dt' = \frac{T_w}{2} \cos(2\pi f_1 \Delta t) \quad (2.54)$$

Therefore, the cross-correlation function in Eq. (2.50) will be expressed as follows

$$C_{u_1 u_2}(\Delta t) = \frac{A'^2}{2} \cos(2\pi f_1 \Delta t) \quad (2.55)$$

Eq. (2.55) is considered as the core of the PC method by linking it directly to the path difference through the time difference  $\Delta t$ .

Based on the above detailed calculation, the choice of the analysis window  $T_d$  in step 2 of the PC method has to satisfy several conditions:

1.  $T_d$  should be smaller than the duration of the broadened received signal  $T'$ , i.e.  $T_d \ll T'$ .
2.  $T_d$  should be a multiple of the center frequency  $f_1$ , i.e.  $T_d = \frac{a}{f_1}$ .
3.  $T_d$  should be larger or equal to the emitted pulse width  $T_p$ , i.e.  $T_d \geq T_p$ .

This method is based on a phase difference measurement given by  $2\pi f_1 \Delta t$ . The phase difference is also bounded here by  $2\pi$  ( $0 \leq \varphi_{f_1} \leq 2\pi$ ) to avoid again the phase ambiguity problem. This fact will impose limits on the maximum path difference  $Path - dif_{max}$  detected by the PC method

$$\varphi_{f_1} = 2\pi f_1 \Delta t \leq 2\pi \Rightarrow \Delta t \leq \frac{1}{f_1} \quad (2.56)$$

$$Path - dif_{max} = \frac{c}{f_1} \quad (2.57)$$

where  $c$  is the celerity of light.

From Eq. (2.57), we can see that increasing the frequency results in a lower  $Path - dif_{max}$ . For this reason, we selected the signals at  $f_1$  to apply the PC method. For instance,  $f_1 = 3.5$  GHz will make this method able of achieving a  $Path - dif_{max}$  of 8.6 cm.

## 2.8 Conclusion

In this chapter, UWB signals were defined and classified according to the FCC. Then, the UWB regulations and standards were presented, in particular the IEEE 802.15.4a standard and its channels used for localization systems. Moreover, the UWB indoor channel model based on the SV model was described where 9 environments of the IEEE propagation model (CM1, . . . , CM9) were identified.

In a second part, it was revealed that the performance of any estimator can be bounded using CRLB. Based on this inequality, the ToA estimation can provide the best accuracy of the position estimation for an UWB signal.

Thus, various ToA estimation algorithms were presented, such as direct calculation, PDP analysis, segmentation theory of non-stationary processes, matching filtering, time-delayed sampling and correlation, threshold comparison and energy detection. Despite their numerous advantages, these algorithms cannot achieve the desired resolution of the future ILS.

To overcome this problem and improve the resolution of the system, two methods were proposed to estimate the position of an AT given by its distance and Azimuth angle. The distance is estimated through the Duplex UWB method and the Azimuth angle is determined through the estimation of the path difference using the PC method.

Therefore, the Duplex UWB and PC methods have the potential to meet the UWB indoor localization system specifications in terms of accuracy and resolution. For this reason, we define in the next chapter the architecture of the desired UWB indoor localization

system capable of achieving high resolution in distance and angle measurements using the Duplex [UWB](#) and [PC](#) methods.

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## Chapter 3

# Proposed UWB System for accurate Indoor Localization

### 3.1 Introduction

Most of today's **UWB** systems used for indoor localization rely on devices only capable of measuring the relative distance between two nodes [1]. Like **GPS**, these systems use multilateration techniques to find the position of a target [2] in which 2D positioning requires at least three anchors. To do this, the distances between each anchor and the target are first calculated. These distances which together form a cluster will then be shared between all the anchors. Finally, trilateration techniques can be applied to locate the target using the aforementioned cluster in conjunction with the various anchors. However, apart from the prior knowledge of at least three anchors, the position estimation also requires a good synchronization between the different anchors. Therefore, anchor clock drifts, **RF** and **ADC** front-end delays and their long-term variations are the main factors limiting the performance of these systems. In addition, these systems do not perform well in the **NLoS** environment due to the complete difference between the time taken by the **NLoS** and **LoS** signals. For example, when an anchor point is not in the **LoS**, a signal penetration into an obstacle of about 1 ns can introduce 30 cm of error in the estimation of the radial distance. In addition, reliability is relatively low because the estimation of a single position requires at least three anchors, and if a measurement fails, no position can be estimated. The use of more nodes improves reliability but increases the complexity and cost of the system.

To overcome these limitations, another approach is adopted in this work by combining distance and angle measurements. This combination allows a single anchor to determine the 2D position of the tag from a single measurement. The main contribution of this work is to demonstrate that an **UWB** Indoor localization system using a single anchor is capable of achieving accurate and reliable performance.

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This work is a continuation of the one developed by R. Kumar [3] in which a FMCW signal is replaced by an UWB signal with the objective of implementing a tracking system that can provide real-time 2D location of active transponders or tags. Compared to current systems, the developed ILS uses a hybrid technique combining both Duplex UWB and PC methods, which makes it less complex while achieving high resolution with good accuracy (in the order of a few centimeters). The localization is done in polar coordinates (distance and azimuth angle), where the radial distance between the tag and the LBS is estimated through the Duplex UWB method and the angle of arrival of the signals coming from the tag is calculated through the PC method.

This chapter is dedicated to describe the developed UWB ILS. In Section 3.2, the topology of the developed UWB ILS along with the localization method are introduced. In Section 3.3, UWB hardware along with a detailed description of the various components, the antennas design and their characteristics are presented. The initial validation of the developed method is presented in Section 3.4 through experimental results, followed by a discussion of the main constraints related to the developed system in Section 3.5. The link budget of the realized UWB ILS is presented in Section 3.6. Finally, the chapter ends with a conclusion in Section 3.7.

## 3.2 Localization System Architecture

### 3.2.1 2D Localization System Conception

The presented 2D ILS shown in Figure 3.1 has two main components, a LBS and an AT.

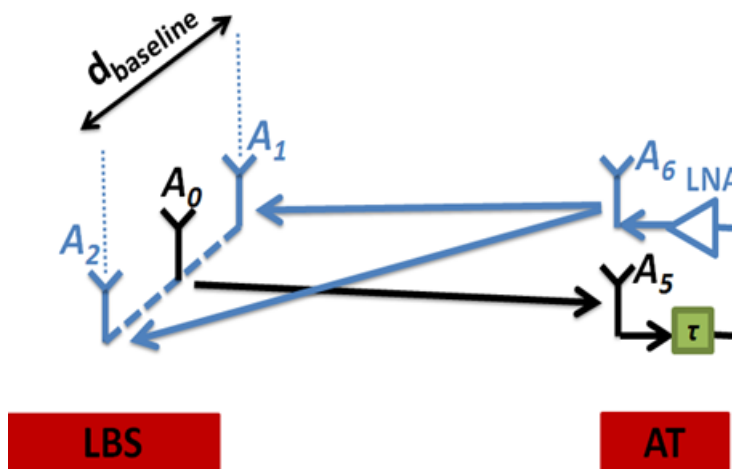


Figure 3.1 – Architecture of the localization system.

The **LBS** acts as a fixed base station to locate the **AT**. The purpose of selecting an **AT** over a passive one is its capability to provide a wide range and the best solution for applications requiring continuous real-time monitoring. The 2D **LBS** architecture has one **RF** transmitter chain and two **RF** receiver chains, each connected to its own antenna,  $A_0$  for the transmitter chain,  $A_1$  and  $A_2$  for the two receiver chains respectively. The antennas are placed on the same axis.  $A_0$  is kept at the origin of the dashed axis, in the center of the baseline ( $d_{baseline}$ ) formed by the antennas  $A_1$  and  $A_2$ .

The **AT** architecture is composed of two antennas,  $A_5$  as receiver antenna and  $A_6$  as transmitter antenna. Both antennas are connected via a **LNA** and a delay line  $\tau$ . The **AT** is used as an active transponder. The main reason for using a known delay  $\tau$  is to exclude the effects of:

- **Environmental backscattering:** In general, scattered signals from the surrounding indoor environment (clutter, object,  $\dots$ ) are inevitably present and superimposed on the intended signal, as shown in Figure 3.2. This fact makes the detection of the intended signal at the **LBS** a major issue in an indoor environment.
- **Antenna coupling:** Signals from other nearby antennas, referred to as antenna coupling also affects the intended signal. In our case, it is the coupling between the receiving antennas ( $A_1$  and  $A_2$ ) and the transmitting antenna ( $A_0$ ).

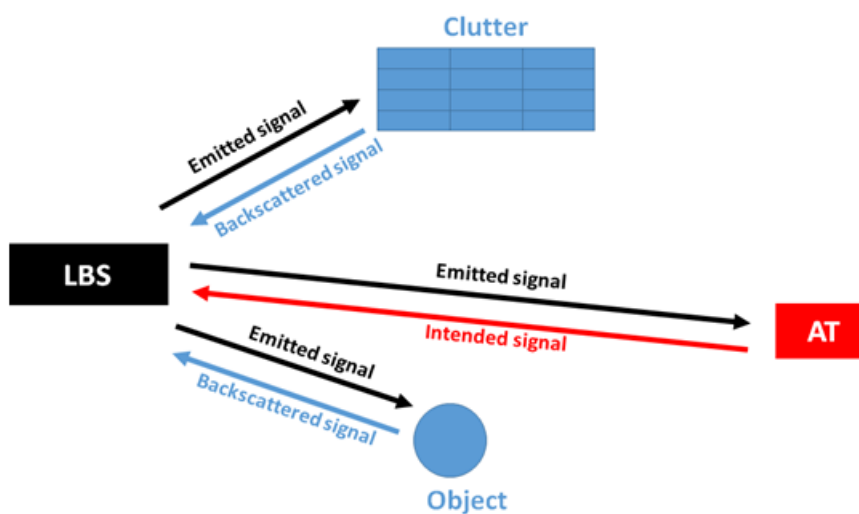


Figure 3.2 – Backscattered signals of an indoor environment.

In order to overcome these two effects, the observation window is shifted by adding a delay  $\tau$  at the **AT** side. In this way, the useful signals will be deliberately delayed and therefore will have different time of arrival with respect to the spurious signals caused by backscattering and coupling effects, as shown in Figure 3.3. The effect of this delay is compensated during the processing phase by also applying it to the transmitted signal.

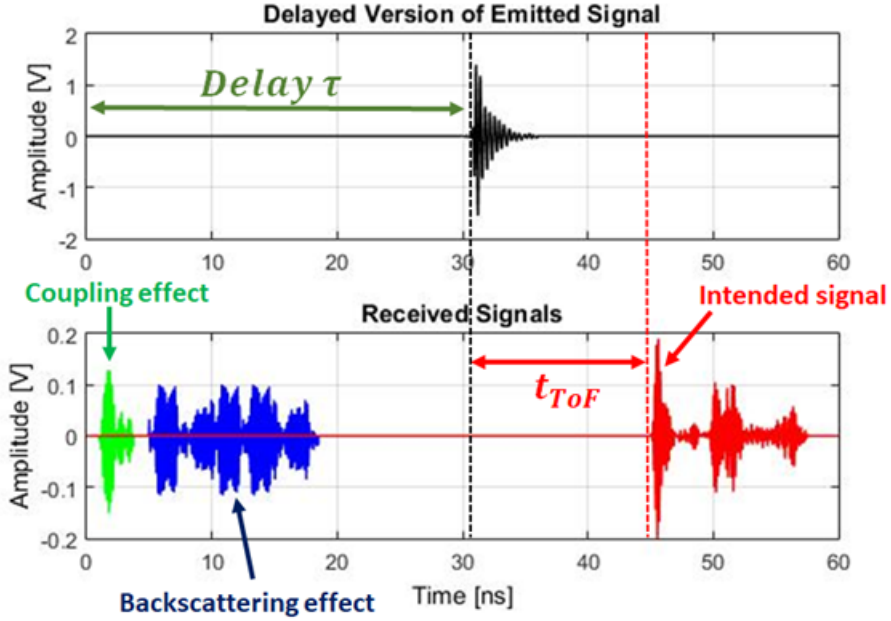


Figure 3.3 – Received signals at LBS.

To sum up, the known delay  $\tau$  is used to segregate the intended signal at the LBS from the backscattered signals of an indoor environment and the parasitic signals of the antenna coupling. The same approach is used in the ground stations of DME systems dedicated for the aerial navigation [5,6], where the ground transponder replies with the same type pulse pair transmitted by the interrogator after adding a time delay of  $50 \mu\text{s}$ .

The choice of  $\tau$  depends on the desired maximal range. In this work,  $\tau$  is chosen to be longer than the time needed for a round trip flight of the wave corresponding to the chosen maximum range. The choice of the maximum range will be discussed in the Section 3.5.3.

### 3.2.2 Proposed Localization Method

The proposed localization method is based on a jointly range -or radial distance - and angular measurement. The setup of the 2D architecture for the localization technique is shown in Figure 3.4.

Assuming that the total delay  $\tau'$  (delay  $\tau$  + cumulative delay of the different components) in the tag, between  $A_5$  and  $A_6$ , is known, the radial distance  $d$  is obtained by estimating the absolute time of arrival of the received signals on  $A_1$  and  $A_2$ . The azimuth angle  $\alpha$  can be estimated by computing the time difference of arrival between the two received signals ( $U_1$  and  $U_2$ ) at the LBS side.

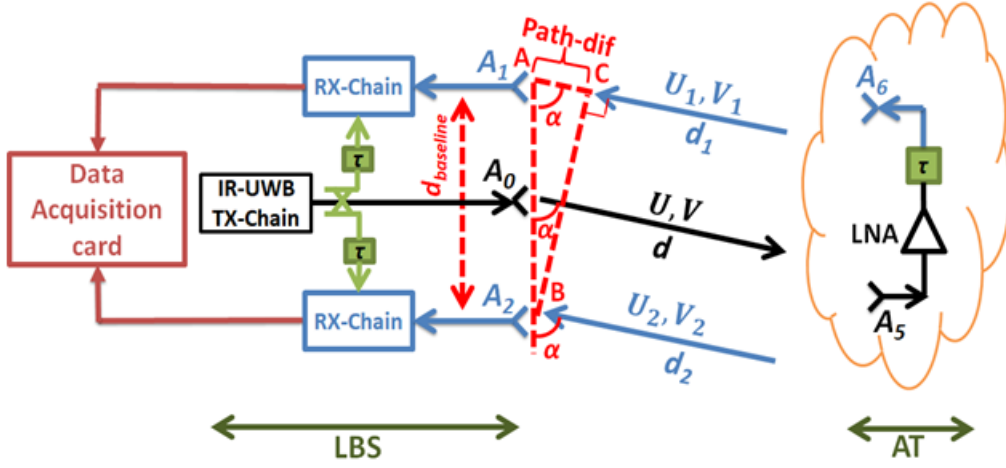


Figure 3.4 – Localization technique.

Two **UWB** pulses  $U$  and  $V$  of equal width and at center frequencies  $f_1$  and  $f_2$  ( $f_1 < f_2$ ), respectively, are transmitted through the front end antenna  $A_0$  at different times. We assume that the channel is flat i.e. the channel remains constant during the transmission of the two pulses ( $f_1$  and  $f_2$  are very close and  $d_{baseline} \ll d$ ). At the tag side, these signals are received by the antenna  $A_5$  and a delay  $\tau$  is applied to each one of them. Next, these signals are transmitted by the antenna  $A_6$  back to the **LBS**. Let, the received signals  $U_i$  and  $V_i$  reach  $A_i$  with time-of-flight equal to  $T_i$ , for  $i \in \{1, 2\}$ .

The time-of-flight  $T_i$  corresponds to the propagation time after removing  $\tau'$ . As shown in Section 2.6.1, the time of flight  $T_i$  can be obtained by applying the Duplex **UWB** method between the received pair of signals  $(U_i, V_i)$  and a delayed version (with the same delay  $\tau$ ) of the transmitted signals  $(U, V)$  for  $i \in \{1, 2\}$ . In this way, the delay imposed in the tag is compensated and at the same time, the effects of natural backscattering of the environment are overcome. Therefore,  $T_i$  can be derived directly from the phase difference  $\Delta\varphi_i$  and can be expressed as follows

$$T_i = \frac{\Delta\varphi_i}{2\pi(f_2 - f_1)} \quad (3.1)$$

Where  $f_1$  and  $f_2$  are the center frequencies of the signals  $(U, U_1, U_2)$  and  $(V, V_1, V_2)$ , respectively.

Consequently, the radial-distances  $d_i$  are obtained as

$$d_i = \frac{cT_i}{2} \quad i \in \{1, 2\} \quad (3.2)$$

where  $c$  is the speed of light.

The radial distance  $d$ , between  $A_0$  and the **AT**, is the average value of  $d_1$  and  $d_2$

$$d = \frac{d_1 + d_2}{2} \quad (3.3)$$

Nevertheless, the angle estimation does not require two signals with two different center frequencies, so we have chosen the received signals with the lowest center frequency  $f_1$ , i.e.  $U_1$  and  $U_2$ .

The separation of the two receiving antennas  $A_1$  and  $A_2$  by  $d_{baseline}$  creates a time difference  $\Delta t = T_2 - T_1$  between two independent incoming signals ( $U_1$  and  $U_2$ ) which, in turn, gives the path difference (Path-dif). This assumption is valid for a plane waves if the radial-distance  $d$  remains relatively larger than the  $d_{baseline}$  [3].

$\Delta t$  can be obtained from the phase  $\varphi_{f_1}$  which is the result of applying the **PC** method, detailed in Section 2.7.1, between the two received signals  $U_1$  and  $U_2$  on the two receiving chains. It can be expressed as follows

$$\Delta t = \frac{\varphi_{f_1}}{2\pi f_1} \quad (3.4)$$

Consequently, the path-dif can be expressed as

$$Path - dif = c.\Delta t \quad (3.5)$$

On the other hand, for  $U_1$  and  $U_2$  being two plane waves, the Path-dif between these two parallel independent incoming signals at an angle  $\alpha$  with the baseline, is given by the base-length (AC) of the right-angle triangle ABC in Figure 3.4 and can thus be expressed as

$$Path - dif = d_{baseline} \cdot \cos(\alpha) \quad (3.6)$$

Finally, the Azimuth angle  $\alpha$  is obtained from Eq. (3.5) and Eq. (3.6) as follows

$$\alpha = \cos^{-1}\left(\frac{c.\Delta t}{d_{baseline}}\right) \quad 0^\circ < \alpha < 180^\circ \quad (3.7)$$

In the sequel, the **UWB** hardware used to build and test the proposed system is described.

### 3.3 UWB Hardware

In this section, a detailed specification of each component is provided for the transmitter chain, the **AT** and the receiver chains.

### 3.3.1 Transmitter Chain

The block diagram of the transmitter chain is shown in Figure 3.5. A squared signal generator is connected to an impulse generator. This generator consists of a Step Recovery Diode (SRD) and a short-circuited stub line, as shown in Figure 3.6.

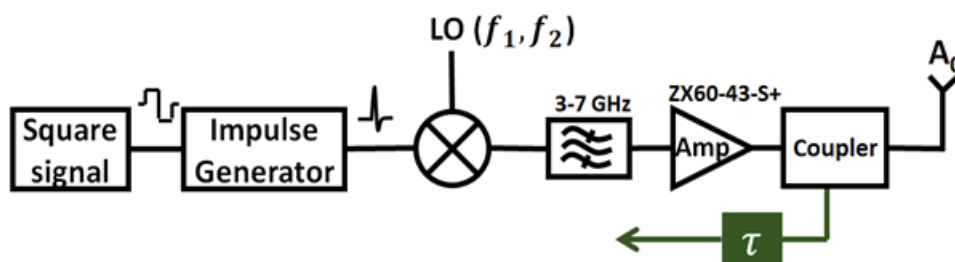


Figure 3.5 – Transmitter chain.

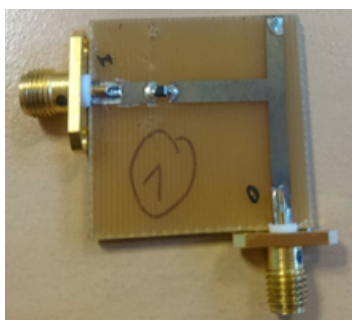


Figure 3.6 – Impulse generator.

The obtained pulse at the impulse generator output, shown in Figure 3.7, is fed to a Local Oscillator (LO) used with a mixer (Mini-circuits ZX05-C42+) [7] in order to create two pulses at two different center frequencies  $f_1$  and  $f_2$ . Next, the UWB pulses are filtered by a BPF (3 – 7 GHz) (Mini-Circuits 15542) and then amplified by an LNA (Mini-Circuits ZX60-43-S+). Finally, the signals, shown in Figure 3.8 pass through a coupler before being transmitted by the circular polarized antenna  $A_0$ . A delay  $\tau$  is applied on the second output of the coupler to obtain a delayed version of the transmitted signal. This step is mainly undertaken to compensate for the same delay  $\tau$  imposed in the AT and is only used during processing.

Now, the characterization of different components of the transmitter chain is presented.

#### Band-Pass Filter 3 – 7 GHz

The available BPF 3 – 7 GHz Mini-Circuits is shown in Figure 3.9.



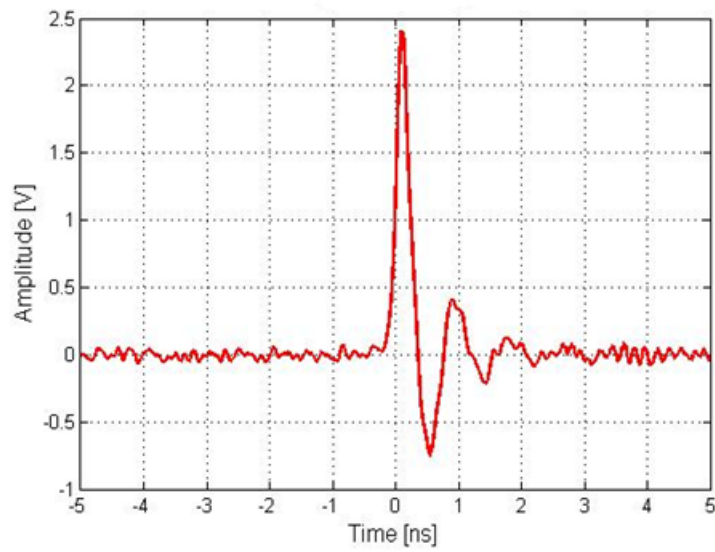


Figure 3.7 – UWB pulse at the impulse generator output.

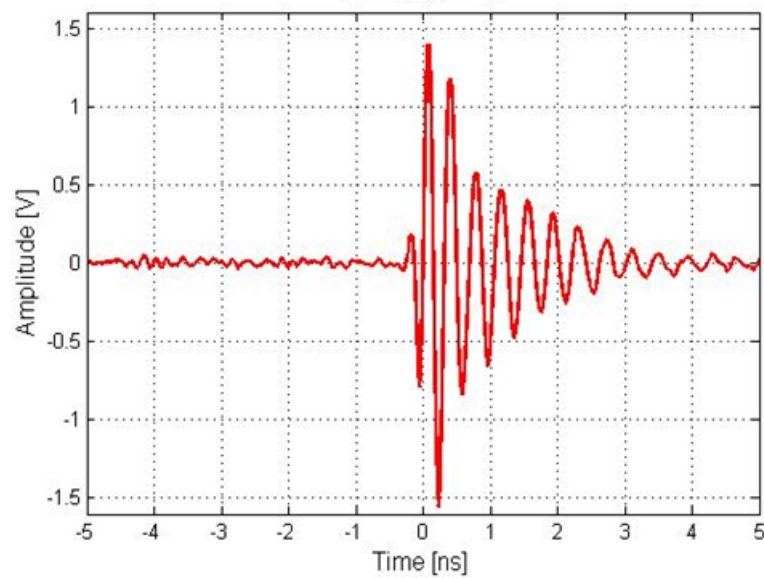


Figure 3.8 – The pulse at the input of antenna  $A_0$ .



Figure 3.9 – BPF 3 – 7 GHz.

As shown in Figure 3.10, the measured Insertion Loss (IL) (absolute value of  $S_{21}$ ) is 0.7 dB and the measured Return Loss (RL) (absolute value of  $S_{11}$ ) is greater than 8 dB. The BPF 3 – 7 GHz has an almost flat response in the considered bandwidth. The performance of this filter is summarized in Table 3.1.

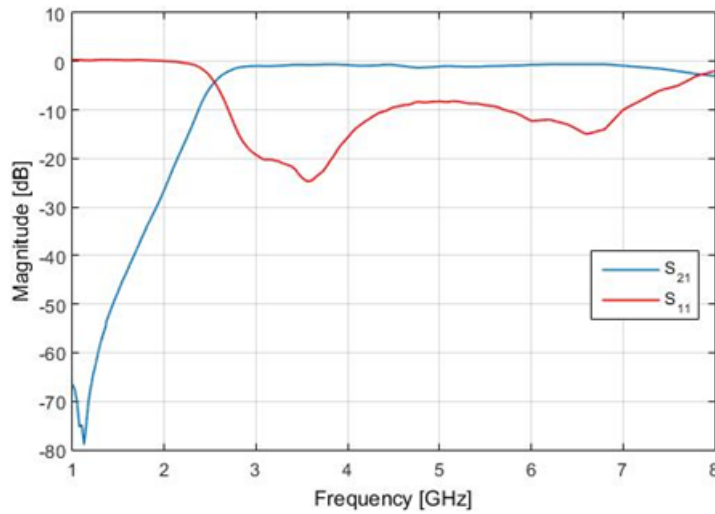


Figure 3.10 – BPF 3 – 7 GHz characterization.

Table 3.1 – Filter specifications

Specification	BPF mini-Circuits
Pass Band	3-7 GHz
IL	0.7 dB
RL	>8 dB

### Amplifier ZX60-43-S+

The amplifier ZX60-43-S+ from mini-circuits and its measured gain are shown in Figure 3.11 and Figure 3.12, respectively. The maximum observed gain at 3.5 GHz is 15 dB. The input saturation level is  $-5$  dBm with a noise factor of 5.6 dB. The performance of this amplifier is summarized in Table 3.2.

Table 3.2 – Amplifier specifications at 3.5 GHz

Specification	ZX60-43-S+
Gain	15 dB
Input Saturation IP1	-5 dBm

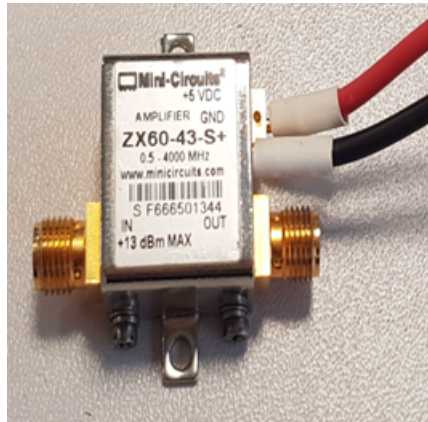


Figure 3.11 – Amplifier ZX60-43-S+.

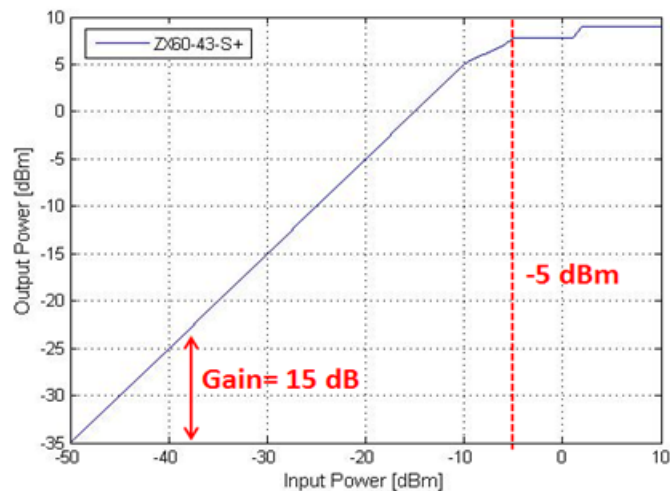


Figure 3.12 – ZX60-43-S+ Gain.

### Coupler

The available Narda coupler shown in Figure 3.13 is used in the transmitter chain to extract the reference signal for processing.

As shown in Figure 3.14 and Figure 3.15, the **IL** is 0.2 dB between the input and output ports, while it is 16 dB between the input port and -16 dB coupled port. The **RL** is greater than 20 dB in 3 – 4 GHz band. The performance of this coupler is listed in Table 3.3.

Table 3.3 – Coupler Specifications

Specification	Input/output ports	Input/-16 dB ports
<b>IL</b>	0.2 dB	16 dB
<b>RL</b>	> 20 dB	> 20 dB



Figure 3.13 – Coupler.

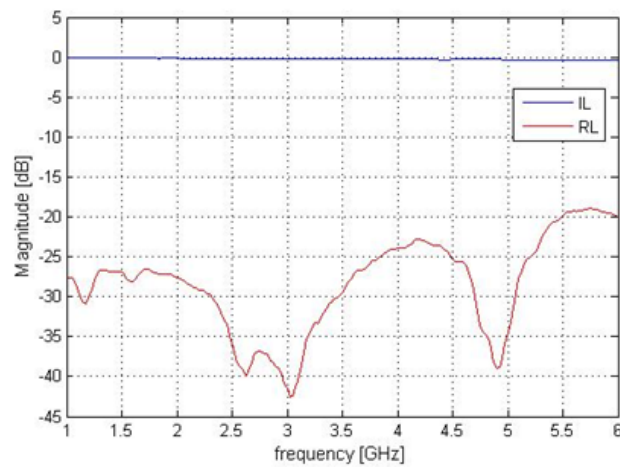


Figure 3.14 – Input/output ports characterization.

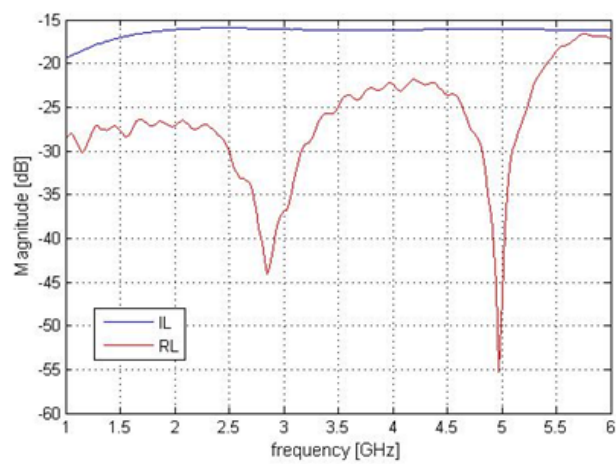


Figure 3.15 – Input/-16 dB ports characterization.

### Circular Polarized Antenna

Generally speaking, an antenna can be circularly polarized in 2 different ways: Right Hand Circular Polarization (RHCP) and Left Hand Circular Polarization (LHCP). In both cases, the electric field rotates in a perpendicular plane to the wave direction. For this reason, the circular polarization wave can penetrate an indoor environment more easily and thus offers more opportunities for good reception. Moreover, using a different polarization scheme, i.e. LHCP in transmission and RHCP in reception and vice versa, can help in mitigating the signal's interference effects.

Consequently, the circular polarized antenna is a convenient choice for our ILS. The antenna is designed according to [8] and operates in the upper UWB frequency range between 7 and 10 GHz. An optimization phase using Computer Simulation Technology (CST) was therefore necessary to adapt the antenna to the frequency band of interest 3 – 4 GHz. The simulated design is printed on an FR4 substrate with a thickness of 1.58 mm, a relative permittivity ( $\epsilon_r$ ) of 4.2 and a tangent loss ( $\tan\delta$ ) of 0.01. The overall size of the antenna is  $80 \times 50 \times 1.58$  mm. As shown in Figure 3.16, the two symmetrical quasi-spiral arms are located separately on the upper (RHCP) and lower (LHCP) layers of the substrate. The obtained result has a good RL (more than 10 dB) in the desired frequency band of 3 – 4 GHz, as shown in Figure 3.17.

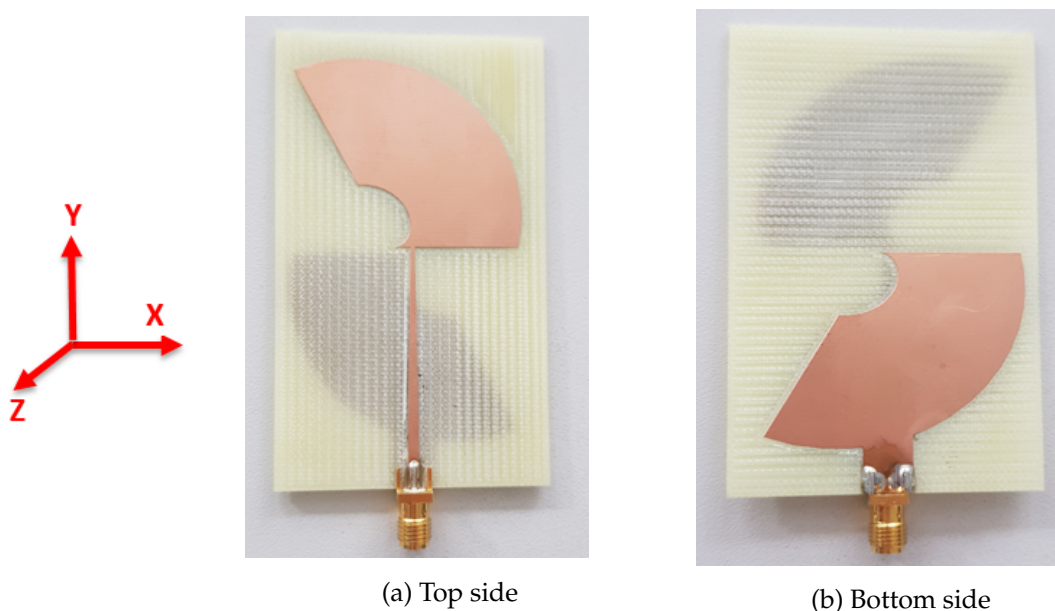


Figure 3.16 – Circular polarized antenna

The characterization of the optimized antenna was then performed in an anechoic chamber using LINDGREN 3117 Horn as the reference antenna to determine the gain, the radiation pattern and the axial ratio used to quantify the circular polarization. The simulated and measured total gains are illustrated in Figure 3.18. In the 3 – 4 GHz band, the

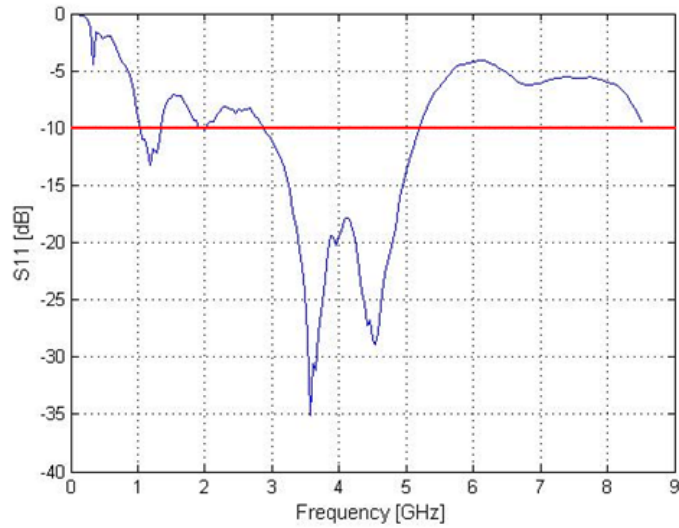


Figure 3.17 – Reflection coefficient of circular polarized antenna.

simulated total gain is between 2 and 2.6 dB while the measured total gain is between 1.4 and 3.3 dB. The maximum observed value is 3.3 dB at 3.6 GHz. The simulated gains for **LHCP** and **RHCP** are shown in Figure 3.19. In the 3 – 4 GHz band, the **LHCP** gain is between 2 and 2.6 dB while the **RHCP** gain is between 2.5 and 3.5 dB.

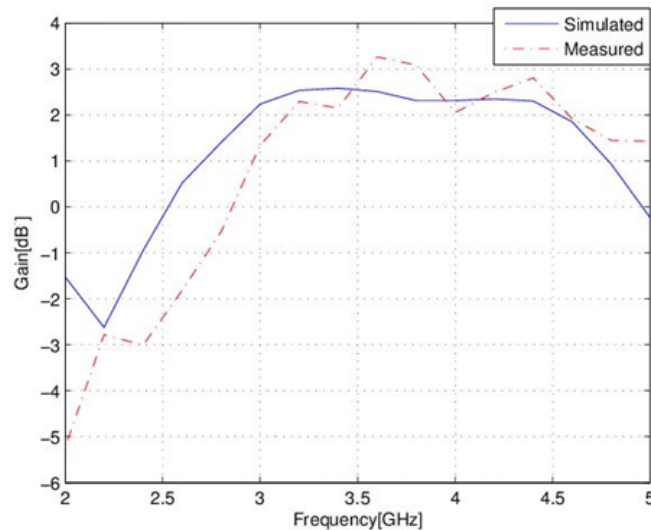


Figure 3.18 – Total gain of circular polarized antenna.

The 3D radiation patterns for **LHCP** and **RHCP** are shown in Figure 3.20 at 3.5 GHz. As we can see, the **LHCP** is in the negative direction of the z-axis (Bottom side) while the **RHCP** is in the positive direction (Top side).

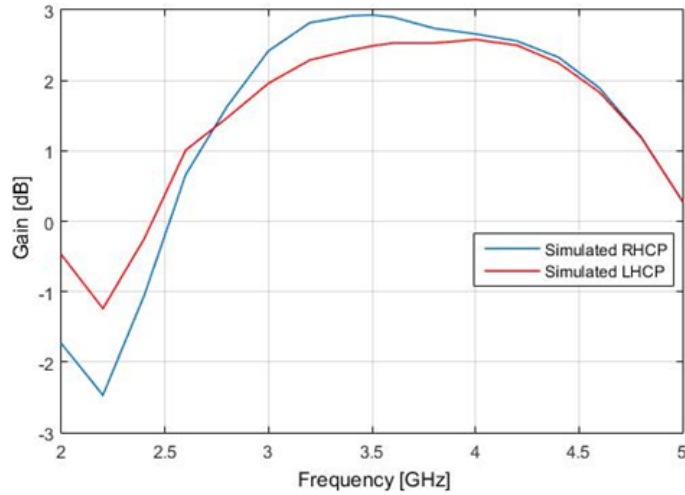
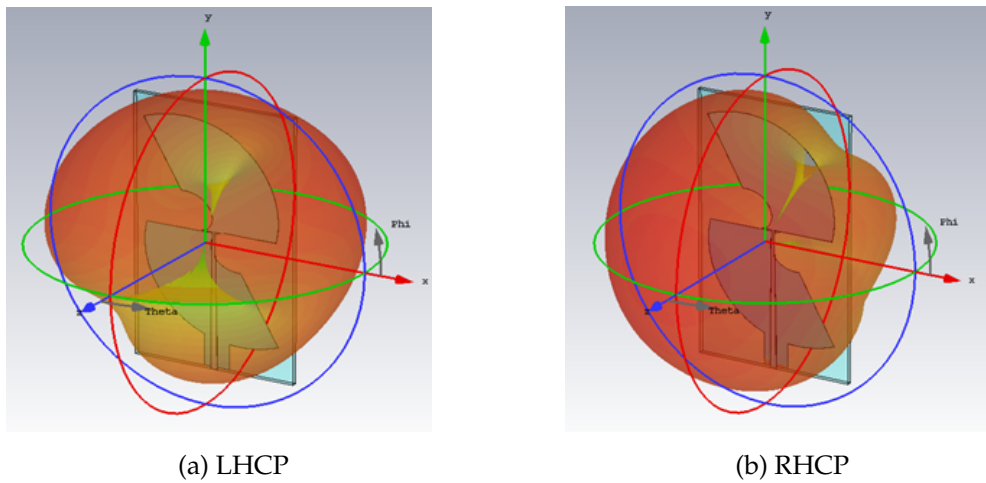


Figure 3.19 – Simulated Gain for LHCP and RHCP.



(a) LHCP

(b) RHCP

Figure 3.20 – 3D Radiation pattern

The simulated and measured radiation patterns are presented in Figure 3.21 at 3 GHz and 4 GHz in the XZ plane. The radiation patterns associated with these two frequencies are shown on the left and right side of the figure. As we can see, the measured result is more in line with the 3 GHz simulation than with the 4 GHz.

The Axial Ratio ( $AR$ ) is mainly used to describe the polarization nature of the antennas.  $AR$  is the ratio of orthogonal components of the E-field

$$AR = 20 \log \left( \frac{|E_{co}| + |E_{xp}|}{|E_{co}| - |E_{xp}|} \right) \quad (3.8)$$

where  $E_{co}$  is the co-polar electric field and  $E_{xp}$  the cross-polar electric field. The ideal  $AR$  value for circularly polarized fields is 0 dB. In addition, the axial ratio tends to degrade



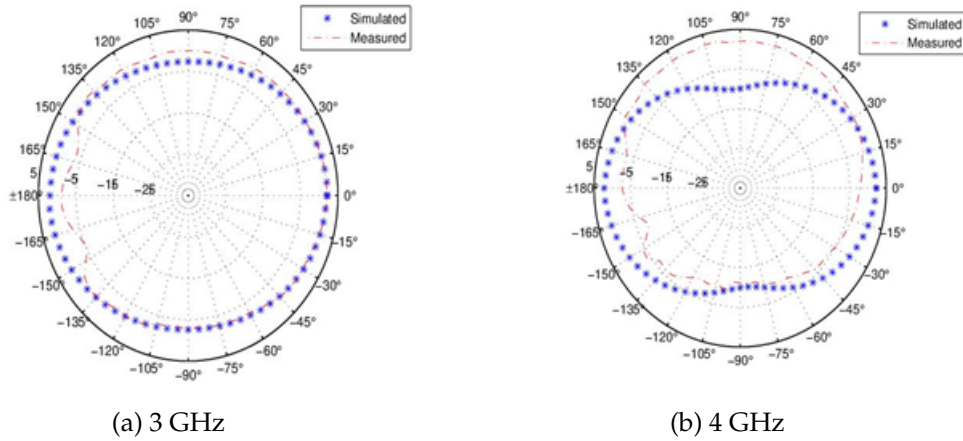


Figure 3.21 – Radiation pattern in the XZ plane.

away from the main beam of an antenna. Therefore, the standard maximum value defined for the axial ratio of a radio wave as a circular polarization is limited to 3 dB. As shown in Figure 3.22, the measured AR is below the standard limit of 3 dB over the entire 3 – 4 GHz frequency.

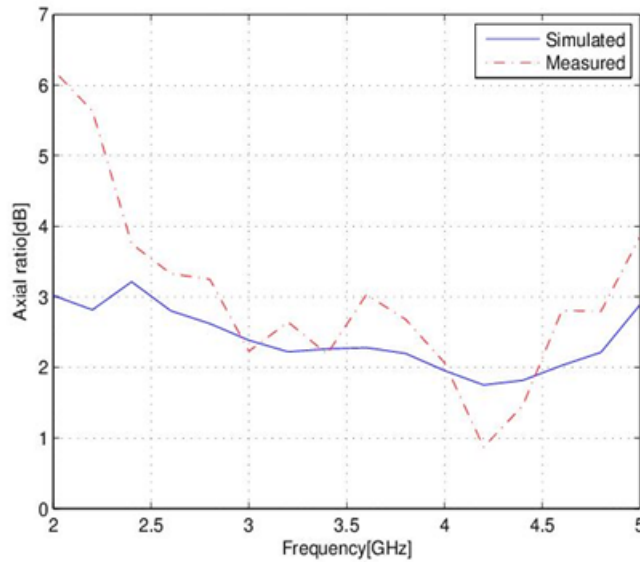


Figure 3.22 – AR of circular polarized antenna.

### 3.3.2 Active Tag

Figure 3.23 shows the block diagram of the AT. At the tag level, the received signal by the antenna A5 (3-4 GHz) is first amplified by a LNA (Mini-Circuits ZX60-43-S+), and then filtered out with a BPF (3 – 5 GHz) (Micro-Tronics BPC11296). The obtained signal is amplified again using the same LNA before applying the delay  $\tau$ . Finally, the delayed



signal is retransmitted by the antenna  $A_6$  towards the LBS.  $A_5$  and  $A_6$  are both circular polarized antenna (3 – 4 GHz).

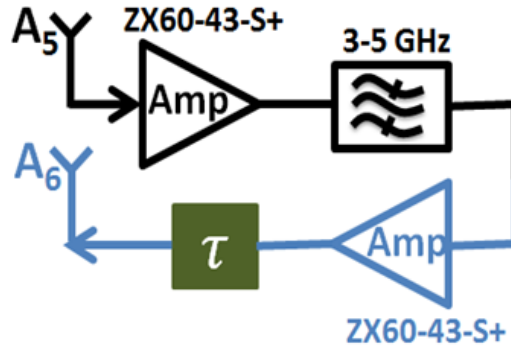


Figure 3.23 – Active Tag.

The characterization of some components is presented in the following.

#### Band-Pass Filter 3 – 5 GHz

The available BPF 3 – 5 GHz Micro-Tronics is shown in Figure 3.24.



Figure 3.24 – BPF 3 – 5 GHz.

As shown in Figure 3.25, the measured IL is 0.5 dB and the measured RL is greater than 16 dB. Similarly, the 3 – 5 GHz filter has an almost flat response in the considered bandwidth. The performance of this filter is summarized in Table 3.4.

Table 3.4 – Filter specifications

Specification	BPF Micro-Tronics
Pass Band	3-5 GHz
IL	0.5 dB
RL	>16 dB

#### Delay Line

The HUBER+SUHNER delay line of 8 m long, shown in Figure 3.26, is used at the AT level. Using a known delay  $\tau$  is mainly intended to exclude the effects of environmental

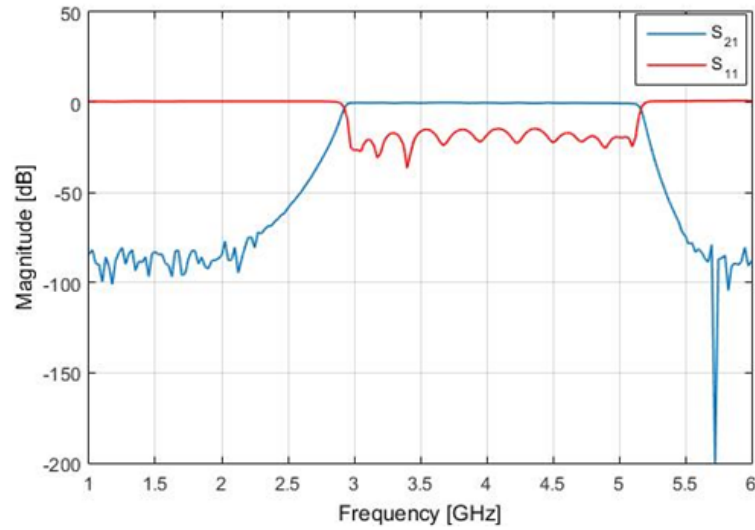


Figure 3.25 – BPF 3 – 5 GHz characterization.

backscattering and antenna coupling as detailed in section 3.3.1. With this 8 m line, a delay of about 32 ns is achieved, as shown in Figure 3.27.



Figure 3.26 – Delay line.

In the 3–4 GHz band, this line is characterized by a measured  $IL$  of 4.6 dB and a measured  $RL$  greater than 25 dB. The performance of the delay line is reported in Table 3.5.

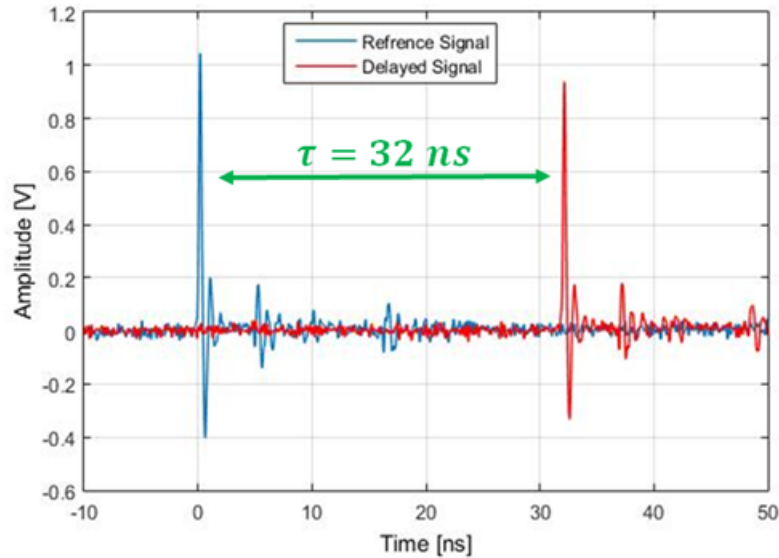


Figure 3.27 – Delayed signal.

Table 3.5 – Delay line Specifications

Specification	Delay Line
IL	4.6 dB
RL	> 25 dB

### 3.3.3 Receiver Chain

The block diagram of the receiver chain is shown in Figure 3.28. The retransmitted signal from the AT is received by the two receiver chain antennas ( $A_1$  and  $A_2$ ) of the LBS.  $A_1$  and  $A_2$  are identical broadband horn antenna (1 – 8 GHz). The received signals are amplified by a LNA (Mini-Circuits ZX60-6013E-S+) and then filtered by a BPF (3 – 7 GHz) (Mini-Circuits 15542). Next, the signals are acquired to be processed using one of the following systems: Agilent Keysight Infinium MSO 9254A and Tektronix.



Figure 3.28 – Receiver chain.

In the following some components are characterized.

### Horn Antenna

The broadband horn antenna 1 – 8 GHz from A-Info [9] shown in Figure 3.29, is used as a receiving antenna of both receiver chains.

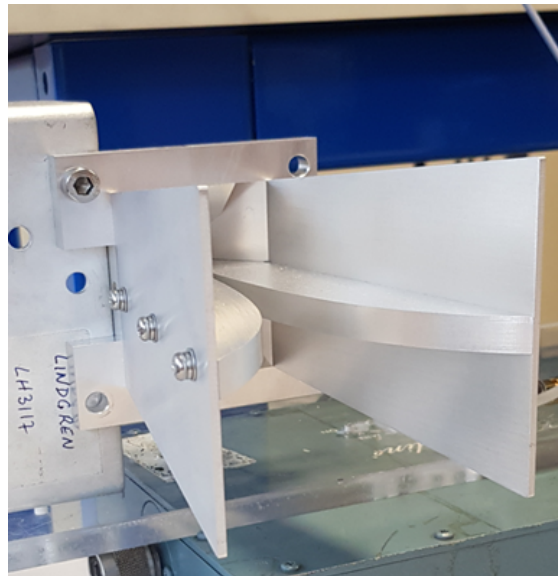


Figure 3.29 – Horn antenna.

While checking the characteristics of this antenna, we are interested in the 3 – 4 GHz band which is the band of the complete system. We can then notice through Figure 3.30 and Figure 3.31 that the measured  $RL$  in this band exceeds 10 dB for a gain equal to 7.5 dB.

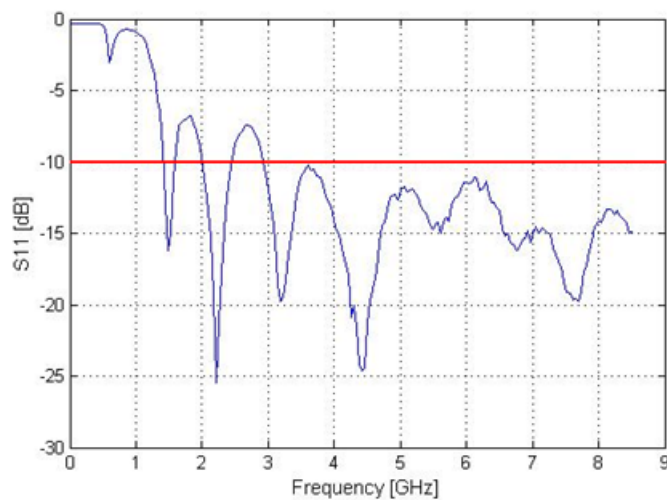


Figure 3.30 – Reflection coefficient of horn antenna.

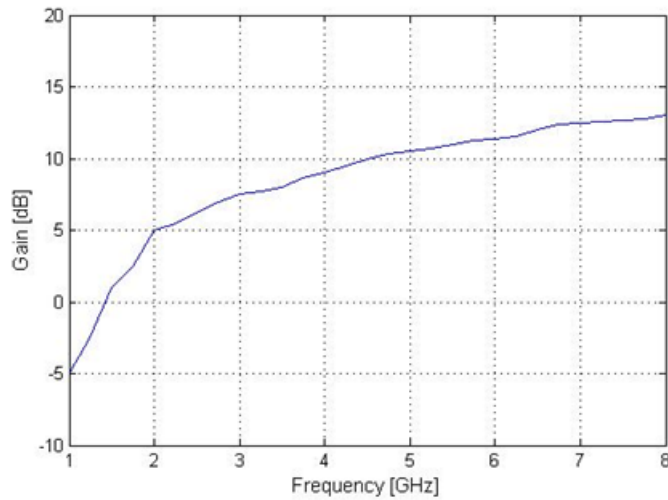


Figure 3.31 – Gain of horn antenna.

### Amplifier ZX60-6013E+

The amplifier ZX60-6013-E+ from mini-circuits and its measured gain are shown in Figure 3.32 and Figure 3.33, respectively. The maximum observed gain at 3.5 GHz is 13 dB. The input saturation level is  $-4$  dBm with a noise factor of 3.4 dB. This LNA is used in the receiving chain since it has a lower Figure noise than its counterpart, the ZX60-43-S+. The performance of this amplifier is summarized in Table 3.6.



Figure 3.32 – Amplifier ZX60-6013-E+.

Table 3.6 – Amplifier specifications at 3.5 GHz

Specification	ZX60-6013-E+
Gain	13 dB
Input Saturation IP1	- 4 dBm

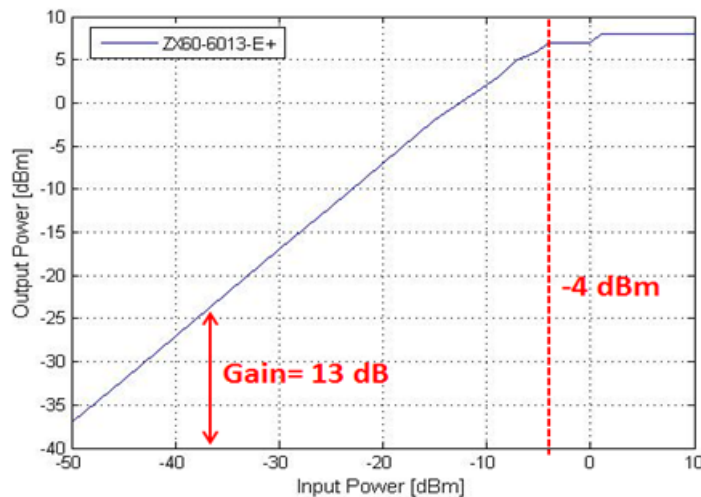


Figure 3.33 – ZX60-6013E+ Gain.

## 3.4 Concept Validation

This section describes the experimental setup used to validate the proposed PC method and shows the respective results highlighting the improvement of the Azimuth angle  $\alpha$  resolution.

### 3.4.1 Experimental Setup

The defined 2D method of Section 3.2.2 is initially realized using available equipment. The complete experimental setup is shown in Figure 3.34. The output  $U$  of the transmitter chain described in Section 3.3.1 is plugged to the port 1 of the acquisition system (MSO 9254A). We propose to validate the method using cables, in order to eliminate the free-space environment and be aware of the performance and limitations. Therefore, the tag is represented by 16 m (65 ns) propagation line consisting of two HUBER+SUHNER delay lines, characterized in Section 3.3.2. This experimental setup is considered sufficient for the validation of the PC method, since our goal is to improve the angular resolution.

The delayed signal at the output of the tag is connected to a splitter to obtain two distinct paths for the signals. The outputs of the splitter are connected to a cable of length 50 cm for the path of  $U_1$  and to a cable of length 50 cm and a short variable delay line for  $U_2$ . This variable Delay-line is used to represent the path difference.  $U_1$  is acquired on port 2 of the oscilloscope and Signal  $U_2$  on port 3.

The variable Delay-line consists of different transitions with the value 0.03 ns, 0.04 ns, 0.06 ns, 0.07 ns, 0.09 ns, 0.1 ns, 0.13 ns, 0.16 ns, 0.2 ns and 0.23 ns called "test number" from 1 to 10. These different transitions correspond respectively to a path difference equal to

0.5 cm, 0.6 cm, 0.9 cm, 1.1 cm, 1.4 cm, 1.5 cm, 1.9 cm, 2.4 cm, 3 cm and 3.5 cm.

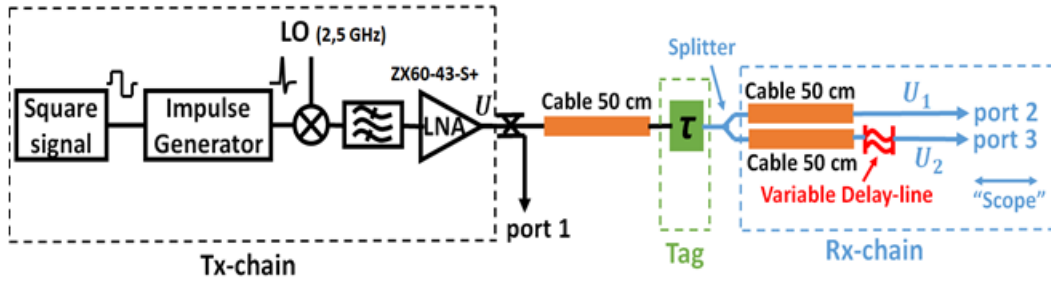


Figure 3.34 – Test bench setup.

The signals ( $U$ ,  $U_1$  and  $U_2$ ) are oversampled by 16 using the oscilloscope with a sampling frequency equal to 10 GHz. The data are further processed in MATLAB for computation. The path difference between the two incoming signals ( $U_1$  and  $U_2$ ) is used to compute the Azimuth angle for  $d_{baseline} = 29$  cm. This value is then compared with the theoretical results obtained by MATLAB.

### 3.4.2 Experimental Results

The results shown in this sub-section were published in [10].

A calibration step is mandatory to estimate the time unbalance between  $U_1$  and  $U_2$ . Figure 3.35 shows the received signals  $U_1$  and  $U_2$  when no delay transition is added. As we can see, these two signals are distorted in the same way and a delay of 0.06 ns is observed between them. This delay must be taken into account when calculating the Azimuth angle.

The azimuth angle  $\alpha$  is computed based on the method presented in Section 3.2.2.

An azimuth angle  $\alpha$  equal to  $90^\circ$  corresponds to a zero path difference as shown in Figure 3.4.

The path difference is estimated based on the PC method presented in Section 2.7.1 using a window width  $T_d$  of 5 ns.  $T_d$  is chosen wider than the pulse to insure that all possible signal spreaded by the propagation and the distortions are taken into account. The actual and estimated path difference are presented in Figure 3.36 where the estimated *Path – dif* is obtained by two methods, namely a simple correlation and the PC method. The test numbers along the x-axis are the 10 transitions used for the short delay. Moreover, the difference between the actual and estimated values along the y-axis represents the error in the *Path – dif* estimation. The maximal error is 1.7 cm for a simple correlation. However, a maximal error of 0.2 cm is observed with the PC method.

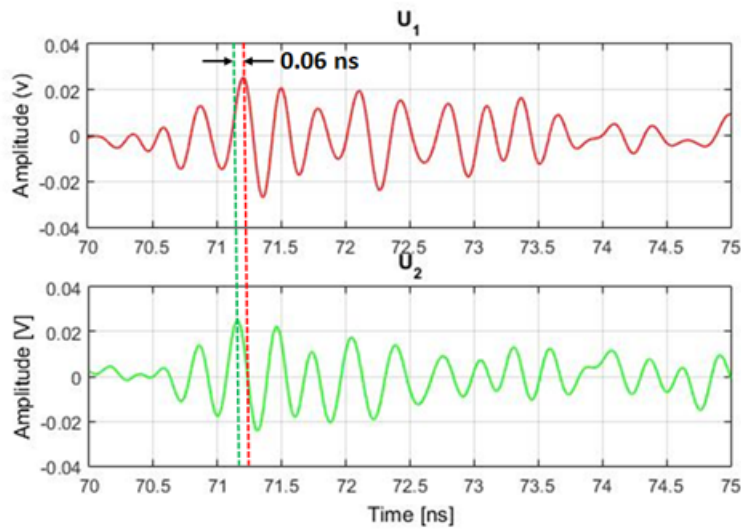


Figure 3.35 –  $U_1$  and  $U_2$  when no delay transition is added.

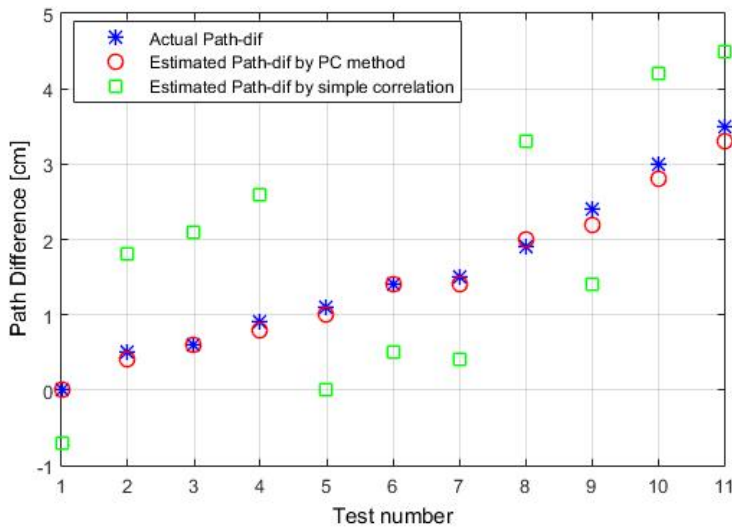


Figure 3.36 – Estimated *Path – dif*.

Table 3.7 shows the actual and estimated Azimuth angles  $\alpha$  derived from the *Path – dif* for  $d_{baseline} = 29$  cm. The maximal error is  $3.4^\circ$  for a simple correlation. However, this error decreases to  $0.4^\circ$  with the PC method. Therefore, the proposed PC method yields a very accurate estimate of the angle with respect to the simple correlation for a nearly negligible path difference (tag in front of the transmitting antenna).



Table 3.7 – Estimated Azimuth angle  $\alpha$ 

Actual $\alpha$	Estimated $\alpha$	
	Simple correlation	PC method
90°	91.4°	90°
89°	86.4°	89.2°
88.8°	85.8°	88.8°
88.2°	84.8°	88.4°
87.8°	90°	88°
87.2°	89°	87.2°
87°	89.2°	87.2°
86.2°	83.5°	86°
85.2°	87.2°	85.6°
84°	81.7°	84.5°
83°	81°	83.5°

### 3.5 Performance Limitations of the proposed ILS

Several methods are currently considered for **UWB ILS** that are mainly intended to locate a person/tag in real time. These systems are expected to provide very high accuracy, but there are in fact several factors that limit their performance in terms of accuracy, resolution, complexity and cost. For this reason, this section is devoted to exploring the different constraints related to the proposed localization technique. Such limitations arise from a variety of sources such as plane wave conditions between received signals at **LBS** and method parameter selection.

To analyze the behavior of the 2D method and test its limitations in terms of sampling frequency, signal bandwidth, analysis window and  $d_{baseline}$ , a Matlab simulation bench is designed using the Molisch generated channels (IEEE 802.15.4a).

#### 3.5.1 Plane Wave Condition

The computation of the azimuth angle by the 2D localization method described in Section 3.2.2 requires two parallel received signals to ensure a minimum error in the angle measurement. This condition, known as the **PWC**, is guaranteed if the distance between the tag and the **LBS** is very large compared to the complete localization system. Nevertheless, when the **AT** is at a finite distance from the **LBS**, the received signals are not totally parallel and a difference between the arrival angles on the two receiving antennas is therefore observed, thus affecting the angle estimation. Consequently, the limitations on the minimum distance  $d$  separating the **AT** and the **LBS** must be taken into account in order to design a system capable of accurately estimating the Azimuth angle.

The 2D angle measurement is shown in Figure 3.37. Assume that the transmitting antenna  $A_0$  is placed at the origin (0,0) of the axis and the distance between the two receiving antennas  $A_1$  and  $A_2$  is equal to  $d_{baseline}$ . The AT to be located is at position  $(x,y)$ . The signal is transmitted from  $A_0$  with an angle  $\alpha$  and will be received by  $A_1$  and  $A_2$  with deviations  $\delta\alpha''$  and  $\delta\alpha'$  respectively. These deviations tend to zero when the two received signals are parallel.

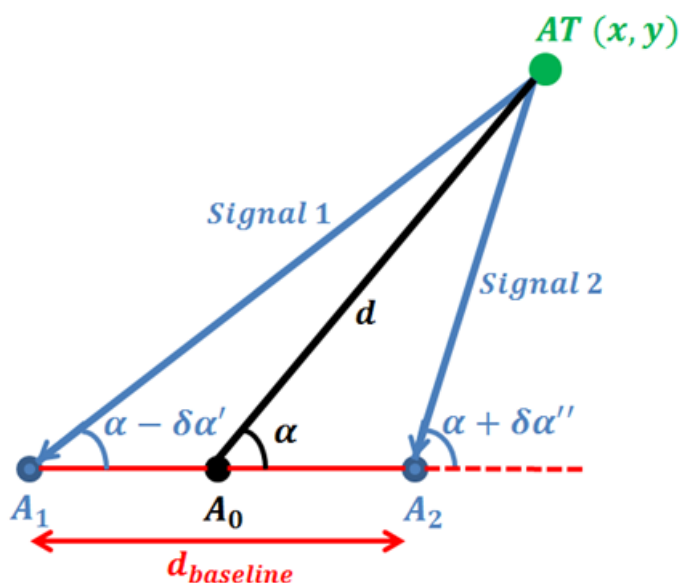


Figure 3.37 – Plane Wave Condition.

The angles of arrival are given by the following expression [3]

$$\begin{aligned}\alpha + \delta\alpha'' &= \tan^{-1}\left(\frac{y}{x - 0.5d_{baseline}}\right) \\ \alpha - \delta\alpha' &= \tan^{-1}\left(\frac{y}{x + 0.5d_{baseline}}\right)\end{aligned}\quad (3.9)$$

The expression (3.9) is rearranged in terms of the baseline factor  $B_f$  and the azimuth angle  $\alpha$  as follows

$$\begin{aligned}\alpha + \delta\alpha'' &= \tan^{-1}\left(\frac{\tan \alpha}{1 - \frac{1}{B_f \cos \alpha}}\right) \\ \alpha - \delta\alpha' &= \tan^{-1}\left(\frac{\tan \alpha}{1 + \frac{1}{B_f \cos \alpha}}\right)\end{aligned}\quad (3.10)$$

where

$$\begin{cases} \tan \alpha = \frac{y}{x} \\ x = d \cos \alpha \\ B_f = \frac{d}{0.5d_{baseline}} \end{cases}$$

We are interested in the magnitude difference between the angles of arrival

$$|\delta\alpha' + \delta\alpha''| = \left| \tan^{-1}\left(\frac{\tan \alpha}{1 - \frac{1}{B_f \cos \alpha}}\right) - \tan^{-1}\left(\frac{\tan \alpha}{1 + \frac{1}{B_f \cos \alpha}}\right) \right| \quad (3.11)$$

Therefore, decreasing the deviation  $\delta\alpha$  leads the signals to be close to **PWC**, which is expressed as follows

$$\delta\alpha = \frac{\delta\alpha' + \delta\alpha''}{2} = \frac{1}{2} \left[ \tan^{-1}\left(\frac{\tan \alpha}{1 - \frac{1}{B_f \cos \alpha}}\right) - \tan^{-1}\left(\frac{\tan \alpha}{1 + \frac{1}{B_f \cos \alpha}}\right) \right] \quad (3.12)$$

The variation of deviation  $\delta\alpha$  according to the baseline factor  $B_f$  for different angles  $\alpha$  is presented in Figure 3.38. For  $\alpha = 0^\circ$ , the deviation  $\delta\alpha$  is zero for any value of  $B_f$ . As we can see,  $\delta\alpha$  decreases with  $B_f$  and becomes constant after a certain value of  $B_f$ . For example, for  $\alpha = 15^\circ$  it remains under  $1^\circ$  when  $B_f > 10$  while for  $\alpha = 60^\circ$  it remains under  $1^\circ$  when  $B_f > 30$ .

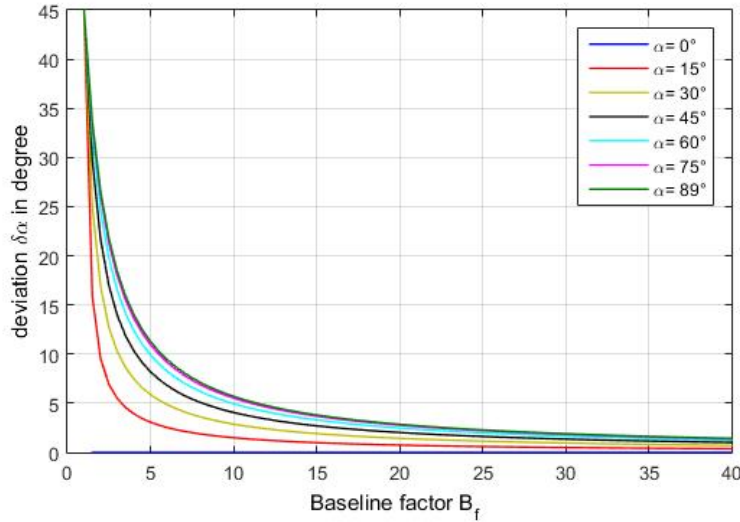


Figure 3.38 – Deviation  $\delta\alpha$  according to  $B_f$ .

The variation of deviation  $\delta\alpha$  according to angle  $\alpha$  for different values of  $d_{baseline}$  and  $d = 1$  m is presented in Figure 3.39. The  $\delta\alpha$  reaches the maximum value at the orthogonal position to the baseline. The **PWC** fails completely for  $\alpha = 90^\circ$  and the maximum values of  $\delta\alpha$  are  $4.2^\circ, 5.7^\circ, 7^\circ, 8.5^\circ, 9.9^\circ, 11.3^\circ$  for  $d_{baseline}$  equals to 15 cm, 20 cm, 25 cm, 30 cm, 35 cm and 40 cm respectively. It also shows that  $\delta\alpha$  decreases when  $B_f$  increases. This implies

that the smaller  $d_{baseline}$  will hold the **PWC** better than the larger one as the  $B_f$  increases. It therefore seems viable to use a smaller  $d_{baseline}$  length for azimuth angle computation.

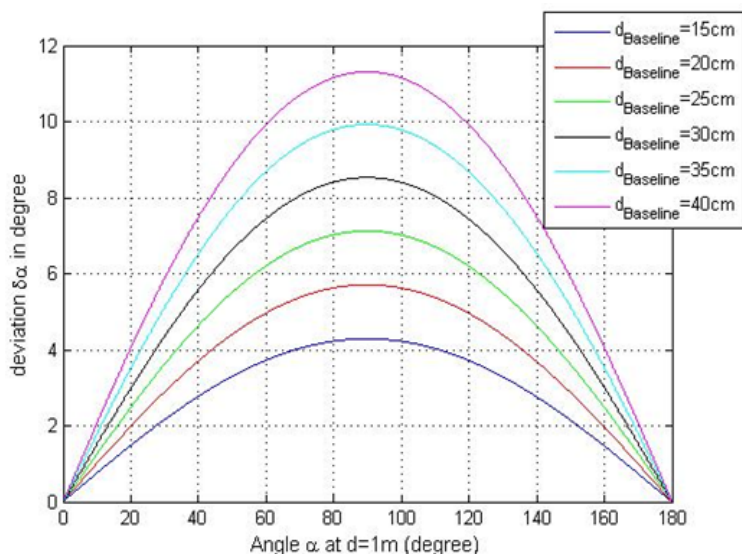


Figure 3.39 – Deviation  $\delta\alpha$  according to  $\alpha$  at  $d = 1$  m.

### 3.5.2 Path difference condition

The angle computation using the path difference between the two received signals sets limits on the path difference.

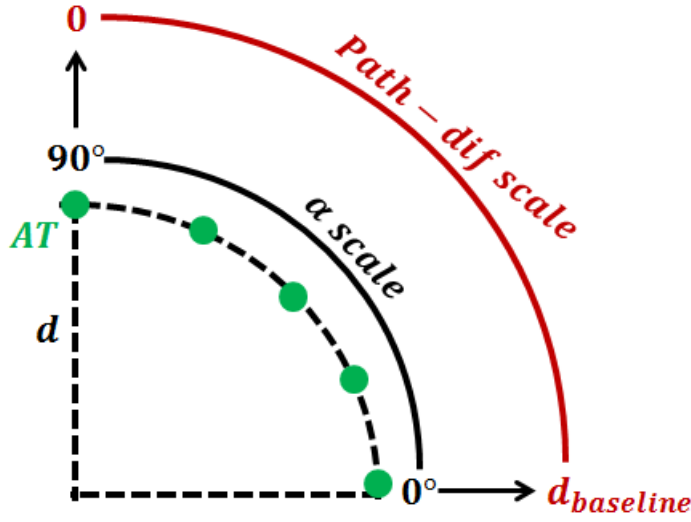
$$\cos \alpha = \frac{\text{Path-dif}}{d_{baseline}}$$

$$|\cos \alpha| \leq 1 \Rightarrow |\text{Path} - \text{dif}| \leq |d_{baseline}| \quad (3.13)$$

As shown in the relationship (3.13), the path difference always remains less than or equal to  $d_{baseline}$ , otherwise it will lead to a ridiculous error.

As shown in Figure 3.40, the path difference varies from 0 to  $d_{baseline}$  for an angle variation  $\alpha$  from  $0^\circ$  to  $90^\circ$ . Table 3.8 shows the relationship between Path-dif and  $\alpha$  according to different  $d_{baseline}$  values.

As we can see, the  $\alpha$  corresponding to 1 cm offset of Path-dif decreases when  $d_{baseline}$  increases, which reflects an improvement in angular resolution. In other words, an **ILS** with a larger  $d_{baseline}$  gives a better angular resolution for an angular estimation of an **AT** in a defined position. However, the Path-dif corresponding to  $1^\circ$  offset of  $\alpha$  increases when  $d_{baseline}$  increases. Therefore, a trade-off between the desired angular resolution and **PWC** must be taken into account when choosing  $d_{baseline}$ .

Figure 3.40 – Path-dif and  $\alpha$  scales.Table 3.8 – Path-dif and  $\alpha$  correspondence

$d_{baseline}$ [cm]	$\alpha$ corresponding to 1 cm of Path-dif	Path-dif [cm] corresponding to $1^\circ$ of $\alpha$
15	$3.8^\circ$	0.26
20	$2.9^\circ$	0.35
25	$2.3^\circ$	0.44
30	$1.9^\circ$	0.52
35	$1.6^\circ$	0.6
40	$1.4^\circ$	0.7

### 3.5.3 Duplex UWB Method limitation

To study the method performance, a Matlab simulation bench is designed using Molisch generated channels (IEEE 802.15.4a) [11]. These tests are performed in the LoS office environment (CM3). As described in Section 2.6, two pulses  $U$  and  $V$  are used with an amplitude  $A = 1$  V and a bandwidth of 1 GHz

$$\begin{aligned}
 U(t) &= A \cos(2\pi f_1 t) e^{-\left(\frac{t}{T_p}\right)^2} \\
 V(t) &= A \cos(2\pi f_2 (t - t_s)) e^{-\left(\frac{t-t_s}{T_p}\right)^2}
 \end{aligned} \tag{3.14}$$

As mentioned in Section 2.6.1, the duplex UWB method is based on the difference  $\Delta\varphi$  between the phase shifts of the two signals  $U$  and  $V$ . Therefore, to avoid the phase ambiguity [12],  $\Delta\varphi$  should respect the following constraint

$$\Delta\varphi = 2\pi(f_2 - f_1)t_{ToF} \leq 2\pi \tag{3.15}$$

Therefore, for this method to remain viable, the time of flight of each signal shall not exceed the inverse of the frequency difference, i.e.

$$t_{ToF} \leq \frac{1}{f_2 - f_1} = \frac{1}{\Delta f} \quad (3.16)$$

From this inequality, the maximum range  $d_{max}$  that this method can detect is given by

$$d_{max} = \frac{c \cdot t_{ToF-max}}{2} = \frac{c}{2\Delta f} \quad (3.17)$$

Figure 3.41 shows the maximum range  $d_{max}$  that the duplex UWB method can estimate as a function of the frequency difference  $\Delta f$ .

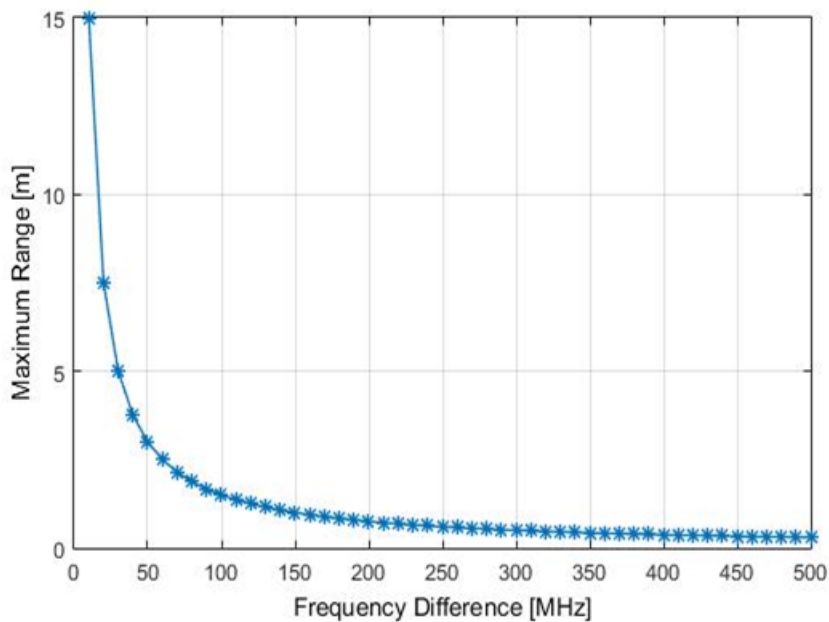


Figure 3.41 – Maximum range  $d_{max}$ .

The maximum distance is  $d_{max} = 15$  m when  $\Delta f = 10$  MHz. This value drops significantly as the frequency difference increases to a point where the method becomes almost useless ( $d_{max} = 30$  cm) when  $\Delta f$  gets too large (500 MHz). This leads us to conclude that sending two pulses with a smaller frequency difference yields in a longer detection range.

In our system, the pulse width is equal to 1 GHz in the antenna bandwidth [3 – 4 GHz]. We therefore opted to pick  $f_1$  and  $f_2$  to be equal to 3.5 GHz and 3.55 GHz, respectively, making our system suitable for estimating distances up to  $d_{max} = 3$  m for a frequency difference  $\Delta f$  of 50 MHz.

### 3.5.4 Phase Correlation Method limitations

This section is devoted for presenting the limitations imposed by the PC method.

### Sampling Frequency

The minimum path difference that our method can detect is limited by the sampling frequency  $F_e$  according to the following relation

$$Path - dif_{min} = \frac{c}{F_e} \quad (3.18)$$

where  $c$  is the celerity of light. Figure 3.42 shows the minimum path difference that can be detected with respect to  $F_e$ .

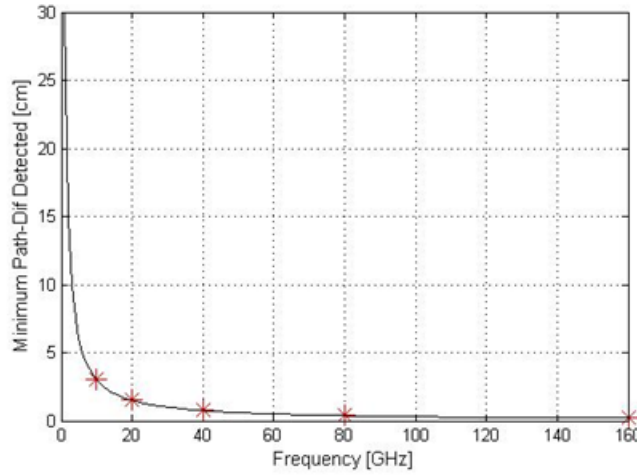


Figure 3.42 – Minimum path difference.

For instance, our system can detect a  $Path - dif_{min} = 3$  cm when using  $F_e = 10$  GHz. This value becomes even smaller, i.e. it can detect a  $Path - dif_{min} = 0.2$  cm if  $F_e$  is increased to 160 GHz.

Consequently, the angular resolution  $\alpha_{res}$  defined as the minimum angle that can be detected is limited by the minimum path difference

$$\alpha_{res} = 90^\circ - \cos^{-1}\left(\frac{Path - dif_{min}}{d_{baseline}}\right) \quad (3.19)$$

For instance, if  $d_{baseline}$  is set to 29 cm, our system can detect an angle more than  $6^\circ$ , i.e.  $\alpha_{res} = 6^\circ$  when using  $F_e = 10$  GHz. However, increasing  $F_e$  to 160 GHz allows the system to detect angles starting from  $\alpha_{res} = 0.4^\circ$ .

To be confident about the limitations of the **PC** method, we consider a system with  $d_{baseline} = 29$  cm and an **AT** that can take different positions, each time with a 1 cm offset on a straight line parallel to  $d_{baseline}$  at a distance of 1.5 m from it. Recall that the path

difference increases when moving away from position 0, which is characterized by a  $path - dif = 0$ . For instance, an offset of 1 cm on each side of position 0, corresponds to  $Path - dif = 0.2$  cm, while an offset of 16 cm from position 0 in both directions, corresponds to  $Path - dif = 3$  cm. Figure 3.43 illustrates the different detection zones of the AT for different values of  $F_e$ .

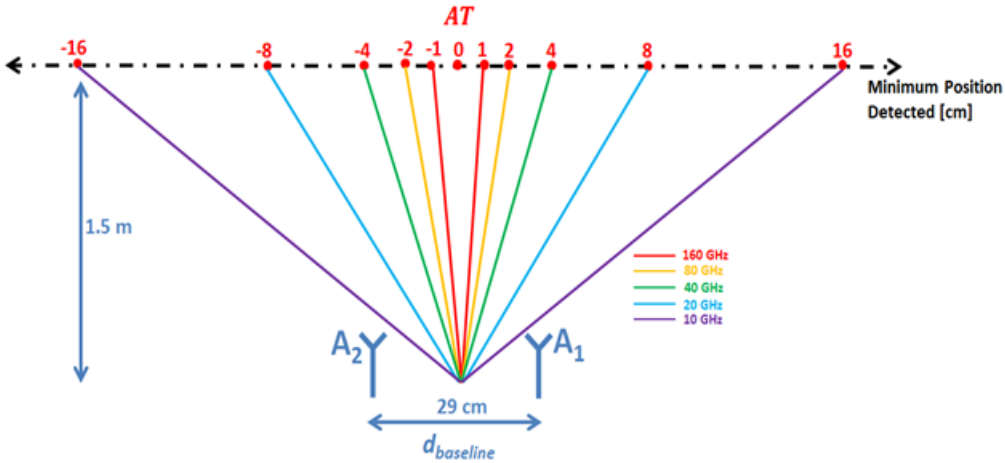


Figure 3.43 – AT detection zones.

As mentioned earlier, the  $Path - dif_{min}$  is 3 and 0.2 cm for  $F_e = 10$  and 160 GHz, respectively. For our system, this corresponds to a 16 and 1 cm offset of the AT on each side of position 0.

For this reason, when  $F_e = 10$  GHz, our method estimates that the AT always occupies the position 0 as long as its actual position lies between 0 and 8 cm and occupies the position 16 when its actual position is between 9 and 16 cm. However, increasing  $F_e$  to 160 GHz improves the ability of our system to detect smaller values as of 1 cm from position 0. Therefore, a high sampling frequency yields a better angular resolution, but its implementation in real circuits remains problematic. Hence, we select  $F_e = 20$  GHz as a trade-off between cost and angular resolution.

### Signal Bandwidth and Analysis window

As shown in Section 2.7, the analysis window  $T_w$  is given by  $T_w = t_2 + T_d - t_1$ , and the window  $T_d$  should be larger or equal to the emitted pulse width  $T_p$ . According to Gabor theorem, the bandwidth  $Bw$  and the window  $T_d$  are related as follows

$$T_d = cte.T_p \Rightarrow T_d.Bw = cte \tag{3.20}$$

where  $Bw$  is the emitted signal bandwidth.



### Phase Ambiguity

As shown in Section 2.7.1, the phase correlation function between two received signals is given by the following relationship

$$C_{U_1 U_2}(\Delta t) = \frac{A'^2}{2} \cos(2\pi f_1 \Delta t) \quad (3.21)$$

Based on Eq.(3.21), the phase  $\varphi_{f_1}$  corresponding to the path difference between the two received signals is expressed as

$$\varphi_{f_1} = 2\pi f_1 \Delta t \quad (3.22)$$

The fact that the phase is bounded by  $2\pi$  ( $0 \leq \varphi_{f_1} \leq 2\pi$ ) will impose limits on the maximum path difference  $Path - dif_{max}$  detected by the applied method.

$$\varphi_{f_1} \leq 2\pi \Rightarrow 2\pi f_1 \Delta t \leq 2\pi \quad \Delta t \leq \frac{1}{f_1} \quad (3.23)$$

$$Path - dif_{max} = \frac{c}{f_1} \quad (3.24)$$

Consequently, the maximum computed azimuth angle which is related to  $Path - dif_{max}$  will also be affected. In other word, the phase ambiguity reduces the space where the AT can be detected to an angular cone  $\alpha_c$  of  $90^\circ$  axis.

$$\alpha_c = 2 \left[ 90^\circ - \cos^{-1} \left( \frac{Path - dif_{max}}{d_{baseline}} \right) \right] \quad (3.25)$$

Moreover, the path difference condition from Eq. (3.13) also imposes constraints on the choice of  $d_{baseline}$ , i.e.  $|d_{baseline}| \geq |Path - dif|$ .

Figure 3.44 shows the variation of the angular cone  $\alpha_c$  as a function of different  $d_{baseline}$  values. From Eq. (3.24), the  $Path - dif_{max}$  is equal to 8.6 cm if the center frequency  $f_1 = 3.5$  GHz is used. When  $d_{baseline} = Path - dif_{max} = 8.6$  cm, the corresponding angular cone is  $\alpha_c = 180^\circ$ . We can also notice that the angular cone  $\alpha_c$  decreases significantly when  $d_{baseline}$  increases and reaches  $24^\circ$  for  $d_{baseline} = 40$  cm.

Figure 3.45 illustrates the different angular detection zones of the AT as a function of  $d_{baseline}$  values. As we can see, for  $d_{baseline} = 8.6$  cm, the system can detect any position of the AT, i.e. for any azimuth angle  $\alpha$  ranging from  $0^\circ$  to  $180^\circ$ . In contrast, when  $d_{baseline} = 40$  cm, the angular cone is reduced to  $24^\circ$ , i.e. the AT can be detected if it is located in the cone  $[78^\circ, 102^\circ]$ .

Therefore, an ILS with a smaller  $d_{baseline}$  gives a larger angular zone detection. For this reason, a trade-off between the desired angular cone, the desired angular resolution and

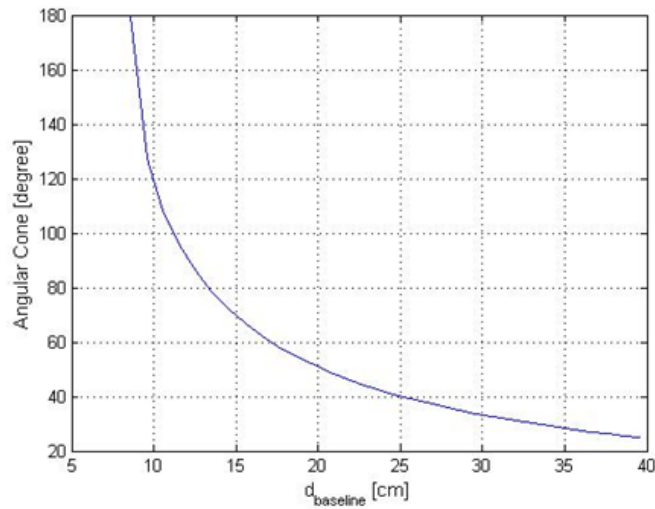
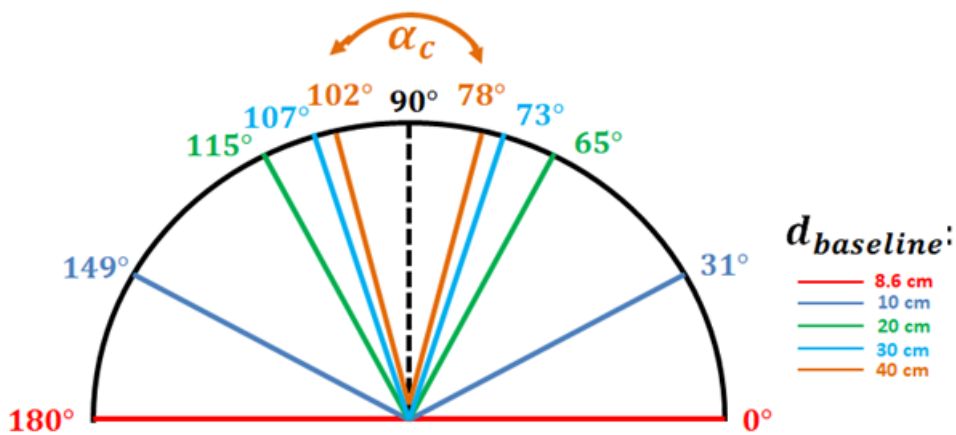
Figure 3.44 – Angular cone  $\alpha_c$ .

Figure 3.45 – AT angular detection zones.

$PWC$  must be taken into account when choosing  $d_{baseline}$ .

In this work, and particularly in the experimental measurements,  $d_{baseline}$  is also susceptible to limitations imposed by the dimensions of the used antennas. We then decided to choose it equal to 29 cm to comply with all the constraints of the system.

### 3.6 Realized UWB Indoor Localization System

This section is dedicated for estimating the link budget of the realized system in order to ensure correct measurements. The gains and losses related to the various stages follow the characteristics of each components presented in Section 3.3.

The complete developed LBS and AT are shown in Figure 3.46 and Figure 3.47 respectively.

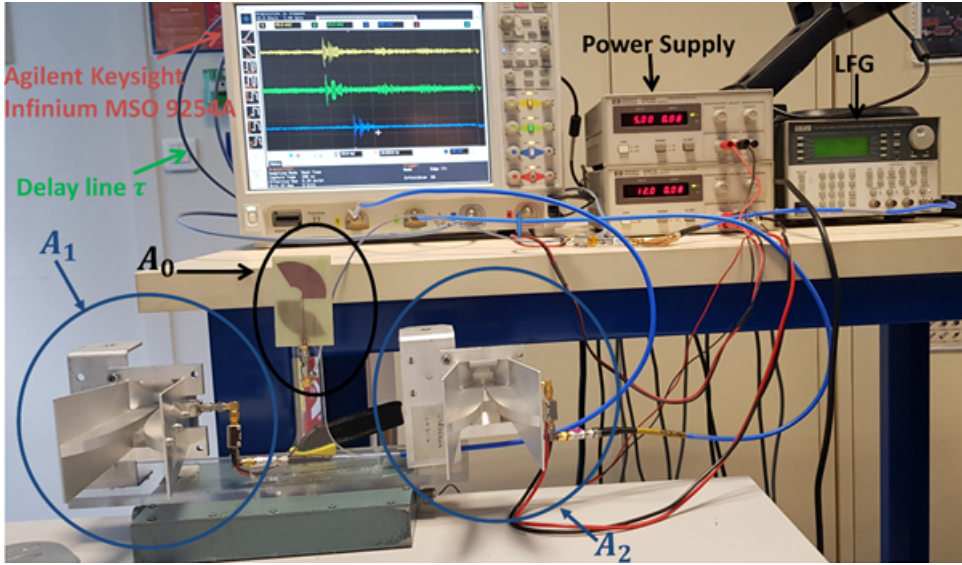


Figure 3.46 – Developed LBS.

The power levels at different stages of the transmitter chain are shown in Figure 3.48. All powers are expressed in dB. Let  $P$  be the power generated by the impulse generator. Connection cables and SubMiniature version A (SMA) connectors were identified as a source of 0.5 dB loss. The transmitted signal power by the antenna is then ' $P + 16.1$ ' dB, while the power of the delayed transmitted signal considered as the reference signal for processing is ' $P - 7.3$ ' dB.

Under normal atmospheric conditions, the free space losses are expressed as

$$PL(dB) = 32.44 + 20\log(f_0) + 20\log(d) \quad (3.26)$$

where  $d$  is the range distance in Km, and  $f_0$  is the carrier frequency of the transmitted signal in MHz.

For the sake of simplicity, we consider the direct path case. The signal reaches the active tag located at a distance  $d$  from the LBS with a power equal to ' $P + 16.1 - PL$ ' dB. The power levels at the different stages of the active tag are shown in Figure 3.49.

The signal is retransmitted from the active tag with power equal to ' $P + 46 - PL$ ' dB. By travelling the same distance  $d$ , this signal reaches the receiver antenna with power equal to ' $P + 46 - 2 \times PL$ ' dB. The power levels of the receiver chain are shown in Figure 3.50.

Table 3.9 shows the power at the output of the receiver chain as a function of distance  $d$  for a fixed carrier frequency of 3.5 GHz and  $P = -17$  dB.

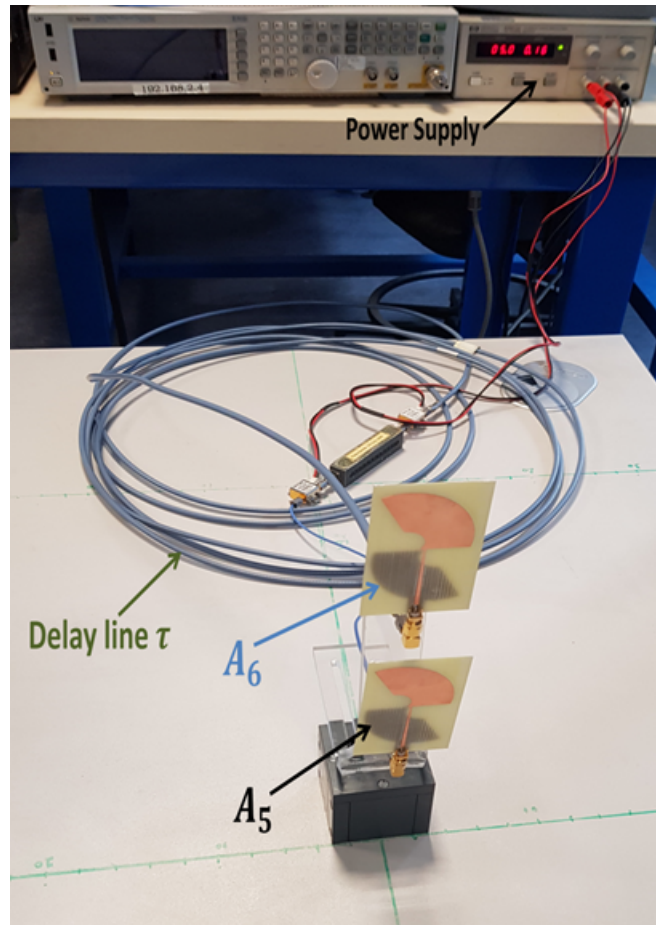


Figure 3.47 – Developed AT.

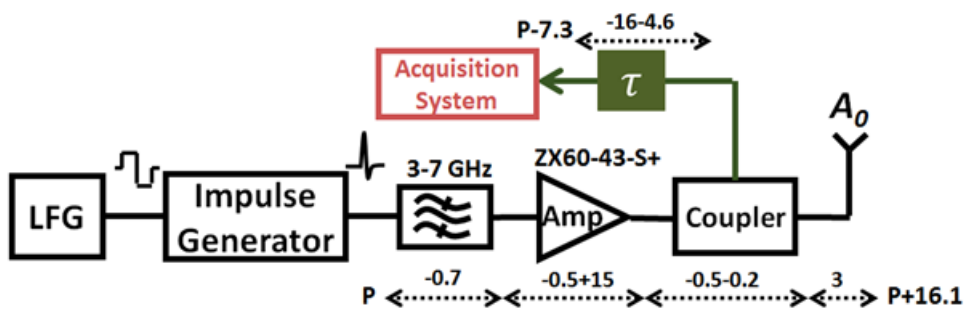


Figure 3.48 – Power levels at transmitter chain.

As shown in Table 3.9, the received power varies between  $-57.64$  dB and  $-69.68$  dB for a free space of 1 to 2 meters. The receiver sensitivity can be enhanced by decreasing the receiver noise figure. To do so, the component with the lowest noise figure is connected to the receiving antenna in order to guarantee better receiving sensitivity. Therefore, the amplifier ZX60-6013E+ with a noise figure lower than ZX60-43-S+ is used in RX-chain.

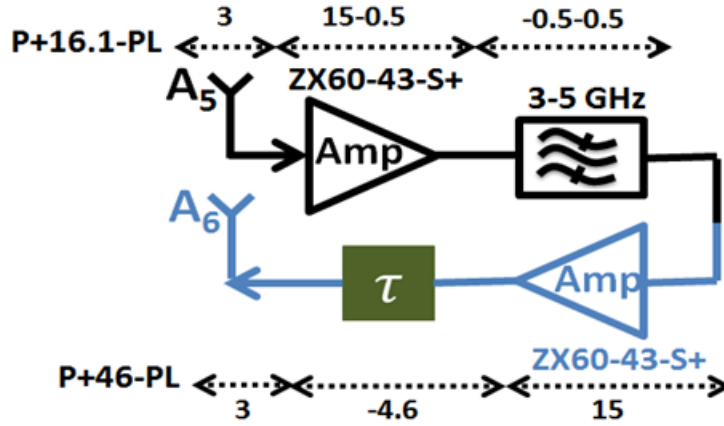


Figure 3.49 – Power levels at AT.

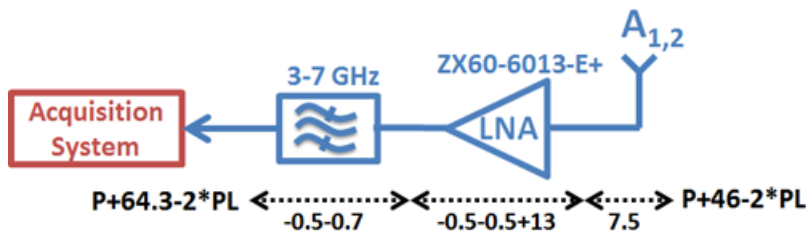


Figure 3.50 – Power levels at receiver chain.

Table 3.9 – Received power

Distance [m]	PL [dB]	Received power [dB]
1	43.32	-57.64
1.5	46.84	-64.68
2	49.34	-69.68

### 3.7 Conclusion

In this chapter, we have presented an ILS based on the trilateration method, where 3 well-synchronized anchors and whose positions are well known, are used to locate an AT in 2D.

To overcome the limitations imposed by these systems, a 2D localization scheme for a remote AT was presented. The developed architecture is based on the concept of the mono-pulse radar system where a single anchor acting as a localization base station is used without requiring prior knowledge of its position. A 2D UWB indoor localization technique based on the radial distance and azimuth angle measurement is proposed, where the radial distance is obtained by phase difference correlation and the azimuth angle is obtained by phase correlation.

Afterwards, the different components of the proposed ILS are characterized and their specific functions in the system are outlined. Among these components, a circular polarized antenna is designed and optimized for the transmitter and AT chains.

The accuracy of the azimuth measurement is improved by using a phase correlation method. A test bench based on cables set is used as a proof concept. The experimental results show that this proposed method can achieve high accuracy angle measurement (lower than  $0.4^\circ$  Vs. an error of  $3.4^\circ$  for a classical method).

After describing the transmitter, the active tag and the receiver chains, some performance limitations related to the proposed method are presented. This step is mandatory to better select the different system parameters such as sampling frequency, signal bandwidth and  $d_{baseline}$  depending on the desired angular resolution, angular cone, accuracy and cost.

Finally, the power level at different stages of the entire system along with the receiving sensitivity are discussed to get some insight into the system's properties.

In the next chapter, system performance will be studied through MATLAB simulations and experimental measurements.

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## Chapter 4

# Performance Analysis of our Proposed ILS

### 4.1 Introduction

The prototype of the [ILS](#) described in Chapter 3 is developed in this chapter to estimate the 2D position of the [AT](#). The performance of the designed [ILS](#) is tested in a Matlab simulation bench using Molisch-generated channels (IEEE 802.15.4a) [1] and then validated with field measurements in a real indoor environment.

This chapter presents the main results of the proposed [ILS](#). The simulated and experimental validations of the phase correlation method are performed for a simplified [ILS](#) (without [AT](#)) in Section 4.2 and for the entire system (with [AT](#)) in Section 4.3. In both cases, the results are compared to those obtained with a state-of-the-art method, namely the [ED](#) method. In Section 4.4, a simulation bench is designed to validate the duplex [UWB](#) method. In Section 4.5 and Section 4.6, the results of our [ILS](#) based on radial and angular measurements are compared to a system performing the position estimation using a constellation and trilateration method under [LoS](#) and obstructed [LoS](#) assumptions, respectively. In Section 4.7, the performance of our [ILS](#) is studied in the [NLoS](#) situations. Finally, the chapter ends with a conclusion in Section 4.8.

### 4.2 Phase correlation Method Validation for a Simplified ILS

This section first describes the setup used to validate the PC method of estimating a small path difference and then shows the respective results emphasizing the angular resolution improvement for a simplified [ILS](#), which consists of one transmitter chain TX and two receiver chains RX.

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### 4.2.1 Simulated and Experimental Setup

The complete setup, shown in Figure 4.1, is composed by one RF transmitter chain linked to a circular polarized antenna  $A_0$ , and two RF receiver chains, connected to two UWB horn antennas  $A_1$  and  $A_2$ . The distance between  $A_1$  and  $A_2$  is denoted by  $d_{baseline}$ .

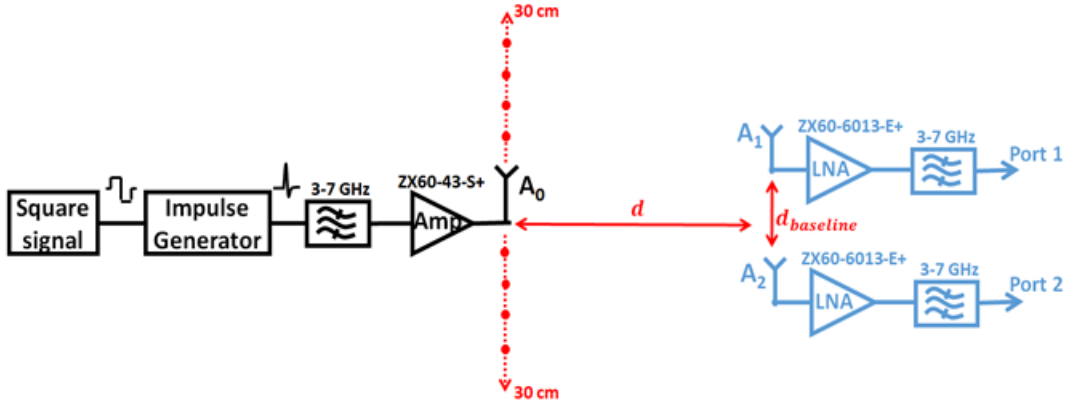


Figure 4.1 – Test bench setup.

The goal of this setup is to validate the PC method. The transmitter chain is identical to the one presented in Section 3.3.1 except that:

- The LO is removed since this method requires only one transmitted signal (in this case, the signal  $U$  of center frequency  $f_1$  is selected).
- The coupler is also eliminated, because this method is applied between the two received signals, and therefore no need for a  $\tau$ -delayed version of the transmitted signal.

The obtained pulses at the output of the Impulse Generator and at the input of the antenna  $A_0$  are shown in Figure 4.2 and Figure 4.3, respectively.

The UWB pulses are transmitted via the front end antenna  $A_0$  and received by two identical receiver chains described in Section 3.3.3. The received pulses  $U_1$  and  $U_2$  are acquired on Ports 1 and 2 of the oscilloscope (Agilent Keysight Infinium MSO 9254A) respectively. The different components of the circuit and their characteristics are described in Section 3.3.

To improve the resolution of the path difference measurement between  $U_1$  and  $U_2$ , the antenna  $A_0$  can take 31 different positions  $p_i$  with  $i \in \{-15, \dots, 15\}$ , as shown in Figure 4.4. At the initial position  $p_0$ , the antenna  $A_0$  is placed on an orthogonal axis at a distance  $d$  equal to 1.5 m from the center of  $d_{baseline}$  in order to satisfy the PWC described in Section 3.5.1.  $d_{baseline}$  is chosen here equal to 29 cm due to the limitations imposed by the

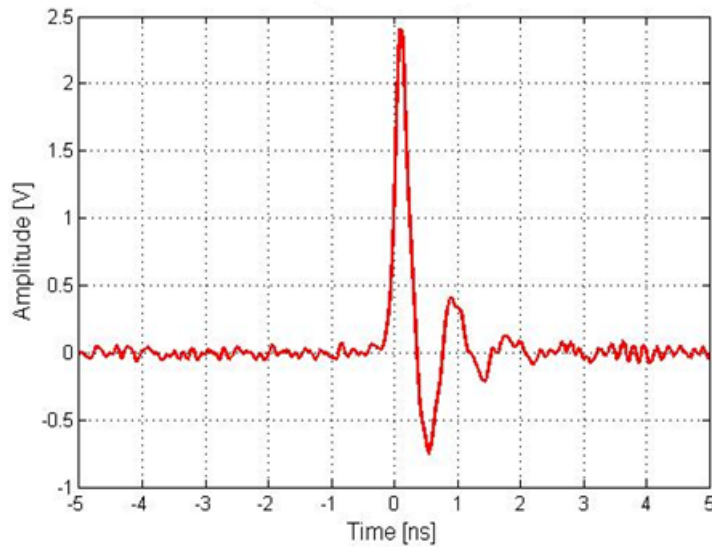


Figure 4.2 – The pulse at the output of the Impulse Generator .

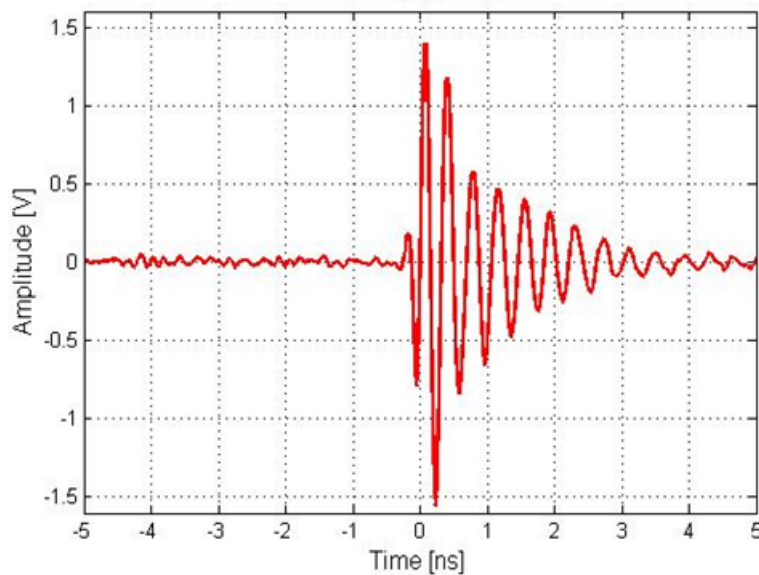


Figure 4.3 – The pulse at the input of the antenna  $A_0$ .

dimensions of the used antennas.

To validate the angular resolution improvement obtained with the [PC](#) method,  $A_0$  can occupy several positions on a straight line parallel to the baseline, by shifting it 2 cm on each side of its initial position  $p_0$  in the range  $[-30 \text{ cm}; 30 \text{ cm}]$ .

The distance between  $A_0$  and  $A_1$  (resp.  $A_2$ ) is denoted  $d_1$  (resp.  $d_2$ ). The path difference

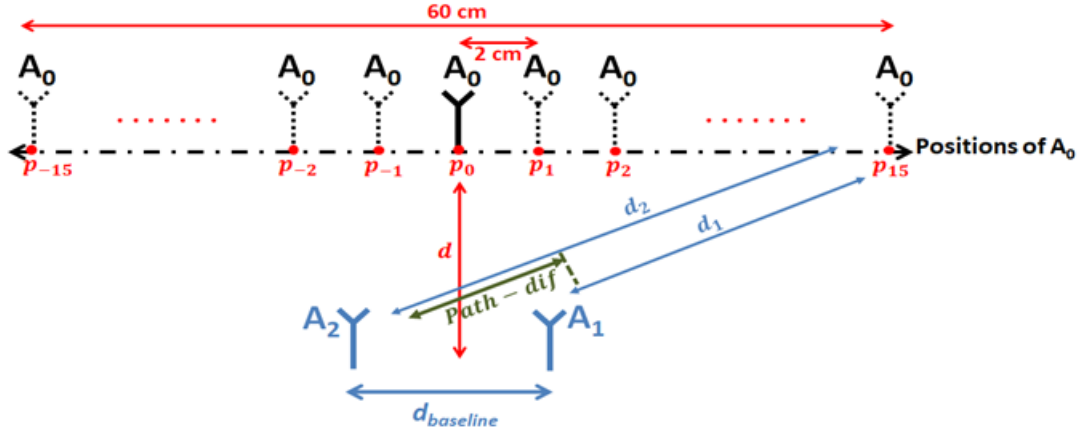


Figure 4.4 – Possible positions of  $A_0$ .

between the two received signals  $U_1$  and  $U_2$ , denoted  $path - dif = d_1 - d_2$ , is expressed in terms of the difference between their arrival times  $T_1$  and  $T_2$  at antennas  $A_1$  and  $A_2$ , respectively. For this configuration, the maximum actual path difference corresponding to the positions  $p_{-15}$  and  $p_{15}$  is equal to 5.7 cm.

This configuration is used for the experimental setup and the Matlab simulation bench that uses Molisch-generated channels (IEEE 802.15.4a). The waveform of the emitted signals, shown in Figure 4.3, corresponds to a cosine carrier modulated by a Gaussian pulse. Therefore, the waveform defined in Section 2.5.1 is used as the emitted pulse in all simulations

$$U(t) = A \cdot \cos(2\pi f_1 t) e^{-\left(\frac{t}{T_p}\right)^2} \quad (4.1)$$

where  $A = 1$  V is the amplitude of the signal,  $f_1 = 3.5$  GHz the center frequency (center frequency of  $A_0$  pass band [3 – 4 GHz]),  $T_p = \frac{1}{\zeta \cdot Bw \cdot \sqrt{2} \cdot \pi}$  with  $\zeta = 0.43$  and  $Bw = 1$  GHz the bandwidth of the pulse corresponding to the bandwidth of  $A_0$ .

Moreover, the CM3 channel model (office LoS) of IEEE 802.15.4a is adopted and the SNR is set to 15 dB in all simulations.

## 4.2.2 Simulated and Experimental Results

In Figure 4.5, the broadened recorded signals for the initial position of  $A_0$  are presented. Both signals are distorted in the same way by the circuit components and antennas. These pulses, i.e.  $U_1(t)$  and  $U_2(t)$ , acquired at ports 1 and 2 respectively, can be described by a cosine carrier modulated by a Gaussian pulse as mentioned in Section 2.5.1.

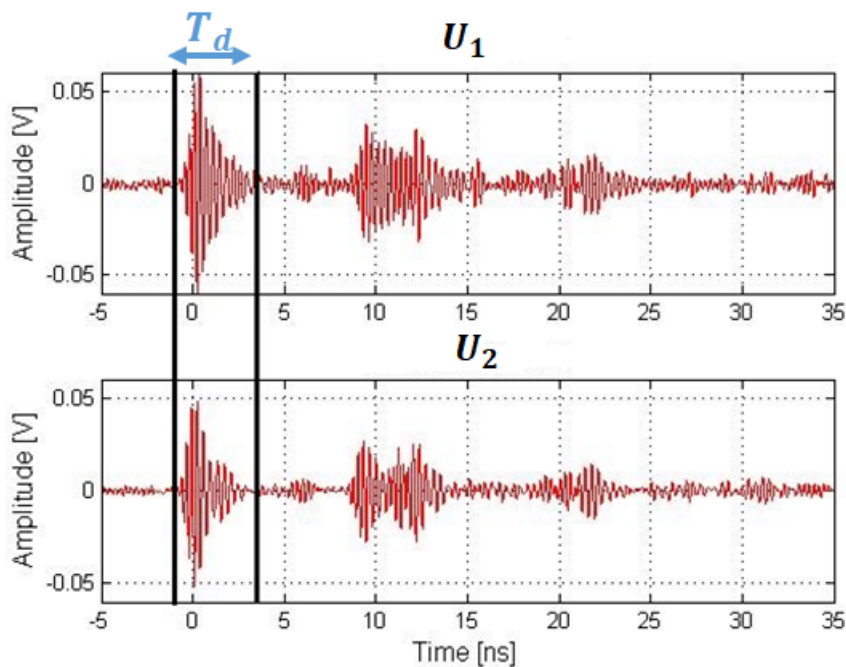


Figure 4.5 – Recorded signals at Ports 1 and 2 for the initial position  $p_0$ .

The path difference between  $U_1$  and  $U_2$  is estimated for each position  $p_i$  using the configuration shown in Figure 4.1. As a proof of concept, we compare the results of the simulated and measured path difference obtained by the PC method with the ED method [2].

As shown in Figure 4.3 and Figure 4.5, the duration  $T_p$  of the emitted pulse by  $A_0$  is equal to 2 ns and the duration of the received broadened signal  $T'$  is 23 ns, respectively.

Following the fundamental principle of the ED method in which the energy is calculated by block, each of duration 4 ns (must be greater than  $T_p$ ) with a displacement step  $\Delta_b$  equal to 1 ns. Then, the ToA of the received pulse is estimated based on the detection of the block carrying the maximum energy.

For the PC method, the beginning of the received pulses is determined by fixing the duration of each block  $T_b$  to  $T' = 23$  ns and the displacement step  $\Delta_b$  to 1 ns, in order to ensure that the energy of the entire broadened received pulse is taken into account. On the other hand, setting  $T_d$  equal to  $T_p = 2$  ns, guarantees that the various conditions mentioned in Section 2.7.1 are fulfilled. Hence, the pulses of interest in the analysis window  $T_d$  shown in Figure 4.6, are those that lie between the two black lines in Figure 4.5.

A calibration step is mandatory to estimate the time unbalance between  $U_1$  and  $U_2$ . At position  $p_0$ , i.e. when  $A_0$  is not shifted yet, we observe a time difference of 0.14 ns which corresponds to a path difference of 4.2 cm. This difference is mainly caused by the un-

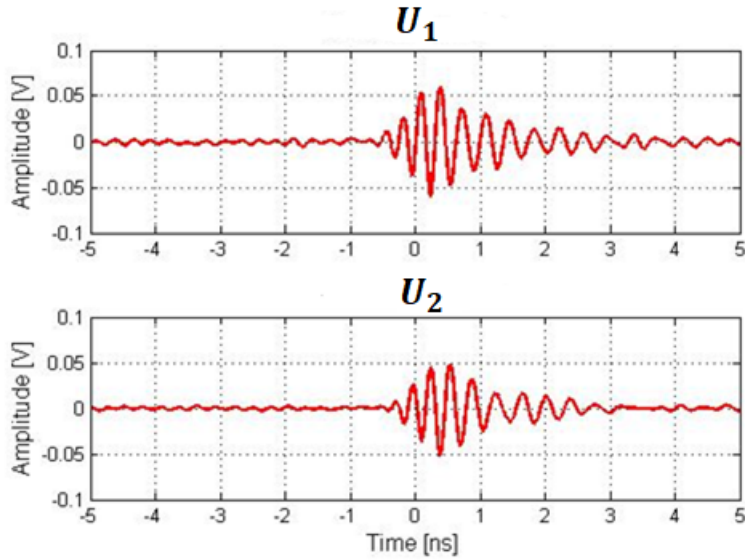


Figure 4.6 – Pulses of interest in the analysis window.

balance between the two RX chains and must be taken into account when calculating the path difference.

Initially,  $U_1$  and  $U_2$  are oversampled by 16 with a sampling frequency equal to 10 GHz using the oscilloscope ( $F_e = 160$  GHz). This configuration is an ideal case study that helps us to get an insight about the best performance by reducing the imposed limits on the minimum path difference that can be detected. Note that the system calibration step is also performed with this sampling frequency.

However, as the implementation of a high sampling frequency in real circuits remains challenging, the PC method is also validated with a smaller sampling frequency  $F_e = 20$  GHz.

For  $F_e = 160$  GHz, we compare in Figure 4.7 the real path difference with that simulated and measured by the ED and PC methods. The x-axis represents the 31 different positions of the antenna  $A_0$ . Moreover, the difference between the actual and estimated values along the y-axis represents the error in the Path-dif estimation. Figure 4.8 shows the error in the simulated and measured path difference by the aforementioned methods, for the 31 different positions of the antenna  $A_0$ .

The same comparison is carried out for the Azimuth angle in Figure 4.9 and Figure 4.10, since it is derived directly from the Path-dif.

We noticed that the obtained results of both simulations and measurements using the ED

method are identical. These results are also quite similar using the PC method.

Since the considered displacement step  $\Delta_b$  is equal to 1 ns, the minimum path difference that the ED method can detect is 30 cm. Thus, it is not able to detect a path difference in the order of 5.7 cm which corresponds to the maximum Path-dif obtained by this configuration (at  $p_{15}$  and  $p_{-15}$ ). On the other hand, the minimum path difference that the PC method can detect is determined by the sampling frequency; and therefore it is able to detect a path difference of 0.2 cm when  $F_e = 160$  GHz.

As we can see, the maximum error in the estimated path difference by the ED method is equal to 5.7 cm, which corresponds to a maximum angle error equal to  $11.3^\circ$ . This error is reduced to 0.5 cm using the PC method, which is reflected by an error reaching 2.5 cm in the position estimation of  $A_0$ . This error corresponds to an error of  $1^\circ$  in the azimuth angle estimation.

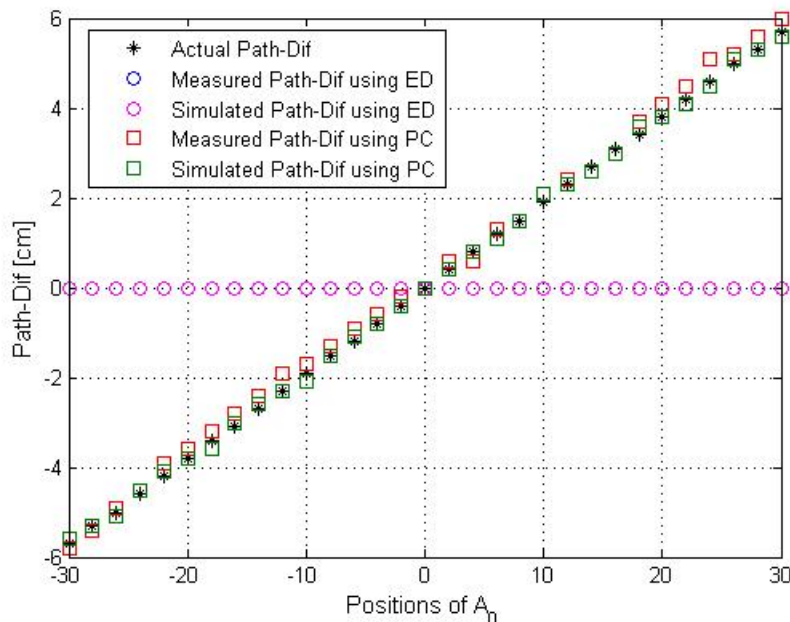


Figure 4.7 – Comparison of the path difference estimation for  $F_e = 160$  GHz.

The same comparison is carried out for  $F_e = 20$  GHz in Figures 4.11-4.14. Here, the minimum path difference that the ED method can detect remains the same (30 cm) since the displacement step is not modified. However, as the sampling frequency has decreased, the PC method can now detect a minimum path difference of 1.5 cm.

As we can see, the maximum error in the estimated path difference by the ED method is equal to 5.7 cm, which corresponds to a maximum angle error equal to  $11.3^\circ$ . This error



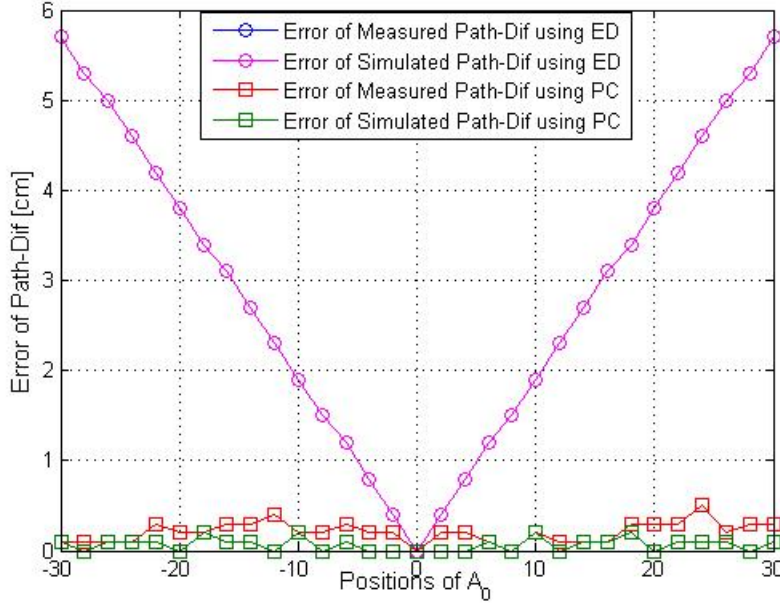


Figure 4.8 – Error in the path difference for  $F_e = 160$  GHz.

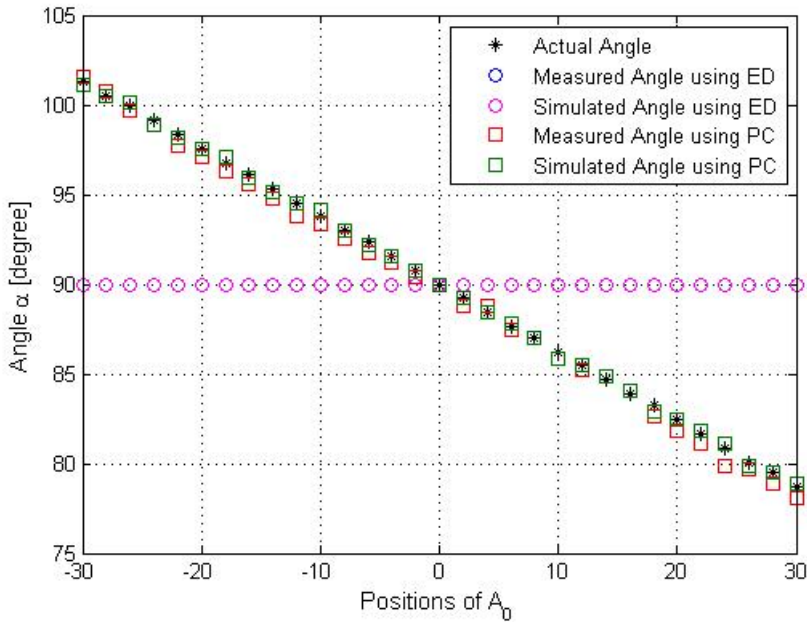
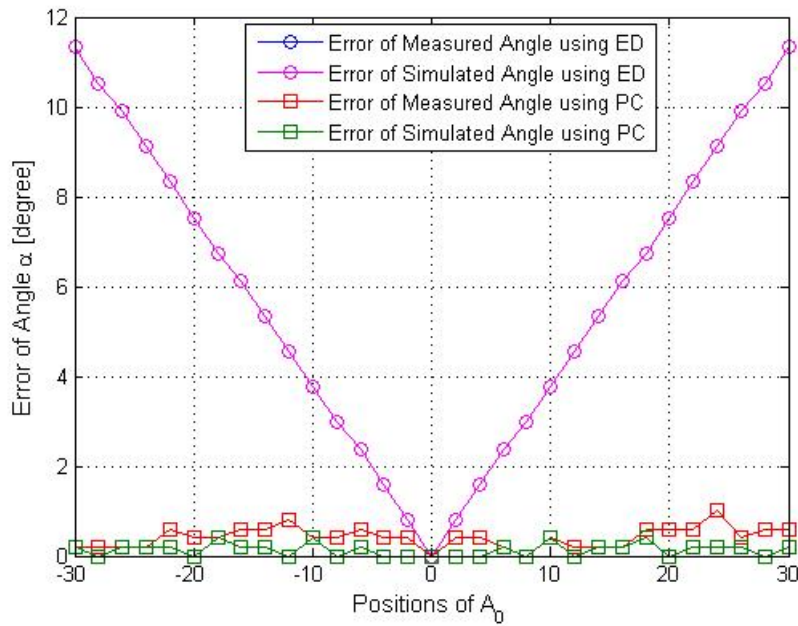
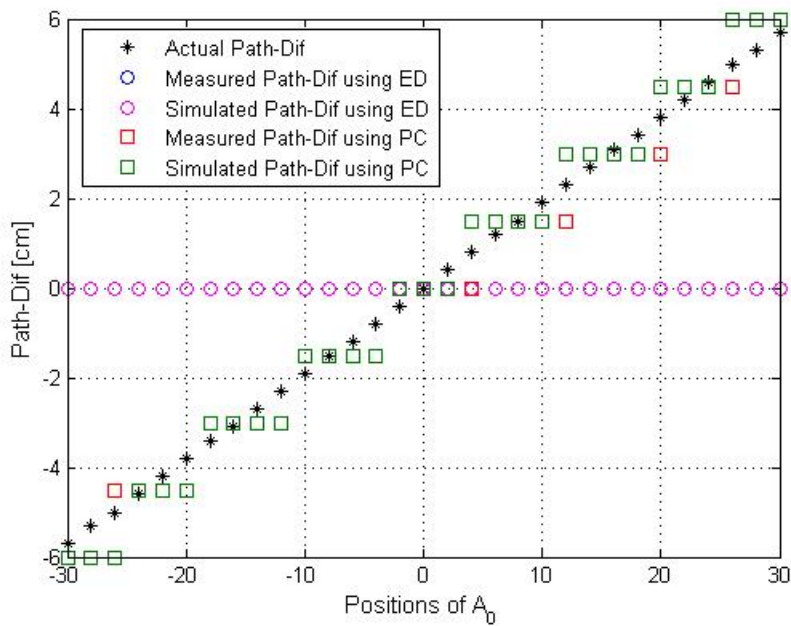


Figure 4.9 – Comparison of the azimuth angle estimation for  $F_e = 160$  GHz.

is reduced to 0.8 cm using the PC method, which is reflected by an error reaching 4 cm in the position  $\alpha$  estimation of  $A_0$ . This error corresponds to an error of  $1.6^\circ$  in the azimuth angle estimation.

To show the effect of the sampling frequency on the limitations of the PC method, we

Figure 4.10 – Error in azimuth angle for  $F_e = 160$  GHz.Figure 4.11 – Comparison of the path difference estimation for  $F_e = 20$  GHz.

compare the obtained results in Figure 4.7 and Figure 4.11.

With our configuration, each offset position of  $A_0$  corresponds to an offset of 0.4 cm in the path difference which is represented by the actual path difference (black star).

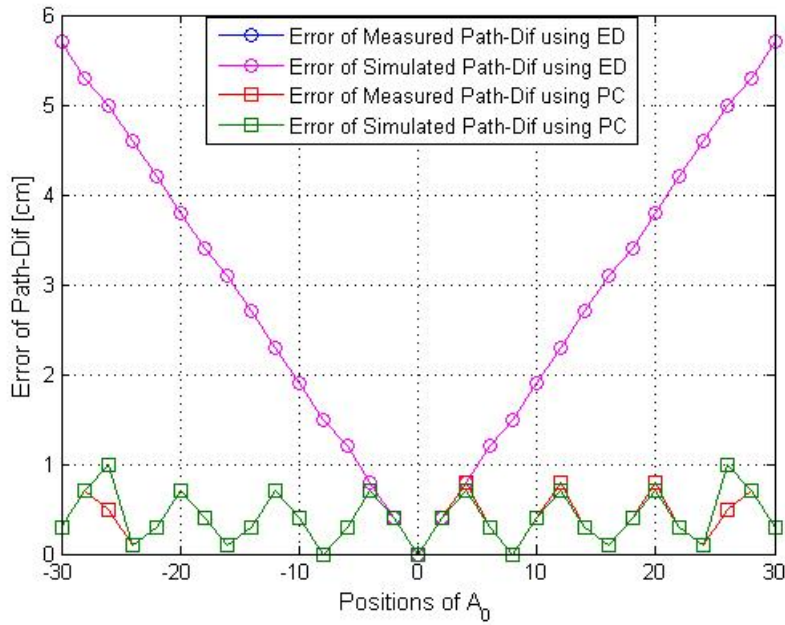


Figure 4.12 – Error in the path difference for  $F_e = 20$  GHz.

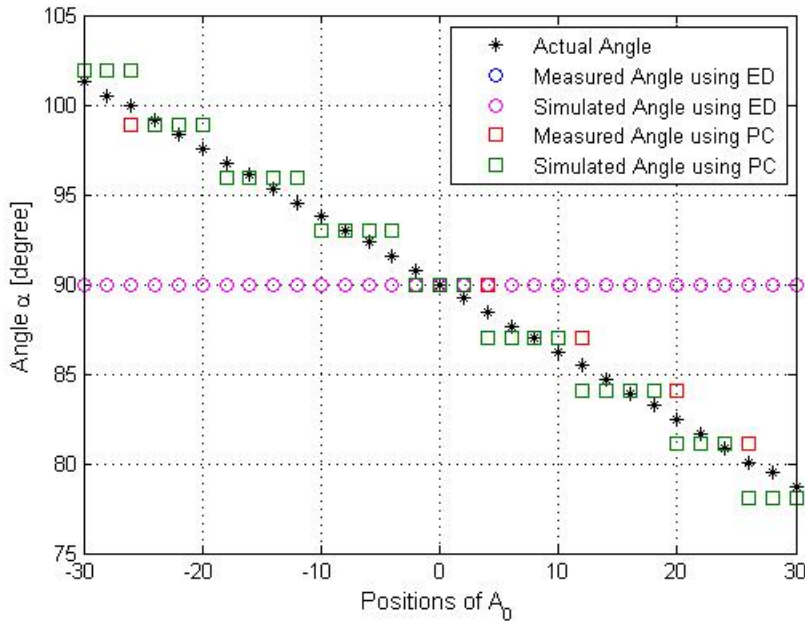
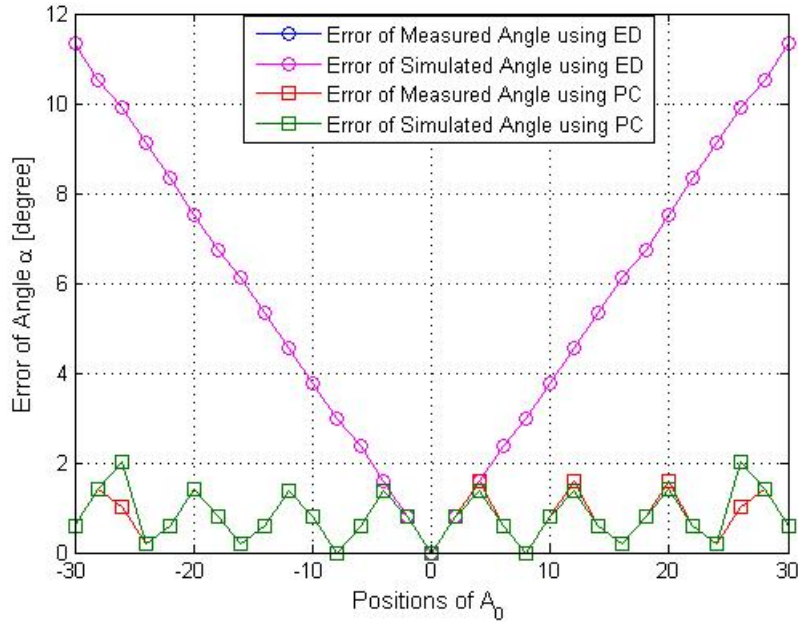


Figure 4.13 – Comparison of the azimuth angle estimation for  $F_e = 20$  GHz.

Since the minimum path difference that the **PC** method can detect is 0.2 cm when  $F_e = 160$  GHz, the estimated path difference in measurement and simulation (plotted using squares), takes different values very close to the actual ones for each position of  $A_0$ ,

Figure 4.14 – Error in azimuth angle for  $F_e = 20$  GHz.

as shown in Figure 4.7.

However, when  $F_e = 20$  GHz, the PC method cannot distinguish between small path differences, if the latter are less than the minimum path difference it can estimate, in this case 1.5 cm. This is reflected in Figure 4.11, where the estimated measured and simulated path difference (presented by squares) takes the same values for different positions of  $A_0$ . For example, the estimated Path-dif is 1.5 cm for 4 different positions of  $A_0$  ( $p_2$  to  $p_5$ ).

Therefore, a high sampling frequency allows a better angular resolution, but is not always easy to implement in real circuits. Hence, a trade-off between resolution and implementation complexity is required.

Table 4.1 summarizes the results obtained in this section for the two sampling frequency 20 and 160 GHz.

Table 4.1 – Comparison between the maximum error of ED and PC methods

	ED method		PC method	
	Path-dif	$\alpha$	Path-dif	$\alpha$
$F_e = 160$ GHz	5.7 cm	11.3°	0.5 cm	1°
$F_e = 20$ GHz	5.7 cm	11.3°	0.8 cm	1.6°

The PC method is therefore validated for a simplified configuration. We are now seeking

to validate it for the proposed ILS presented in Section 3.2 with the integration of the AT.

### 4.3 Phase correlation Method Validation for the proposed ILS

This section is a generalization of the previous section in which we validate the angular resolution improvement of our proposed ILS described in Section 3.2 using the PC method. Recall that our ILS consists of a fixed LBS and an AT that occupies different arbitrary positions.

#### 4.3.1 Simulated and Experimental Setup

The full setup of our ILS is shown in Figure 4.15. On one hand, the LBS consists of one RF transmission chain connected to a circularly polarized antenna  $A_0$  and two RF receiving chains connected to two UWB horn antennas  $A_1$  and  $A_2$  spaced by a distance denoted  $d_{baseline}$ . On the other hand, the AT is a transmitting/receiving chain connected to two circularly polarized antennas  $A_5$  and  $A_6$ .

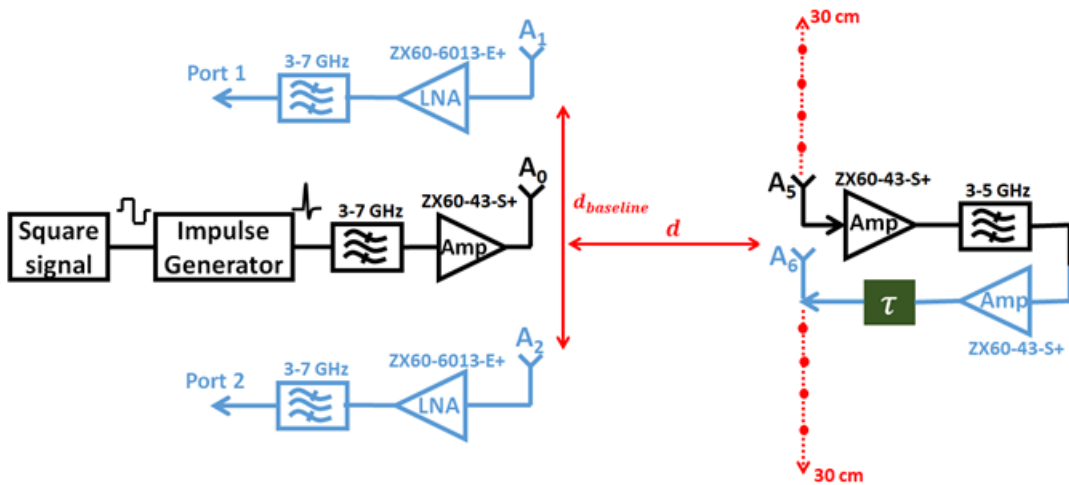


Figure 4.15 – Test bench setup.

The transmitter and receiver chains of the LBS are identical to those described in Section 4.2.1 and the AT is similar to the one presented in Section 3.3.2.

The process starts here in the same way as in the previous case, but instead of receiving the UWB pulses directly by the receiving chain, the AT here receives these pulses via the antenna  $A_5$ . At this stage, a delay  $\tau$  equivalent to a delay line of 8 m in length is applied to the obtained signal before retransmitting it to the LBS with the antenna  $A_6$ . The process of receiving this signal by the two RX chains now continues in the same way as before and ends with the acquisition of the BPF outputs  $U_1$  and  $U_2$  on ports 1 and 2 of the oscilloscope (Tektronix), respectively. This oscilloscope has only one sampling frequency (40 GHz),

which forces us to consider this value for this configuration, i.e.  $F_e = 40$  GHz.

Compared to the previous case where  $A_0$  took 31 different positions  $p_i$  for  $i \in \{-15, \dots, 15\}$ , here the LBS is supposed to be fixed, so is  $A_0$ . Therefore, the AT is the moving entity in this scenario and can take the above-mentioned positions  $p_i$  by shifting it 2 cm on each side of its initial position  $p_0$  in the range  $[-30 \text{ cm} ; 30 \text{ cm}]$  on a straight line parallel to the baseline, as shown in Figure 4.16. In this configuration, we also set  $d_{baseline}$  to 29 cm and the PC method is validated for two values of  $d$ : 1 m and 1.5 m. These two values are selected to study the effects of  $d$  on the PC method's performance. The distance  $d$  represents the distance between the center of  $d_{baseline}$  and the AT when the latter occupies the position  $p_0$ . The maximum actual path difference of our particular system, which corresponds to the positions  $p_{-15}$  and  $p_{15}$ , is equal to 8.3 cm and 5.7 cm for  $d = 1$  and 1.5 m, respectively.

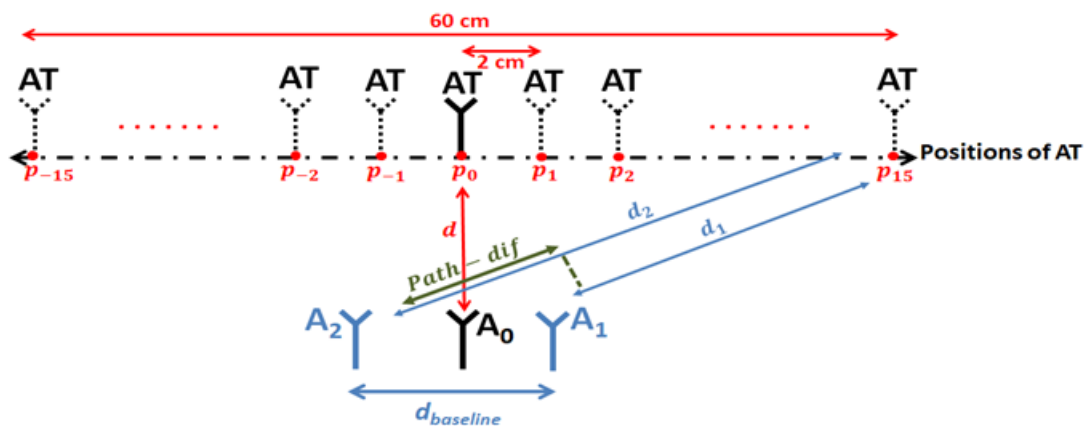


Figure 4.16 – Possible positions of the AT.

Now everything is ready to carry out the experimental setup and the Matlab simulation bench which again uses the CM3 channel model from IEEE 802.15.4a. The 8 m delay line described in Section 3.3.2 used in the experimental setup is translated by a delay of 30 ns in the simulations.

### 4.3.2 Simulated and Experimental Results

Following the same strategy as before, we can notice from Figure 4.17 that the outputs  $U_1(t)$  and  $U_2(t)$  of the two receiving chains (connected to the oscilloscope) when the AT is in the position  $p_0$ , also depict in this case a cosine carrier modulated by a Gaussian pulse.

The path difference between  $U_1$  and  $U_2$  is estimated for each position  $p_i$  using the configuration shown in Figure 4.15 and the obtained results of applying the PC method on the simulated and measured path difference are also compared to the ED method, using the



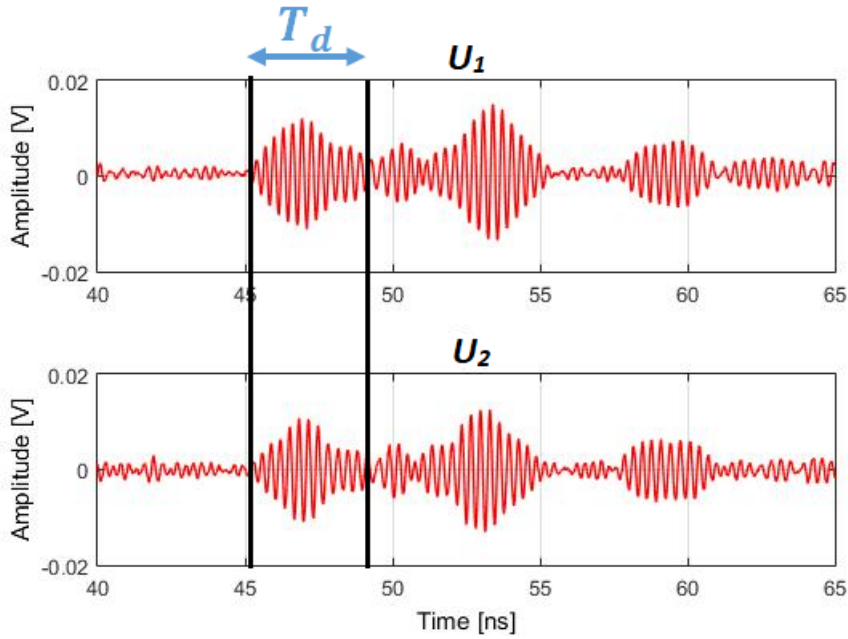


Figure 4.17 – Recorded signals at Ports 1 and 2 for the initial position  $p_0$ .

same parameters reported in the simplified case. Compared to the simplified case, the pulses of this system are more spread out, since they are making a round trip to reach the receiver as shown in Figure 4.17. For this reason, the analysis window  $T_d$  is now equal to 4 ns.

In Figure 4.17, we highlighted with two black lines the pulse of interest in the analysis window  $T_d$  and zoomed it in Figure 4.18.

In this system, the time unbalance between  $U_1$  and  $U_2$  can be overcome by estimating its value through a calibration step in order to take it into account in the computation of the path-difference. Recall that this unbalance occurs because the two receiving chains are not balanced, so that a time difference of 0.1 ns, or alternatively 3 cm of path difference, appears when the AT is not yet displaced (position  $p_0$ ).

For  $d = 1$  m, we compare in Figure 4.19 the real path difference with that simulated and measured by the ED and PC methods, and we show in Figure 4.20 the error in the simulated and measured path difference by the aforementioned methods, for the 31 different positions of the AT. The same comparison is carried out for the Azimuth angle in Figure 4.21 and Figure 4.22. As we can see, the ED and PC methods give roughly the same results in simulations and measurements.

Under the same configuration, in particular the displacement step of 1 ns, the ED method allows to detect a minimum path difference of 30 cm. In contrast, the minimum path difference that the PC method can detect is dictated by the sampling frequency; it is

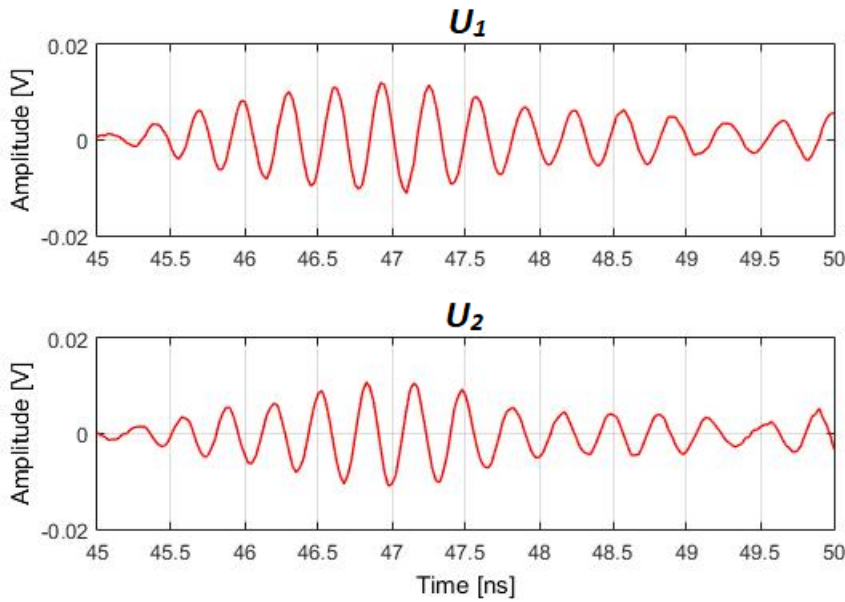
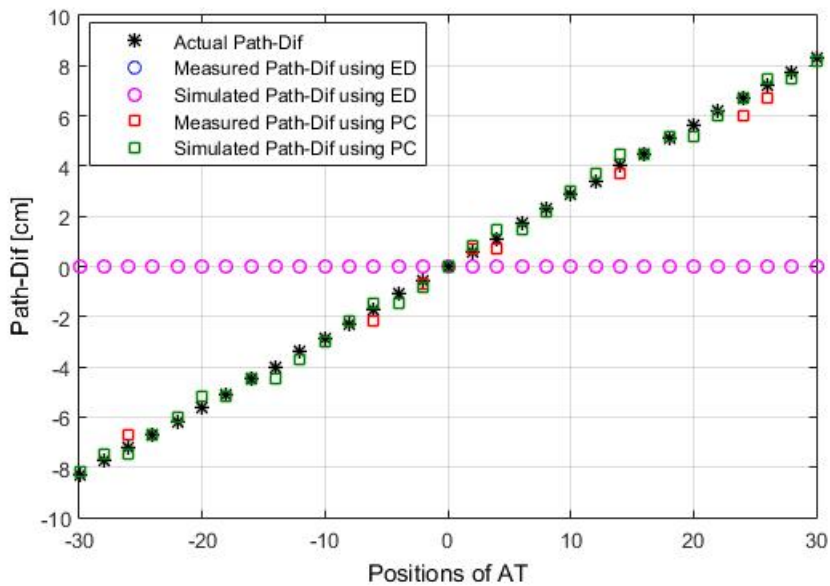


Figure 4.18 – Pulses of interest in the analysis window.

Figure 4.19 – Comparison of the path difference estimation for  $d = 1$  m.

therefore capable of detecting a path difference of 0.8 cm for  $F_e = 40$  GHz.

As can be seen, the ED method estimates the path difference with a maximum error of 8.3 cm which corresponds to the maximum actual path difference, and is equivalent to a maximum angular error of  $16.6^\circ$ . The PC method significantly improves the position estimation by reducing the error in the path difference estimation to 0.5 cm, or alternatively



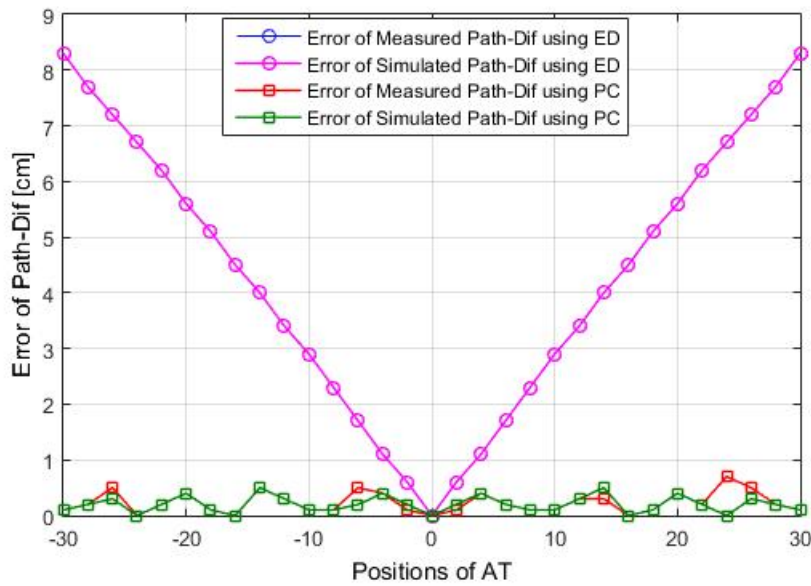


Figure 4.20 – Error in the path difference for  $d = 1$  m.

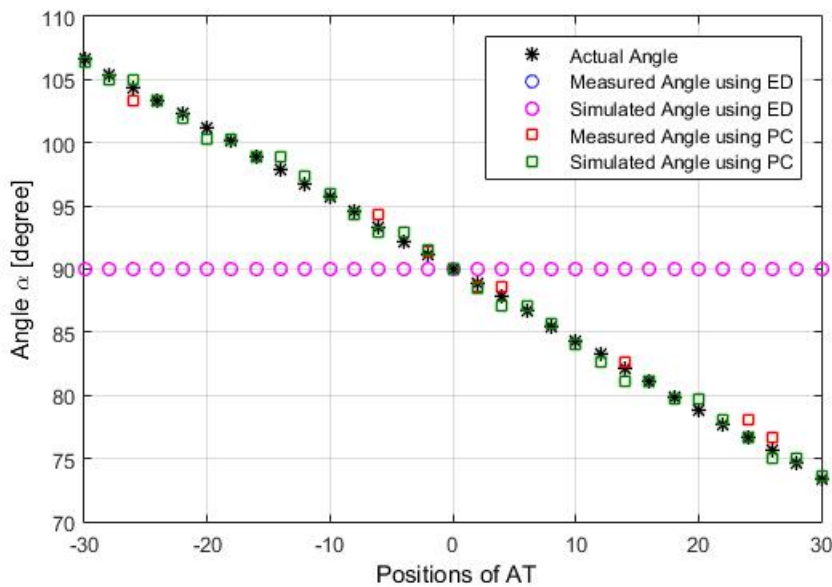
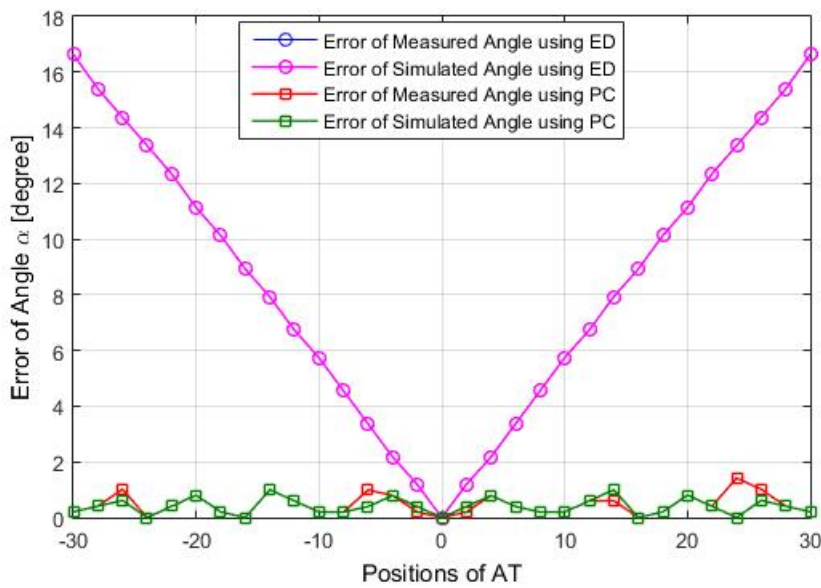
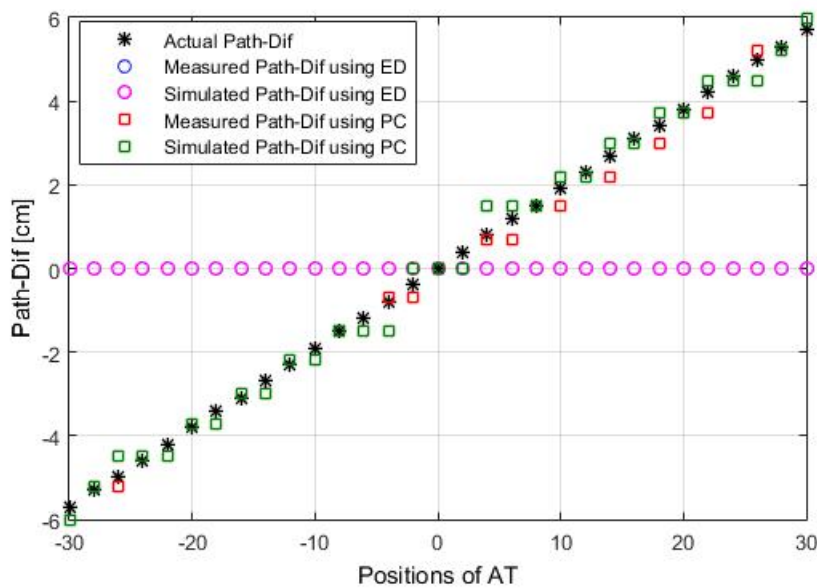


Figure 4.21 – Comparison of the azimuth angle estimation for  $d = 1$  m.

an error reaching 1.6 cm and  $1^\circ$  in the position and azimuth angle estimation of the AT, respectively.

The same comparison is performed for  $d = 1.5$  m in Figures 4.23-4.26. Note that changing the value of the distance  $d$  does not affect the minimum path difference that the ED and PC methods can detect.

Figure 4.22 – Error in azimuth angle for  $d = 1$  m.Figure 4.23 – Comparison of the path difference estimation for  $d = 1.5$  m.

As we can see, the **PC** method provides improved position estimation by reducing the maximum error in the estimated path difference and azimuth angle from 5.7 cm and  $11.3^\circ$  to 0.7 cm (3.5 cm in the **AT** position estimation) and  $1.4^\circ$ , respectively.

To study the effect of the distance on the **PC** method performance, the obtained results

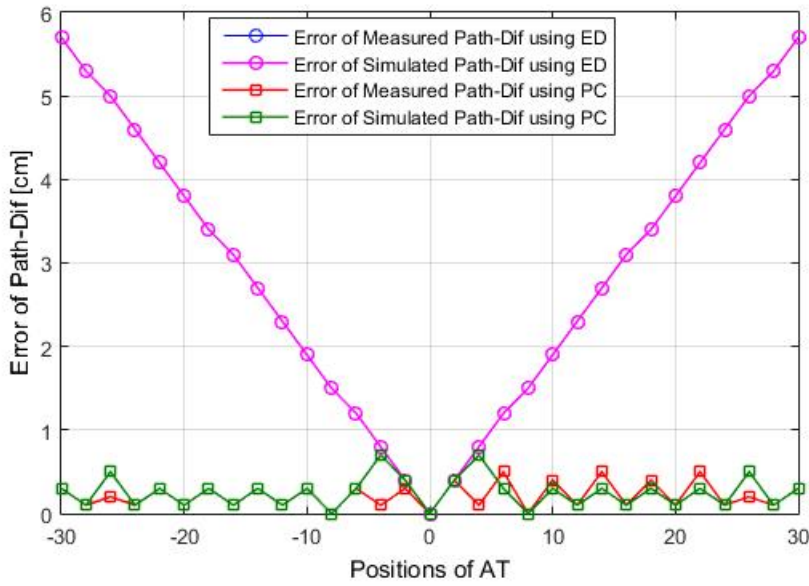


Figure 4.24 – Error in the path difference for  $d = 1.5$  m.

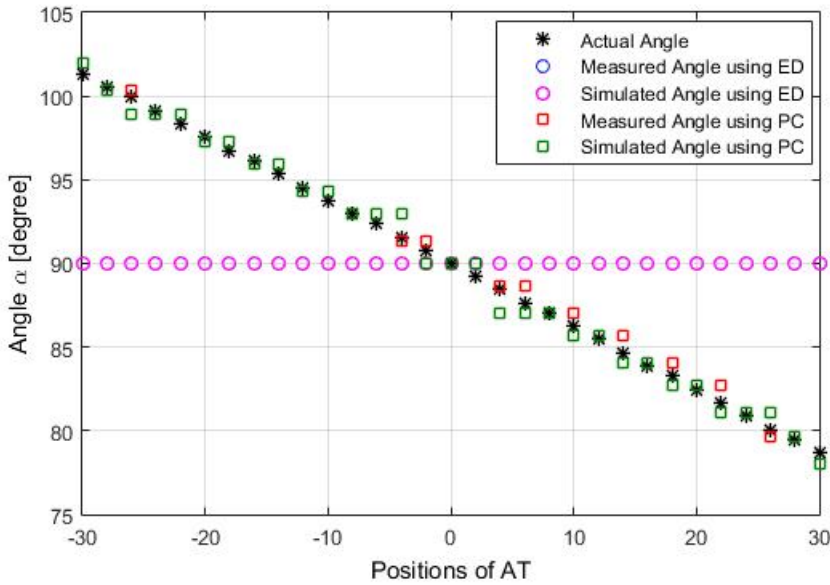
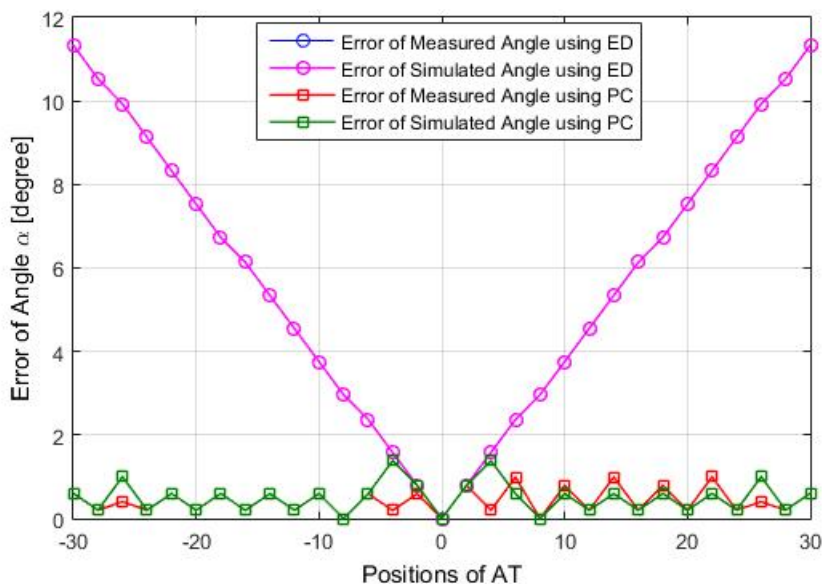


Figure 4.25 – Comparison of the azimuth angle estimation for  $d = 1.5$  m.

for  $d = 1$  and  $1.5$  m are compared.

As shown in Figure 4.19 and Figure 4.23, each offset position of  $A_0$  corresponds to an offset of  $0.6$  cm and  $0.4$  cm in the actual path difference for  $d = 1$  m and  $d = 1.5$  m, respectively. In other words, the minimum path difference that the system shall estimate is equal to  $0.6$  cm for  $d = 1$  m and  $0.4$  cm for  $d = 1.5$  cm.

Figure 4.26 – Error in azimuth angle for  $d = 1.5$  m.

Therefore, the performance of the PC method degrades when the distance increases, as the expected resolution also increases although the system cannot provide it.

Table 4.2 summarizes the results obtained in this section for the two distances 1 and 1.5 m.

Table 4.2 – Comparison between the maximum error of ED and PC methods

	ED method		PC method	
	Path-dif	$\alpha$	Path-dif	$\alpha$
$d = 1$ m	8.3 cm	16.6°	0.5 cm	1°
$d = 1.5$ m	5.7 cm	11.3°	0.7cm	1.6°

Finally, the PC method is validated, and we now proceed to the validation of the Duplex UWB method.

#### 4.4 Duplex UWB Method Validation for the proposed ILS

This section describes the setup used to validate the duplex UWB method employed to estimate the distance of an AT. It presents the respective results with a particular focus on showing the improvement of the distance resolution for the proposed ILS compared to the conventional ED and TC methods.

#### 4.4.1 Simulated Setup

The configuration used to validate the duplex **UWB** method is shown in Figure 4.27. The transmitter chain, the **AT** and the receiver chains are identical to those detailed in Section 3.3.

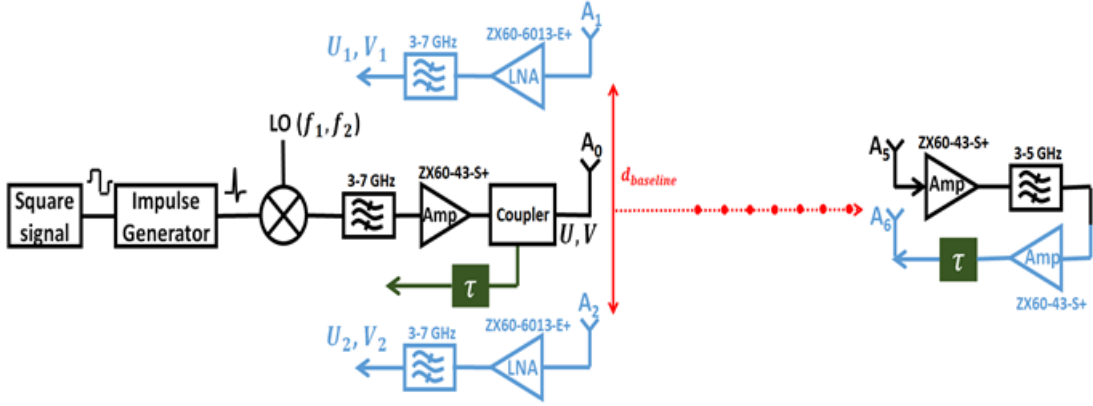


Figure 4.27 – Test bench setup.

Therefore, the process starts by sending two **UWB** pulses  $U$  and  $V$  having the same width and at carrier frequencies  $f_1$  and  $f_2$ , respectively, via the front-end antenna  $A_0$ . These pulses reach the **AT** and are transmitted back to the **LBS** via the antenna  $A_6$  following the same steps as before. The received signals  $(U_1, V_1)$  and  $(U_2, V_2)$  by the two RX chains are then sampled with a sampling frequency of 20 GHz before being processed.

To improve distance resolution, the **AT** can take different positions on an axis orthogonal to  $d_{baseline}$ . This axis is located at a distance  $d$  from the center of  $d_{baseline}$ , chosen here equal to 29 cm. The **AT** can therefore take 51 different positions  $p_i$  with  $i \in \{0, \dots, 50\}$ , as shown in Figure 4.28, by shifting it 2 cm each time in the same direction within the range [1 m ; 2 m].

This configuration is now used for the Matlab simulation bench, which again adopts the CM3 channel model of IEEE 802.15.4a. The two emitted pulses  $U$  and  $V$  correspond to the waveform defined in Eq.(4.1) and are given by

$$U(t) = A \cos(2\pi f_1 t) e^{-\left(\frac{t}{T_p}\right)^2} \quad (4.2)$$

$$V(t) = A \cos(2\pi f_2 (t - t_s)) e^{-\left(\frac{t-t_s}{T_p}\right)^2} \quad (4.3)$$

where  $f_1 = 3.5$  GHz and  $f_2 = 3.55$  GHz are the carrier frequencies of  $U(t)$  and  $V(t)$  respectively, and  $t_s = 20$  ns the starting time of  $V(t)$ .  $t_s$  is chosen equal to the broadened pulse duration in order to prevent the interference between the two received signals.

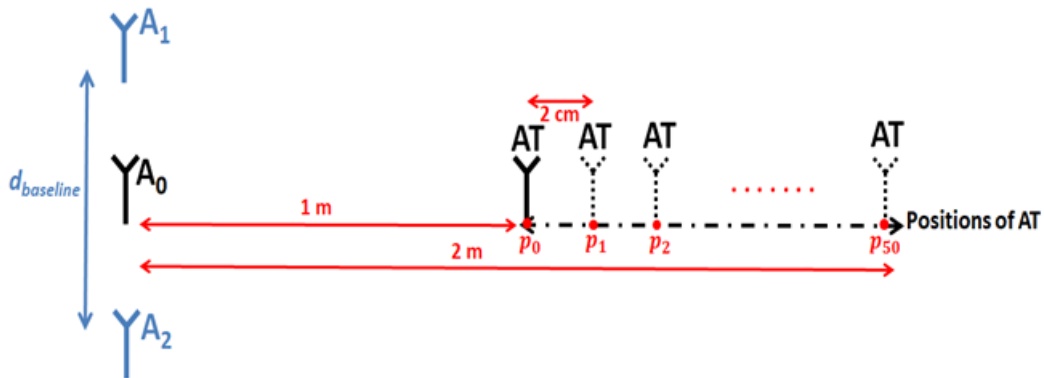
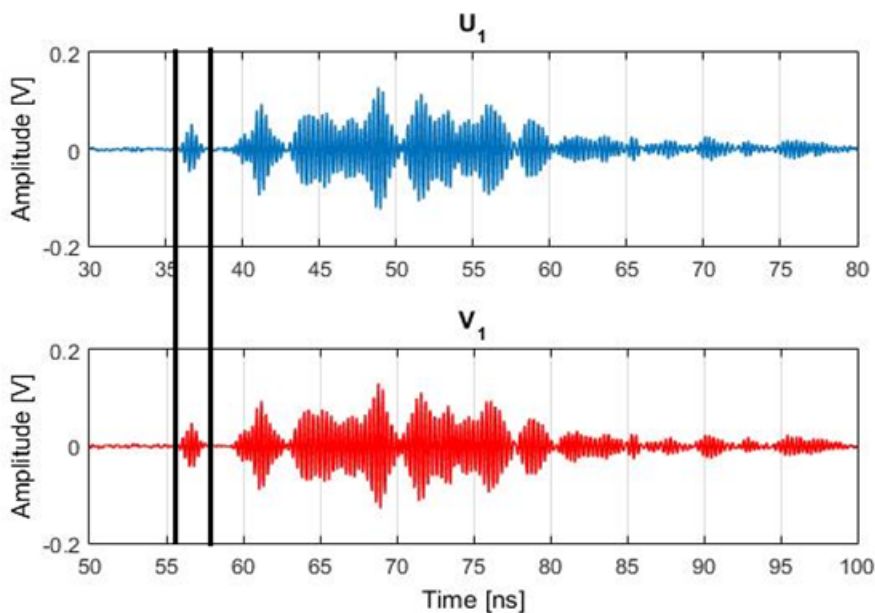


Figure 4.28 – Possible positions of the AT.

#### 4.4.2 Simulated Results

In Figure 4.29 and Figure 4.30, the broadened received signals for the initial position of the AT are presented. As we can see, the deformation and distortion of these signals by the environment are the same for both center frequencies and on both RX-chains. Moreover, these received pulses, i.e.  $U_1(t)$ ,  $V_1(t)$ ,  $U_2(t)$  and  $V_2(t)$  takes the same time of flight to reach the respective RX-chain since the path difference between the received signals on both receiving chains is zero (the AT is placed at different positions on an orthogonal axis to  $d_{baseline}$ ).

Figure 4.29 – Received signals at RX-chain 1 for the initial position  $p_0$ .

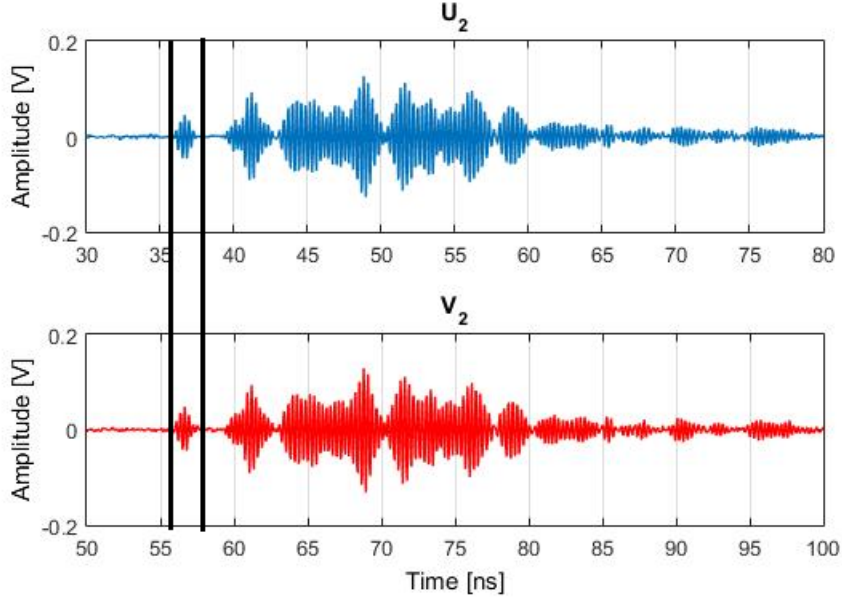


Figure 4.30 – Received signals at RX-chain 2 for the initial position  $p_0$ .

The distance between the LBS and the AT is estimated for each position  $p_i$  of the latter using the setup shown in Figure 4.27. To validate the proposed approach, the results of the simulated distance obtained by the duplex UWB method described in Section 2.6.1 are compared with two energy detection based methods. Namely, the ED method which consists in searching for the maximum energy and the TC method [2] which consists in searching for the excess of a pre-defined threshold  $\epsilon$  given by

$$\epsilon = a \cdot \sigma \quad (4.4)$$

with  $\sigma$  the standard deviation of the received noise and  $a$  the threshold factor. According to [3], the optimal threshold factor  $a$  is 2.5 for CM1, CM2, CM3 and CM4 channel models.

The frequency difference  $\Delta f = f_2 - f_1$  is fixed to 50 MHz and the same parameters used before in the energy calculation are retained.

Among the entire signal ( $U_1$ ,  $V_1$ ,  $U_2$  or  $V_2$ ) shown in Figure 4.29 and Figure 4.30, we are interested in the part between the two black lines because it represents the first path of each signal. For this reason, we focus exclusively on these parts in Figure 4.31 and Figure 4.32.

Figure 4.33 compares the actual distance with that simulated by the ED, TC and duplex UWB methods, and Figure 4.34 shows the error in the simulated distance obtained by the abovementioned methods, for the 51 different positions of the AT.



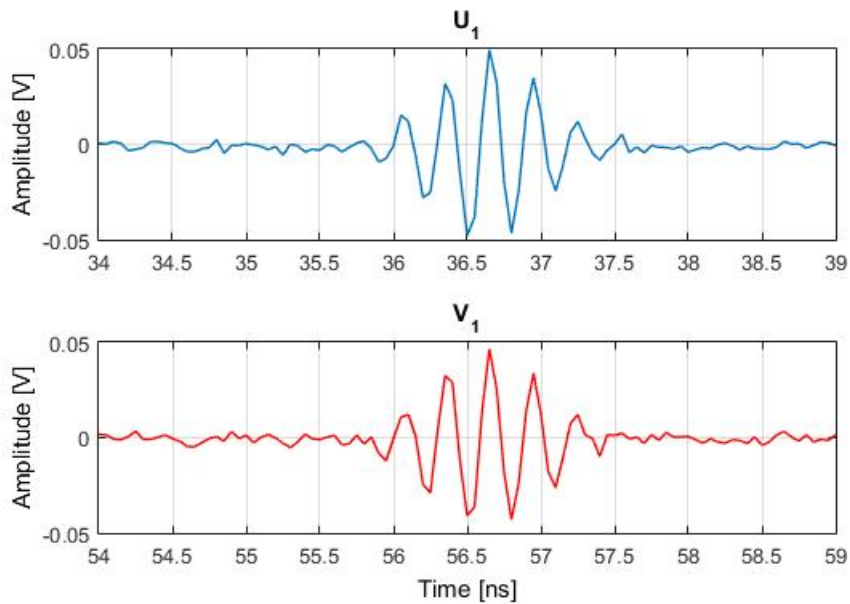


Figure 4.31 – Pulses of interest at RX-chain 1.

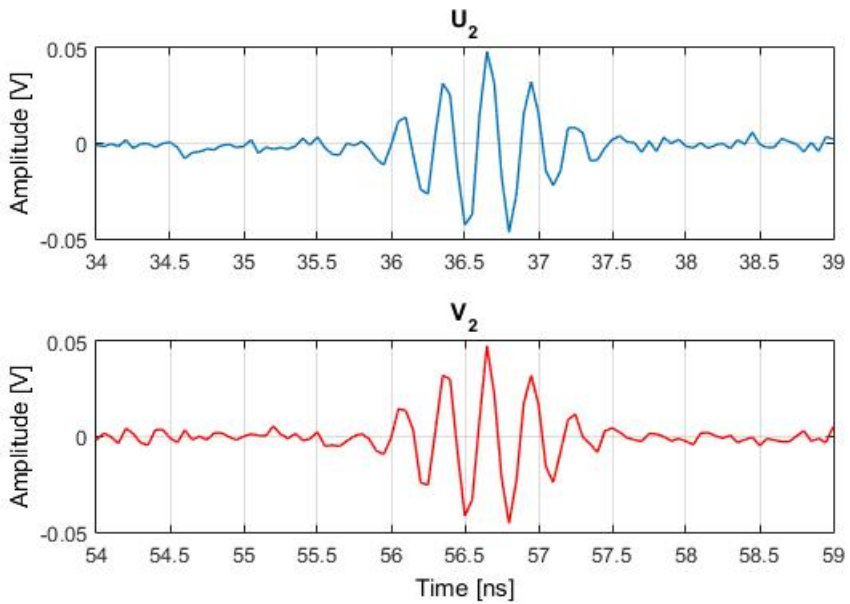


Figure 4.32 – Pulses of interest at RX-chain 2.

It is worth recalling that the [ED](#) method estimates the distance based on the detection of the maximum energy block. Therefore, the distance estimation error increases as the first path in our case is not always the one with the highest energy.

The distance resolution of the [ED](#) and [TC](#) methods depends on the chosen displacement



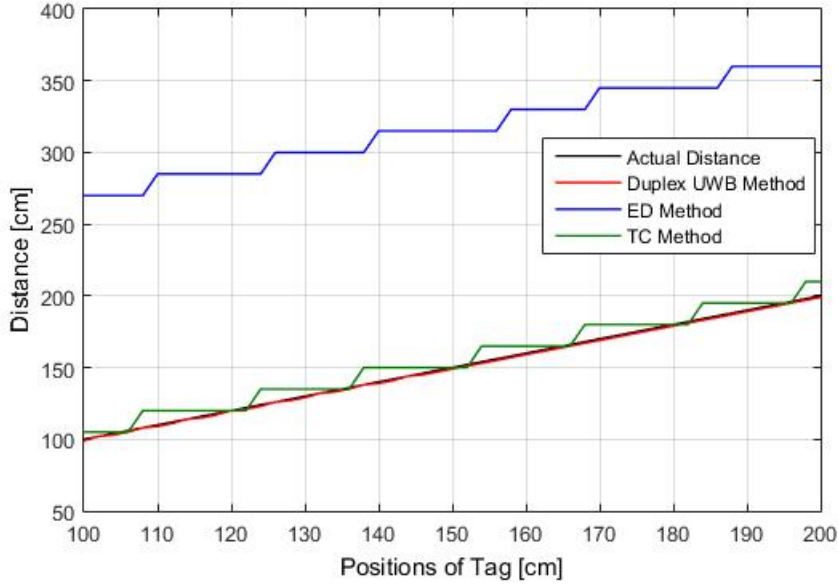


Figure 4.33 – Comparison of the distance estimation.

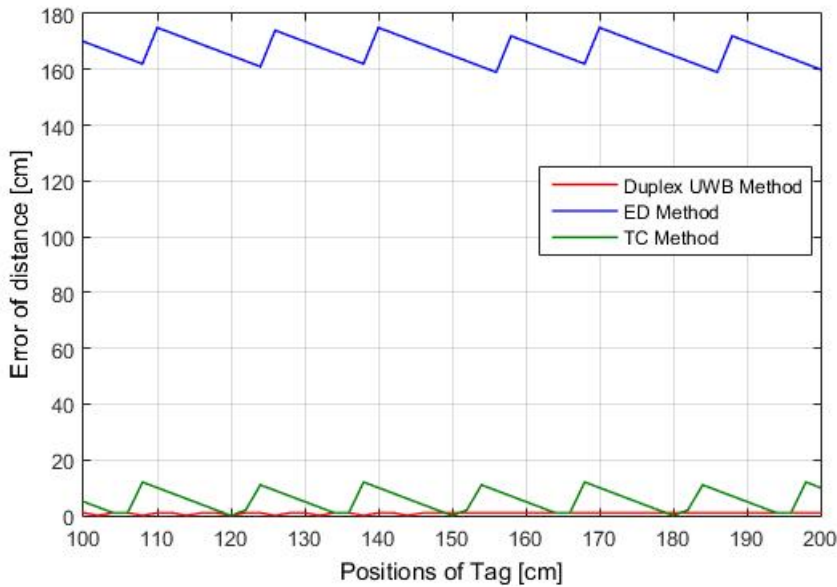


Figure 4.34 – Error in the distance.

step, while it depends on the sampling frequency for the duplex UWB method. In this configuration, the resolution of the ED and TC methods is 15 cm for a displacement step of 1 ns, whereas the resolution of the duplex UWB method is 0.8 cm for  $F_e = 20$  GHz. Therefore, we can conclude that the ED and TC methods are unable to detect a distance offset of about 2 cm, whilst our proposed method can even detect a smaller offset.

This result is clearly reflected in Figure 4.34, where the average error in the estimated distance for the ED method is 167 cm (incorrect estimate of the first path) and 5.4 cm for the TC method. Moreover, the maximum error in the estimated distance with respect to its average is 8 cm for the ED method and 7 cm for the TC method, and decreases to 1 cm when the duplex UWB method is employed. This error provides an insight into the distance resolution offered by the used method. Therefore, we can argue that the TC method improves the distance accuracy but with the same distance resolution as the ED method. Our method remains much better than these two methods, since it improves distance accuracy and resolution at the same time.

## 4.5 Comparison with Trilateration Method in LoS Situation

This section is devoted to compare our results with those obtained by the famous trilateration method used in the literature for ILSs. The main difference between these two techniques is how the AT position is estimated: our technique is based on radial and angular measurements while the trilateration technique is based only on distance measurements using a constellation (multiple anchors). This comparison will highlight the significant improvement brought by our technique on the accuracy and resolution of the ILS.

### 4.5.1 Simulated Setup

Figure 4.35 shows the configuration considered for the MATLAB simulation bench with all the possible positions of the AT. On one hand, the LBS of our system consists of a transmitting antenna  $A_0$  placed at the origin  $(0, 0)$  between two receiving antennas  $A_1$  and  $A_2$  placed along the y-axis and separated by  $d_{baseline} = 30$  cm. On the other hand, the constellation-based ILS consists of 3 anchors, with the first one being the same antenna  $A_0$  of the LBS. The coordinates of each element are also shown in this figure.

To validate the improvement of the position resolution using our ILS, the AT can take 35 different positions  $p_i$  with  $i \in \{0, \dots, 34\}$ . These positions can be divided into three different trajectories:

- **Trajectory 1:** The AT takes different positions on a straight line parallel to the y-axis at a distance  $d = 1.5$  m from the center. It corresponds to positions  $p_0$  to  $p_{12}$  in the range  $[-30\text{cm}; 30\text{cm}]$  with a 5 cm offset between each two consecutive positions.
- **Trajectory 2:** The AT takes different positions along the x-axis in the range  $[1.55\text{m}; 1.95\text{m}]$ . It corresponds to positions  $p_{13}$  to  $p_{21}$  with the same offset of 5 cm between each two consecutive positions.
- **Trajectory 3:** The AT takes different positions again on a straight line parallel to the y-axis, but this time at a distance  $d = 2$  m from the center. It corresponds to positions

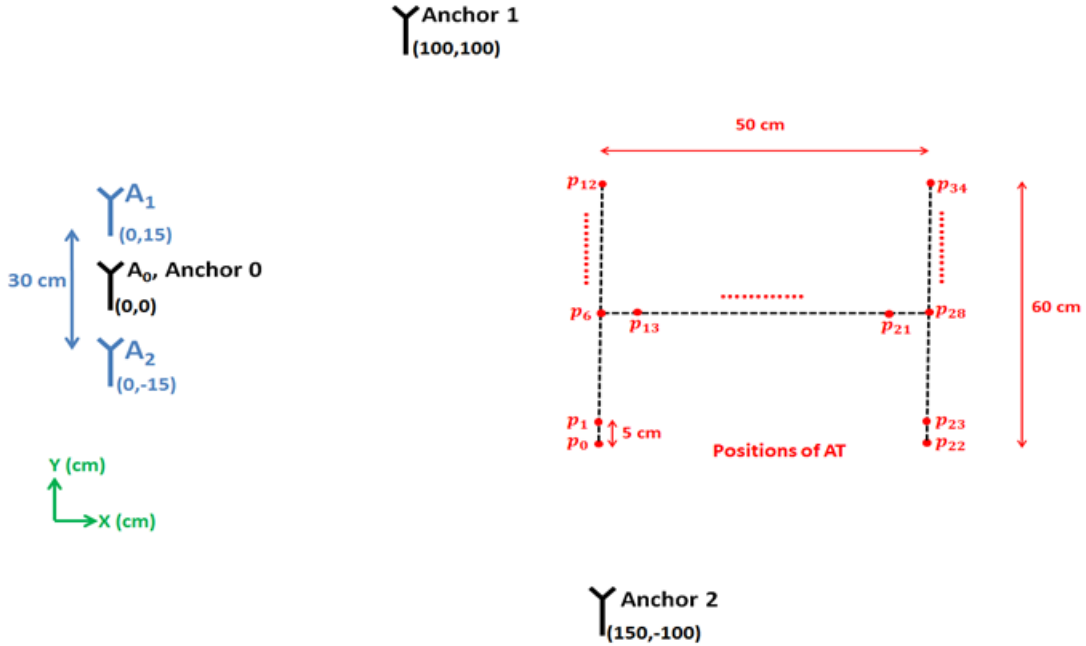


Figure 4.35 – Possible positions of the AT.

$p_{22}$  to  $p_{34}$  covering the same range and using the same offset of the first trajectory.

Like in previous cases, the CM3 channel model of IEEE802.15.4a is adopted. A pulse  $U$  is emitted simultaneously by the 3 anchors with a center frequency  $f_1 = 3.5$  GHz. After a delay  $t_s = 20$  ns,  $A_0$  (Anchor 0) emits a second pulse  $V$  with a center frequency  $f_2 = 3.55$  GHz.  $U$  and  $V$  are already defined in Eq. (4.2) and Eq. (4.3), respectively. The sampling frequency used for processing is 20 GHz.

Figure 4.36 shows the methodology of the above-mentioned techniques in estimating the AT position. First, our ILS estimates the AT position in two steps:

1. Compute the radial distance  $d$  using the UWB duplex method.
2. Compute the Azimuth angle  $\alpha$  using the PC method.

The position  $(x, y)$  of the AT is expressed in terms of  $d$  and  $\alpha$  as follows

$$\begin{cases} x = d \sin \alpha \\ y = d \cos(180^\circ - \alpha) \end{cases} \quad (4.5)$$

In contrast, the constellation-based ILS estimates the AT position by applying the TC method over three estimated distances  $d_0, d_1$  and  $d_2$ . These distances will then be used to estimate the AT position  $(x, y)$  as follows

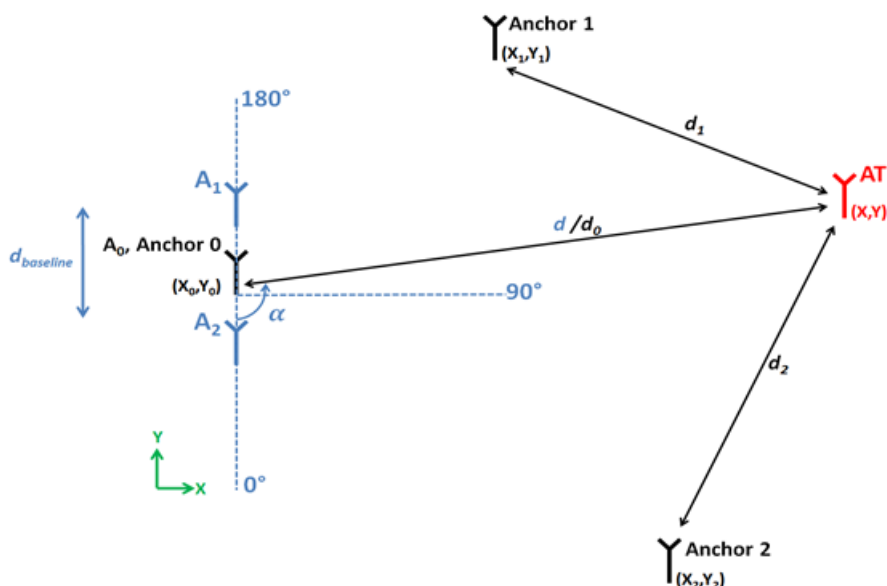


Figure 4.36 – AT position estimation methodology.

$$x = \frac{Ay_{21} + By_{02} + Cy_{10}}{2(x_0y_{21} + x_1y_{02} + x_2y_{10})} \quad (4.6)$$

$$y = \frac{Ax_{21} + Bx_{02} + Cx_{10}}{2(y_0x_{21} + y_1x_{02} + y_2x_{10})} \quad (4.7)$$

where

$$\begin{cases} A = x_0^2 + y_0^2 - d_0^2 \\ B = x_1^2 + y_1^2 - d_1^2 \\ C = x_2^2 + y_2^2 - d_2^2 \end{cases} \quad (4.8)$$

and

$$\begin{cases} x_{21} = x_2 - x_1 \\ x_{02} = x_0 - x_2 \\ x_{10} = x_1 - x_0 \end{cases} \quad (4.9)$$

$$\begin{cases} y_{21} = y_2 - y_1 \\ y_{02} = y_0 - y_2 \\ y_{10} = y_1 - y_0 \end{cases} \quad (4.10)$$

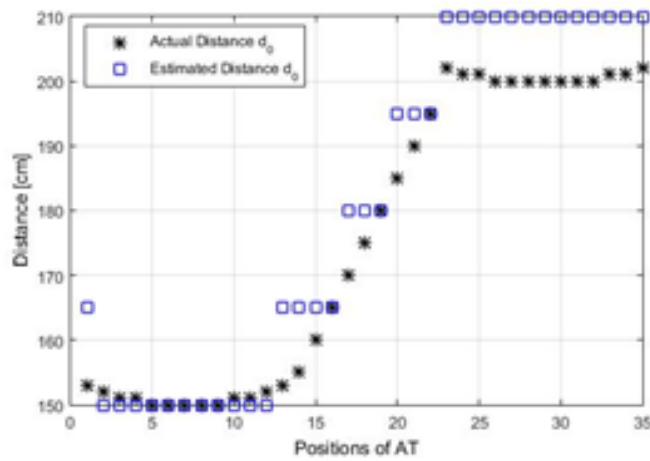
## 4.5.2 Simulated Results

Figure 4.37a, Figure 4.38a and Figure 4.39a show the actual distances  $d_0$ ,  $d_1$  and  $d_2$  with those estimated by a constellation-based ILS, respectively. Figure 4.37b, Figure 4.38b and

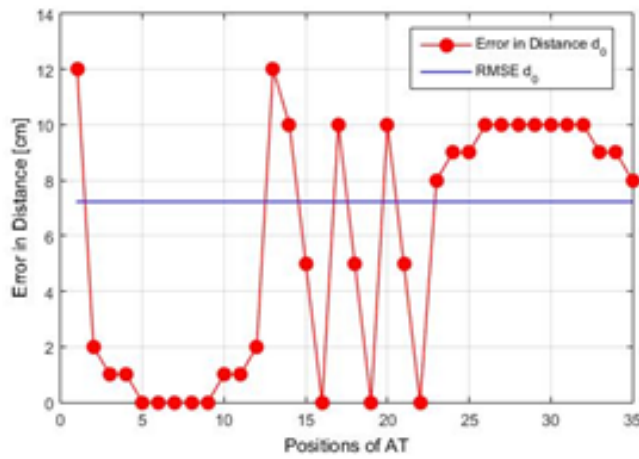
Figure 4.39b show the error in estimating these distances for the 35 different positions of the AT. The accuracy is also indicated in terms of Root Mean Square Error (RMSE) measurement given by

$$RMSE = \sqrt{\frac{1}{N} \sum_{i=1}^N (\hat{\theta}_i - \theta_i)^2} \tag{4.11}$$

where  $N$  is the number of possible AT positions,  $\theta_i$  and  $\hat{\theta}_i$  are the actual and estimated values, respectively.



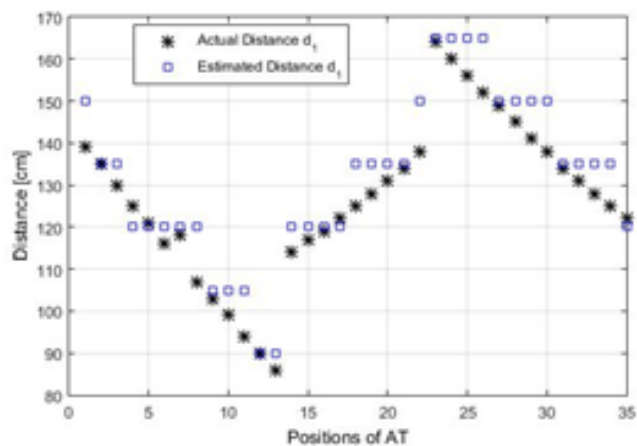
(a) Estimation.



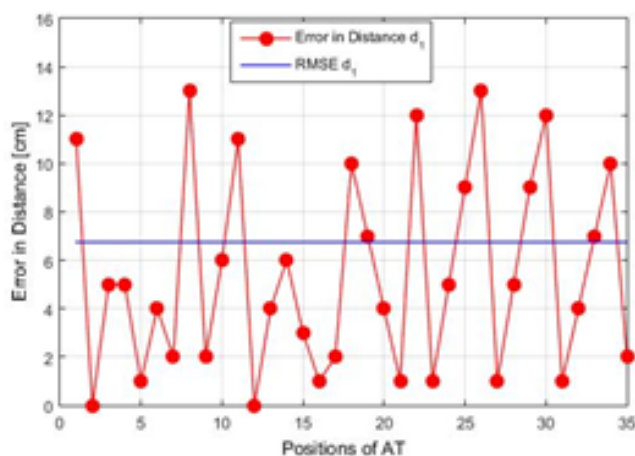
(b) Error.

Figure 4.37 – Distance  $d_0$  Estimation and Error.

As we can see, the trilateration method estimates the same distances for different actual distances when the latter are too close to each other. Take the estimation of  $d_0$  in Figure 4.37a as an example. The method considers the AT to be at the same distance 210 cm, when in reality it is changing slightly its position (from  $p_{21}$  to  $p_{34}$ ). In terms of estimation



(a) Estimation.



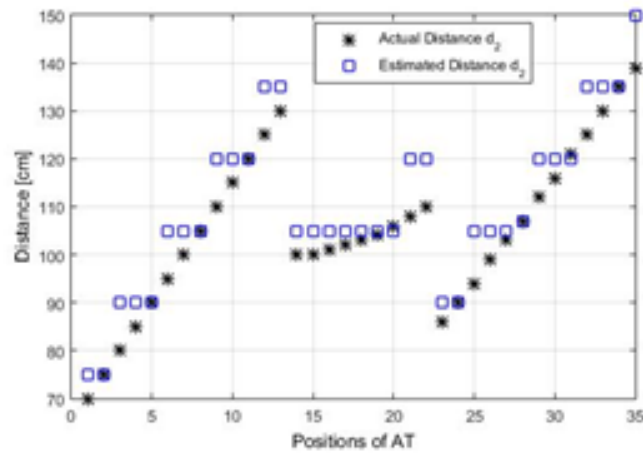
(b) Error.

Figure 4.38 – Distance  $d_1$  Estimation and Error.

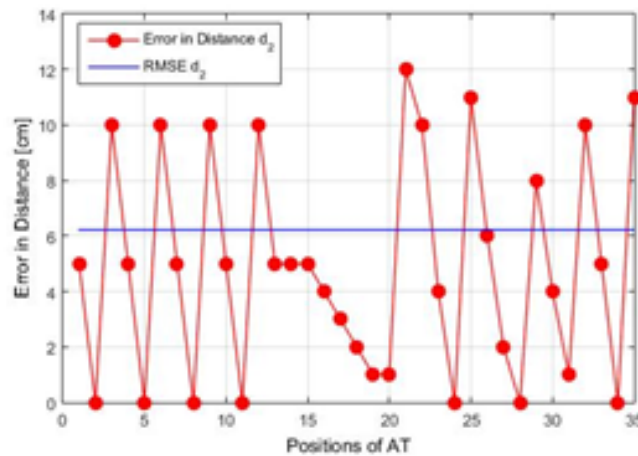
error,  $d_0$  has a maximal error of 12 cm with an RMSE of 7.2 cm. Similarly, the maximal error in  $d_1$  (reps.  $d_2$ ) estimation is 13 cm (resp. 12 cm) with an RMSE of 6.7 cm (resp. 6.2 cm).

Figure 4.40a (resp. Figure 4.41a) shows the actual radial distance  $d$  (resp. the azimuth angle  $\alpha$ ) with that estimated by our ILS. Figure 4.40b (resp. Figure 4.41b) shows the error in this estimated distance (resp. angle) for the 35 different positions of the AT.

As we can see, our method can detect small changes in the AT position compared to the previous method which assumes that the AT is fixed if the positions are too close to each other. This conclusion is reflected in Figure 4.40a where there exists in most cases a different estimated distance for each actual distance, which demonstrates the significant improvement in the distance resolution. Moreover, in terms of estimation error,  $d$  has a



(a) Estimation.

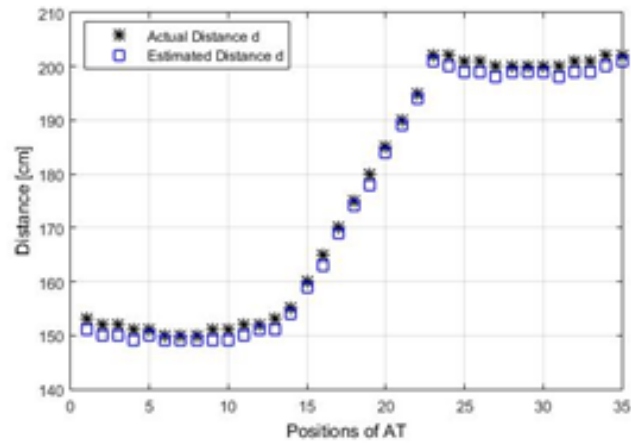


(b) Error.

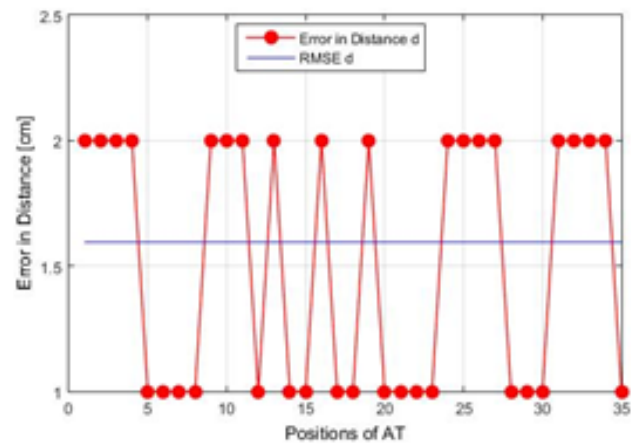
Figure 4.39 – Distance  $d_2$  Estimation and Error.

maximal error of 2 cm with an RMSE equal to 1.6 cm. This error is too small compared to the previous method, which in turn illustrates the improvement of the distance accuracy. On the other hand, we can see that the system can estimate the exact value of  $\alpha$  when the AT is placed at different positions on Trajectory 2, and with some error when the AT takes different positions on the other two trajectories. The maximum error in the angle estimation is  $1.5^\circ$  with an RMSE equal to  $0.8^\circ$ . We can also notice that the maximal error increases with the distance:  $1.5^\circ$  for Trajectory 3 Vs.  $1^\circ$  for Trajectory 1.

Figure 4.42 compares the actual positions of the AT with those estimated by our proposed ILS and the constellation-based ILS. It is clear that our system can accurately estimate the position of the AT. The limitation of the trilateration system in detecting small variation in the distance results also in a limitation in estimating the overall position of the AT. In



(a) Estimation.

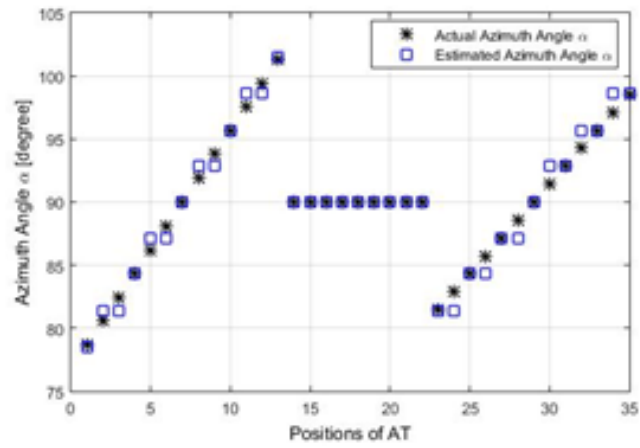


(b) Error.

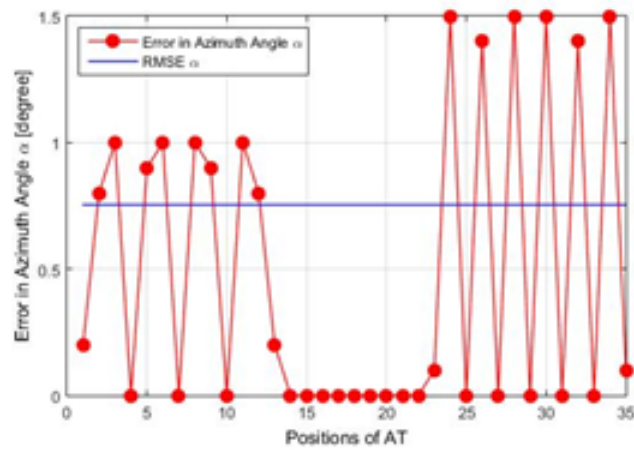
Figure 4.40 – Distance  $d$  Estimation and Error.

other words, the same position is estimated for different AT actual positions (21 estimated positions Vs. 35 actual positions). We can therefore conclude that our system increases the accuracy and the resolution of the localization in an indoor environment.





(a) Estimation.



(b) Error.

Figure 4.41 – Azimuth angle  $\alpha$  Estimation and Error.

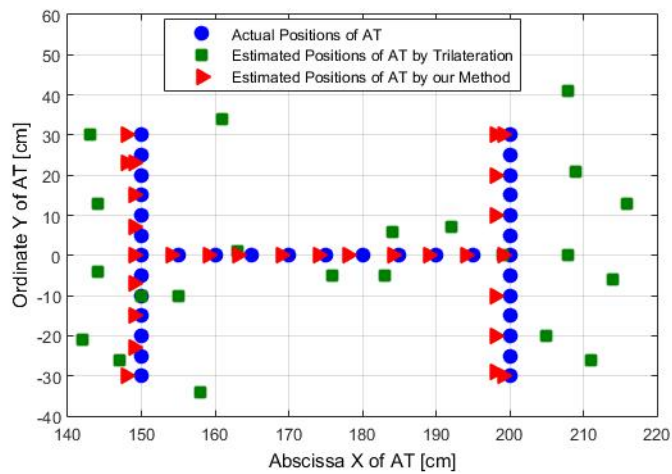


Figure 4.42 – Comparison of AT positions estimate.

## 4.6 Comparison with Trilateration Method in Obstructed LoS Case

In many real-life situations, the object to be located is not in the ILS line-of-site. This scenario can occur when there is a physical object or any obstruction in the propagation path, preventing a direct link between the transmitter and receiver. In this case, the radio transmission is mainly established by penetrating through the obstacle, which will further attenuate and delay the received signals. Therefore, this section extends the previous one to study the influence of an unexpected obstacle between the LBS and the AT. To this end, our technique is also compared to the trilateration method. The results prove that our technique is robust and remains effective even in obstructed LoS case.

### 4.6.1 Simulated Setup

The configuration adopted here and shown in Figure 4.43 is similar to that used in Section 4.5 with slight modifications:

- Anchors 1 and 2 are placed in different positions.
- The NLoS framework is created by adding a physical object at a distance  $d = 30$  cm from the center.

In this configuration, we assume that  $d_{baseline} = 10$  cm and the AT can take 7 different positions  $p_i$  with  $i \in \{0, \dots, 6\}$ , such that the radial distances are kept in the range [1.5 m, 2.5 m] with respect to the fixed position of the LBS, and the angular positions remain in the angular zone  $[30^\circ, 150^\circ]$  as specified in Section 3.5.4.

In the simulations, the localization process of both techniques is carried out similarly to the LoS case, but with an additional delay of 0.5 ns to mimic the effect of the obstacle on signal propagation.

### 4.6.2 Simulated Results

Figure 4.44a, Figure 4.45a and Figure 4.46a show the actual distances  $d_0$ ,  $d_1$  and  $d_2$  with those estimated by a constellation-based ILS, respectively. Figure 4.44b, Figure 4.45b and Figure 4.46b show the error in estimating these distances for the 7 different positions of the AT.

In terms of estimation error,  $d_0$  has a maximal error of 40 cm with an RMSE of 36 cm. Similarly, the maximal error in  $d_1$  (reps.  $d_2$ ) estimation is 27 cm (resp. 24 cm) with an RMSE of 18 cm (resp. 18 cm). As we can see,  $d_0$  has the largest RMSE because its Anchor

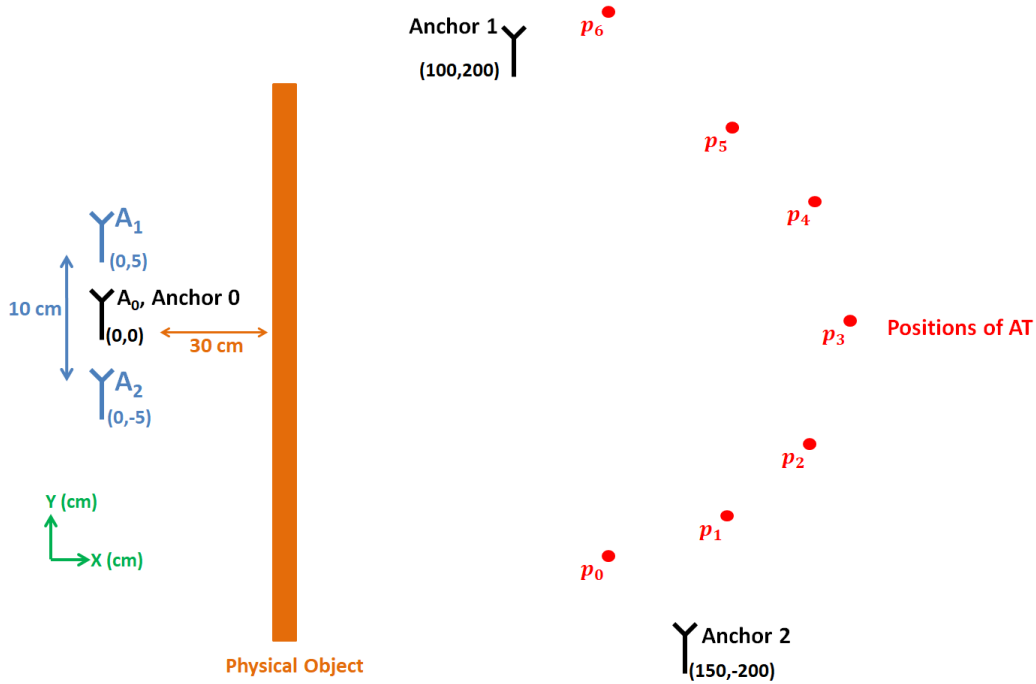


Figure 4.43 – Possible positions of the AT.

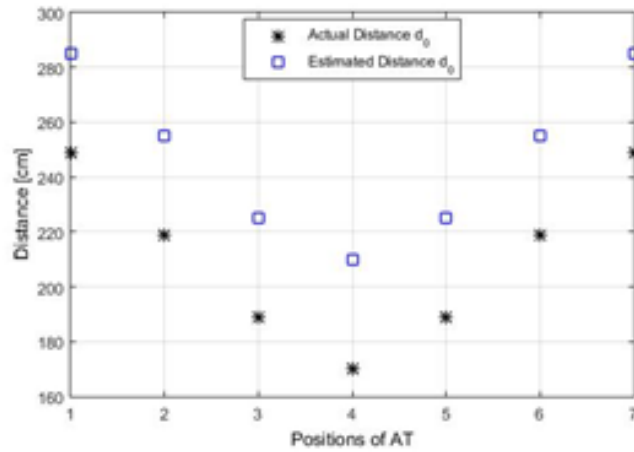
0 relies on obstructed LoS signals to estimate the distance, knowing that the obstacle adds an extra delay of 1 ns (30 cm round-trip) on the received signal.

Figure 4.47a (resp. Figure 4.48a) shows the actual radial distance  $d$  (resp. the azimuth angle  $\alpha$ ) with that estimated by our ILS. Figure 4.47b (resp. Figure 4.48b) shows the error in this estimated distance (resp. angle) for the 7 different positions of the AT.

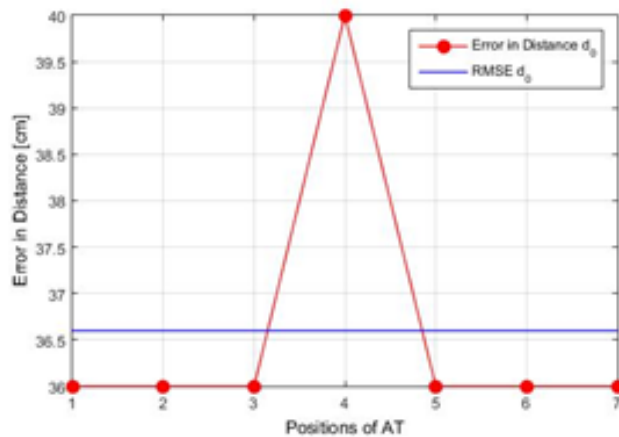
In terms of estimation error,  $d$  has a maximal error of 14 cm with an RMSE equal to 13 cm. Compared to the previous method, this method offered a much smaller error illustrating thus the improvement of the distance accuracy. Moreover, a simple comparison of this result with the LoS case shows the high estimation error caused again by the extra 1 ns (30 cm round-trip) delay added to the received signal before reaching  $A_1$  and  $A_2$ . This clearly shows the effect of the physical obstacle in estimating distance  $d$ .

On the other hand, the maximum error in the angle estimation is  $4^\circ$  with an RMSE equal to  $3^\circ$ . Compared to the LoS case, this error is also considered small because the two received signals are equally affected by the physical object.

Figure 4.49 compares the actual positions of the AT with those estimated by our proposed ILS and the constellation-based ILS. It is clear that our system can accurately estimate the position of the AT even in the obstructed LoS case. Our technique is less affected by the physical obstacle, since the Azimuth angle estimate is immune to it and only the distance



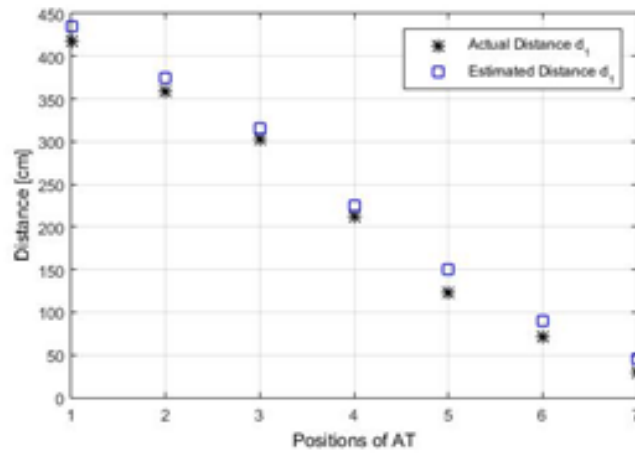
(a) Estimation.



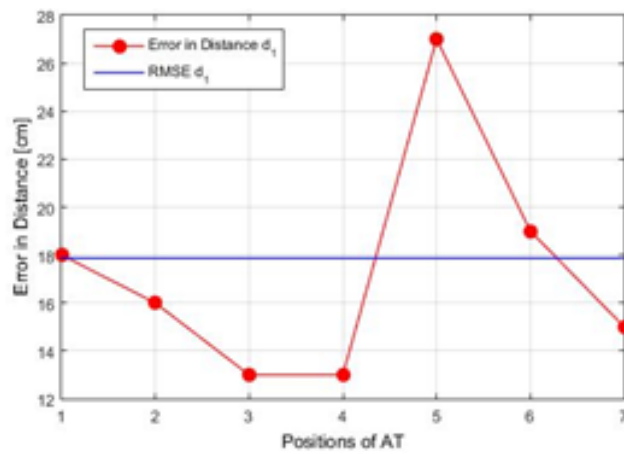
(b) Error.

Figure 4.44 – Distance  $d_0$  Estimation and Error.

estimate is truly impacted. On the other hand, the trilateration method is badly affected, since it is based only on distance measurement which is influenced by the presence of the obstacle. We can therefore conclude that our system is more robust and increases the accuracy of the localization in an obstructed LoS situation of an indoor environment.

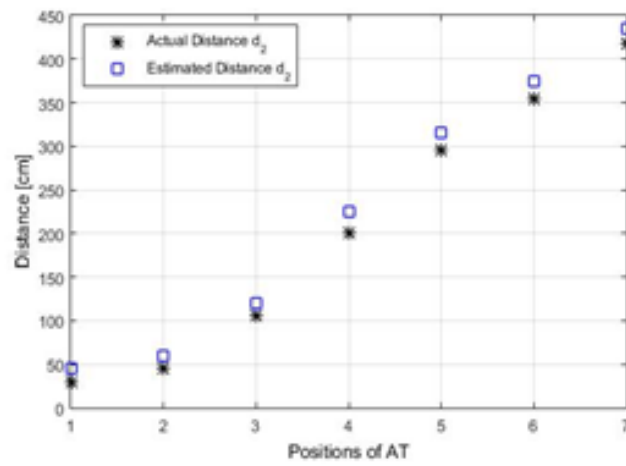


(a) Estimation.

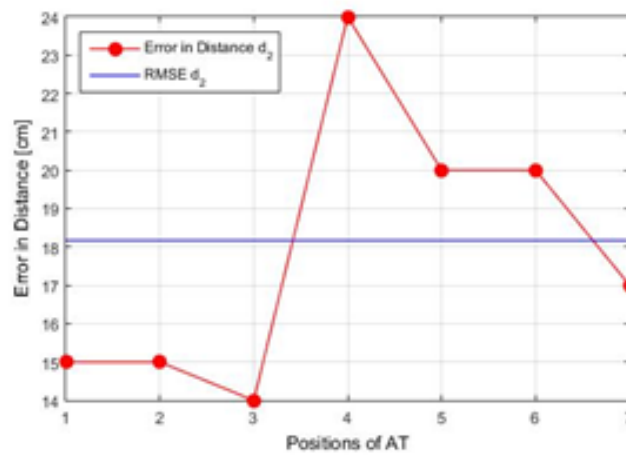


(b) Error.

Figure 4.45 – Distance  $d_1$  Estimation and Error.

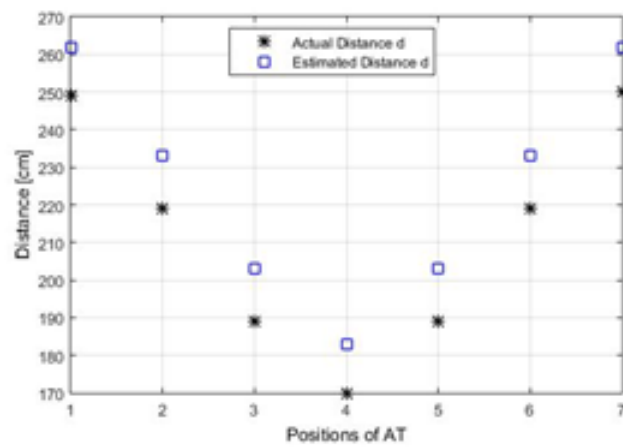


(a) Estimation.

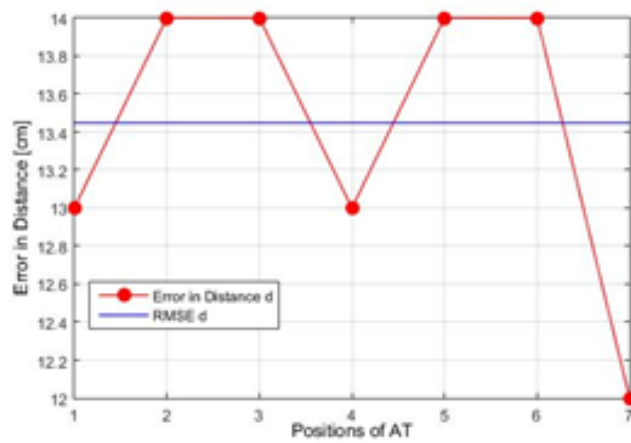


(b) Error.

Figure 4.46 – Distance  $d_2$  Estimation and Error.

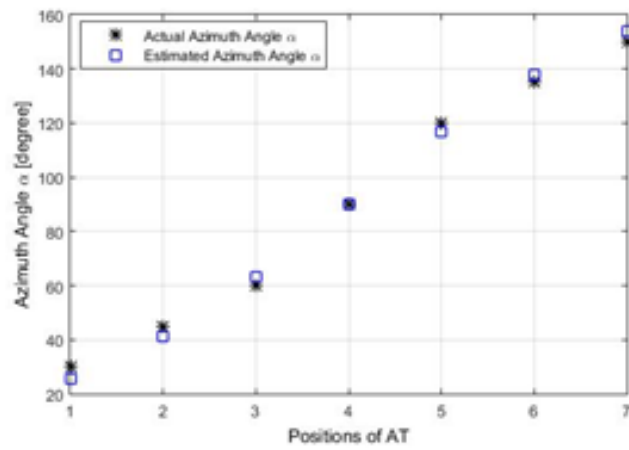


(a) Estimation.

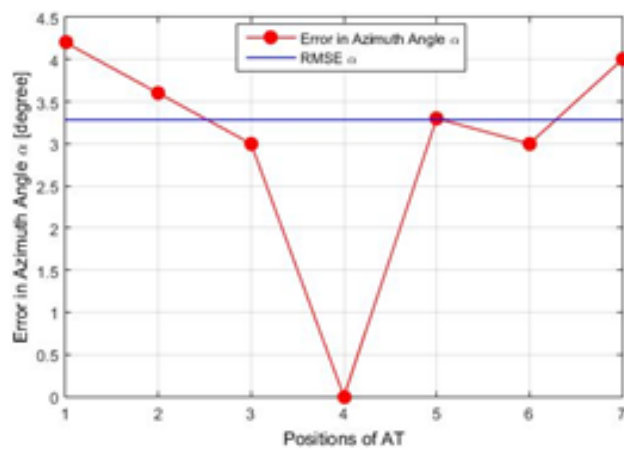


(b) Error.

Figure 4.47 – Distance  $d$  Estimation and Error.



(a) Estimation.



(b) Error.

Figure 4.48 – Azimuth angle  $\alpha$  Estimation and Error.



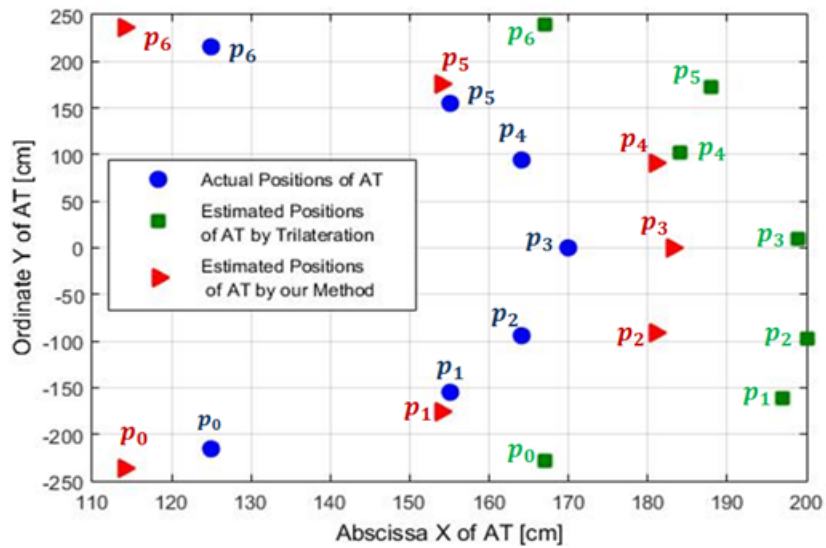


Figure 4.49 – Comparison of AT positions estimate.

## 4.7 Performance evaluation in NLoS situations

In this section, the performance of our hybrid technique combining the duplex UWB and the PC methods is studied in the NLoS situations.

### 4.7.1 Simulated Setup

In the NLoS scenario, the configuration adopted and presented in Figure 4.50 is similar to that used in Section 4.6, i.e. the LBS position is unchanged and the AT can take the same positions  $p_i$ , but without the obstacle and the three anchors of the trilateration method.

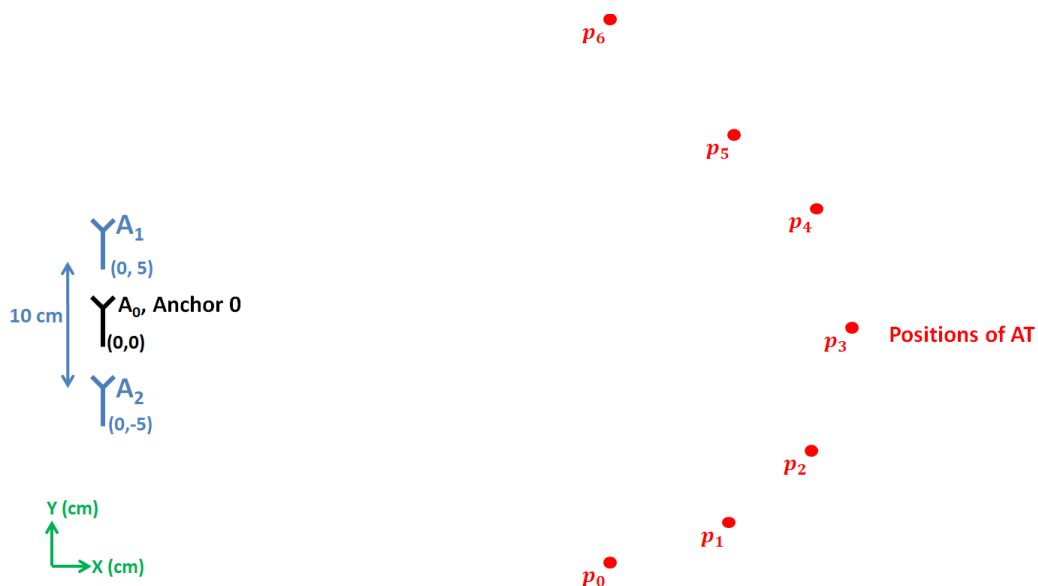


Figure 4.50 – Possible positions of the AT.

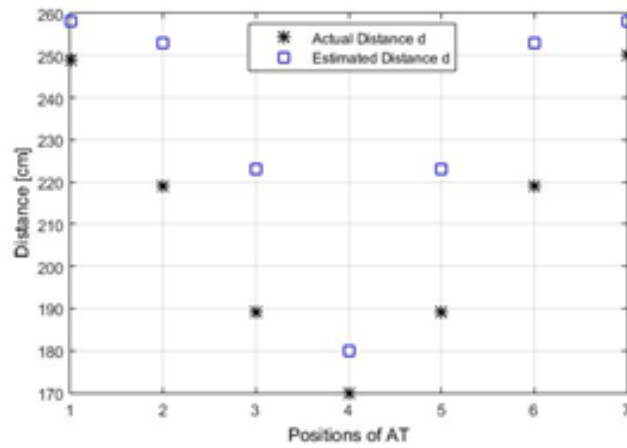
The localization process of our technique is evaluated through simulations using the CM4 channel model (office NLoS).

### 4.7.2 Simulated Results

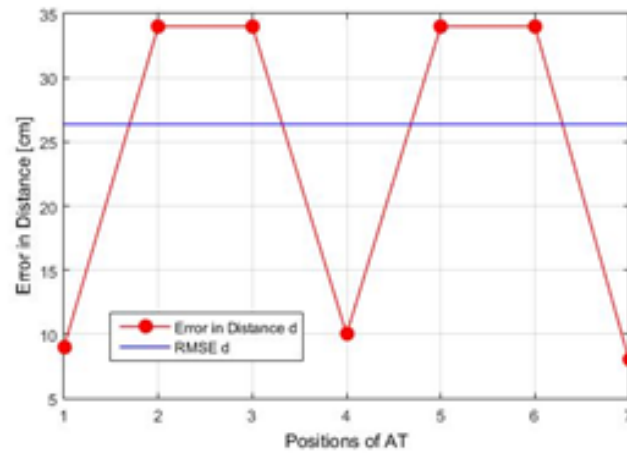
Figure 4.51a (resp. Figure 4.52a) shows the actual radial distance  $d$  (resp. the Azimuth angle  $\alpha$ ) with that estimated by our ILS. Figure 4.51b (resp. Figure 4.52b) shows the error in the distance (resp. angle) estimate for the 7 different positions of the AT.

The main results are resumed in Table 4.3.

Compared to the obstructed LoS case, the RMSE of the distance estimation error has increased by 13 cm with the same angular error. Therefore, the angular estimation with our configuration is not significantly affected in an NLoS environment since the deformation of the received signals on the two receiving antennas  $A_1$  and  $A_2$  is the same, as shown in



(a) Estimation.



(b) Error.

Figure 4.51 – Distance  $d$  Estimation and Error.

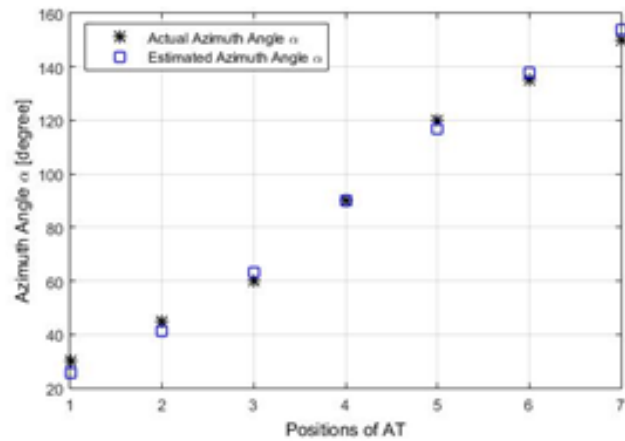
Table 4.3 – Estimation Error

	Maximal Error	RMSE
Radial distance $d$ [cm]	34	26
Azimuth angle $\alpha$ [°]	4	3

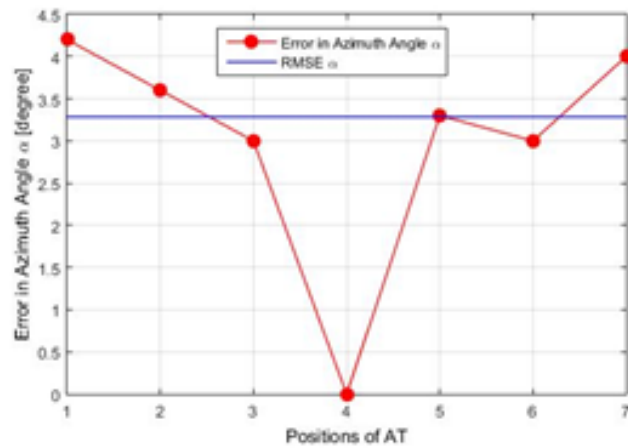
Figure 4.53.

Figure 4.54 compares the actual  $AT$  positions with those estimated by our proposed  $ILS$ . On one hand, the error in estimating the  $AT$  position increases considerably compared to  $LoS$  and obstructed  $LoS$  cases.

On the other hand, our system's performance is compared to that obtained in the state



(a) Estimation.



(b) Error.

Figure 4.52 – Azimuth angle  $\alpha$  Estimation and Error.

of the art [4], in which the receiver position is computed using four beacons in an NLoS environment.

The main results are summarized in Table 4.4.

Table 4.4 – RMSE of the position error

	Abcissa X of AT	Ordinate Y of AT
state-of-the-art system [4]	142	85
Our proposed system	21	20

Based on this comparison, we can claim that our system performed well.

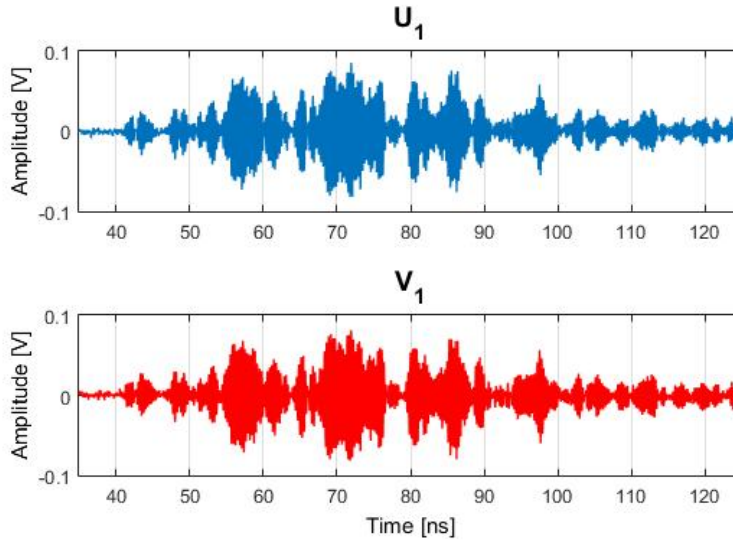
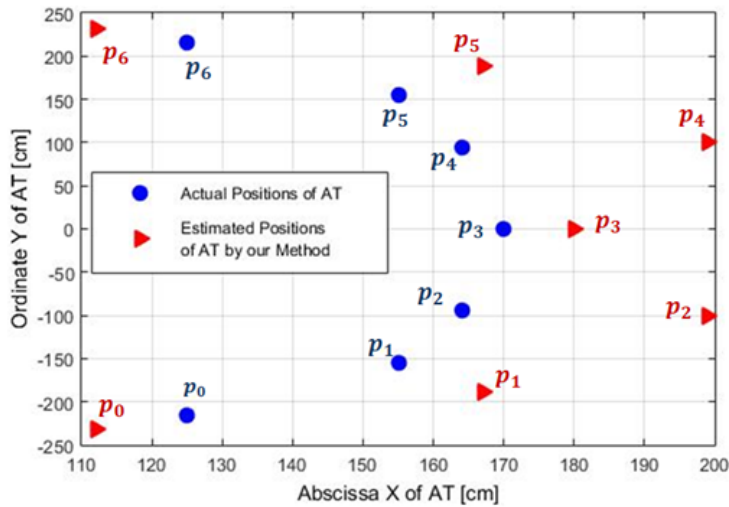
Figure 4.53 – Received signals on  $A_1$  and  $A_2$ .

Figure 4.54 – Comparison of AT positions estimate.

## 4.8 Conclusion

In this chapter, the performance of the **PC** method is validated through a measurement and simulation campaign conducted first for a simplified **ILS** and then for our proposed **ILS**. The comparison between the **ED** and **PC** methods shows that the latter improves the angular resolution. More precisely, the **ED** method is unable to detect a small path difference, whereas the **PC** method is capable of doing so. For the simplified **ILS**, a maximum angular error of  $1.6^\circ$  and  $1^\circ$  is observed for sampling frequencies equal to 20 GHz and 160 GHz, respectively. For our proposed **ILS**, a maximum angular error of  $1^\circ$  and  $1.4^\circ$  is observed at  $F_c = 40$  GHz for distances equal to 1 m and 1.5 m, respectively.

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Moreover, the duplex **UWB** method used to estimate the distance is validated by a simulation campaign. The results show that the duplex **UWB** method improves the distance resolution with respect to the traditional **ED** and **TC** methods. In particular, the **ED** and **TC** methods fails to distinguish between two very close positions of the **AT** (in the order of 2 cm), whereas the duplex **UWB** method is able to do so with a maximum distance error of 1 cm for a sampling frequency equal to 20 GHz.

After improving the angular and distance resolution using our proposed methods, we moved on to show the direct effect of these methods on the resolution and accuracy of the **AT** position estimation. This validation is performed by comparing our **ILS** based on a joint measurement of range and angle with a traditional constellation-based **ILS** that predicts the position of the **AT** by calculating three distances using the trilateration method. The obtained results show that our **ILS** improve the resolution and can accurately estimate the position of the **AT** in **LoS** and obstructed **LoS** cases.

Finally, the performance of our **ILS** is studied in the **NLoS** situation. Our results reveal that our system outperform the one studied in [4].

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  - [4] E. Garcia, P. Poudereux, A. Hernandez, J. Urena and D. Gualda, "A Robust UWB Indoor Positioning System for Highly Complex Environments," *IEEE International Conference on Industrial Technology (ICIT)*, pp. 3386-3391, March 2015. Cited pages [161](#) and [163](#)
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## Conclusions and future work

The main objective of this thesis was to develop a robust 2D indoor localization system capable of providing the position of an Active Tag (AT) with high accuracy and good resolution using a single anchor acting as the localization base station. The developed 2D Ultra Wide Band (UWB) indoor localization technique is based jointly on the measurement of radial distance (Duplex method) and Azimuth angle (Phase Correlation (PC) method).

In this framework, it was necessary to present the different technologies and their corresponding techniques used in indoor localization systems in order to choose the best one to meet our application requirements. This detailed state-of-the-art review led us to choose UWB technology as a promising solution for a more accurate Indoor Localization System (ILS) due to its large bandwidth and high temporal resolution. For this reason, a special focus was given to the definitions, characteristics and channel models of this technology. In addition, according to the Cramer-Rao lower bound (CRLB) analysis, UWB signals are highly suited for Time of Arrival (ToA) measurement.

To this end, UWB-based approaches that use ToA measurement to estimate the target position were illustrated. Most of these schemes are based on estimating the ToA of the strongest path. However, the strongest path is not necessarily the first arrival path in dense multipath channels, so their ToA accuracy is limited.

On the other hand, the famous Energy Detection (ED) approach suffers from the enhanced noise terms that become problematic in low/medium Signal-to-Noise Ratio (SNR) regions. Moreover, we have seen that the resolution of this approach depends on the width of the energy block. For instance, for a pulse of 1 ns, the resulting distance resolution is 15 cm (path difference resolution of 30 cm). Furthermore, even if the Threshold Comparison (TC) method has slightly improved the accuracy of the ED method, they still have the same resolution.

To meet the requirements of future applications, our ILS must offer a higher resolution. For this reason, we have proposed a hybrid technique based on to locate the AT in an

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indoor environment:

- **Duplex UWB method:** used to estimate the distance based on **ToA** measurements.
- **PC method:** used to estimate the azimuth angle from Time Difference of Arrival (**TDoA**) measurements.

Afterwards, the architecture of the system used to implement and validate the proposed localization methods was presented. To locate an **AT**, this system uses two **UWB** pulses of 1 GHz bandwidth in the [3–4 GHz] band and at two different center frequencies  $f_1$  and  $f_2$ . During the process, the **AT** adds a delay  $\tau$  to the received signals before transmitting them back to the **LBS** in order to overcome the natural backscattering effects of the environment and eliminate the coupling between the transmitting and receiving antennas of the **LBS**.

Subsequently, the **PC** method was validated for two types of channels:

- **Wired channel:** This model is used as a proof of concept as it allows to eliminate the effect of the free space environment so that the performance and limitations of this method can be better understood.
- **Wireless channel:** This model is used to emulate a real indoor environment. The validation is done via experimental measurement and simulation using the CM3 channel (Office **LoS**) of IEEE.802.15.4a.

The experimental results showed that the **PC** method could achieve high accuracy and resolution in the angular measurement for a sampling frequency of 20 GHz (a maximum error of  $1.6^\circ$  Vs. an error of  $11.3^\circ$  for the traditional **ED** method).

Similarly, the Duplex **UWB** method was validated through a simulation campaign using the CM3 channel model. The results showed that this method was able to improve the distance resolution compared to the standard **ED** and **TC** methods. Notably, these two methods failed to distinguish between two very close positions of the **AT** (in the order of 2 cm), whereas the duplex **UWB** one was capable of doing so with a maximum distance error of 1 cm for a sampling frequency equal to 20 GHz.

Now that the angular and distance resolution have been significantly improved, we moved on to validate the resolution and accuracy of the **AT** position estimation. Our **ILS** based on a joint measurement of range and angle is then compared with a conventional constellation-based **ILS**. The results revealed that our system effectively improved the resolution and was able to accurately estimate the position of the **AT** even in the Non Line of Sight (**NLoS**) case.

Finally, some possible limitations of the proposed methods were presented:

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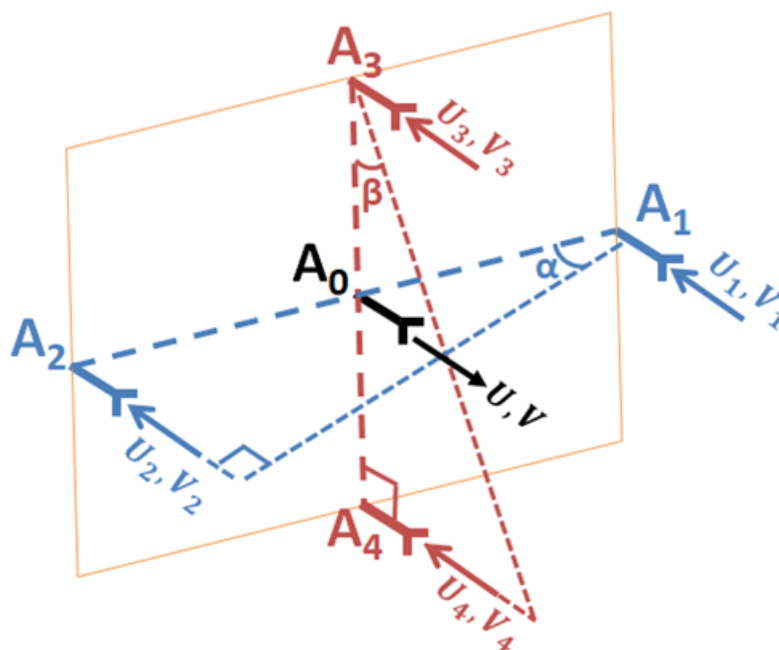
- **Maximum radial distance:** For a frequency difference  $\Delta f = 50$  MHz, the duplex **UWB** method can estimate radial distances up to  $d_{max} = 3$  m.
- **Maximum angular zone:** This limitation in the **PC** method is imposed by the phase ambiguity and depends on the choice of  $d_{baseline}$ . For example, the angular area detection is  $[0^\circ, 180^\circ]$  for  $d_{baseline} = 8.6$  cm, and decreases to  $[73.3^\circ, 106.7^\circ]$  when  $d_{baseline}$  increases to 30 cm.

## Perspectives

We provide in this section some future research proposals to further improve the proposed indoor localization system.

To begin with, we propose to validate the duplex **UWB** method and the estimation of the **AT** position in **NLoS** situation via a measurement campaign.

Another possible upgrade could be to extend the system to 3D positions by adding to the **LBS** two additional receiving chains connected to antennas  $A_3$  and  $A_4$ , which are orthogonal to the previous ones, as shown in the following figure. The 3D **UWB** indoor positioning technique is based on the radial distance  $d$ , the Azimuth angle  $\alpha$  and the elevation angle  $\beta$  measurements.



Architecture of the LBS in 3D.

Following the same procedure, the radial distances  $d_3$  and  $d_4$  are estimated by applying

the duplex **UWB** method between the received pair of signals  $(U_i, V_i)$  and a delayed version (with the same delay  $\tau$ ) of the transmitted signals  $(U, V)$  for  $i \in \{3, 4\}$ .

$$d_i = \frac{c \cdot T_i}{2} \quad i \in \{3, 4\}$$

Where the times of flight  $T_i$  corresponds to the propagation time after removing  $\tau$ .

The radial distance  $d$ , between  $A_0$  and **AT**, is the average value of all calculated radial distances

$$d = \frac{1}{4} \sum_{i=1}^4 d_i$$

The elevation angle  $\beta$  is estimated by applying the phase correlation method between the two received signals  $U_3$  and  $U_4$  on the two receiving chains. It can be expressed as follows

$$\beta = \cos^{-1} \left( \frac{c \cdot \Delta t'}{d_{baseline}} \right)$$

Where  $\Delta t'$  is the time difference of arrival between the two received signals  $U_3$  and  $U_4$ .

A last area of investigation may be the generalization of the approach to multiple **AT** detection using different coding schemes such as Code Division Multiple Access (**CDMA**).

## Publications

The work conducted during this thesis has led to the following publications.

### Journals

- J1.** N. Awarkeh, J.C. Cousin, M. Muller and N. Samama, "Improvement of The Angle of Arrival Measurement Accuracy for Indoor UWB Localization," submitted to Hindawi, Journal of Sensors, September 2019.

### Conferences

- C2.** N. Awarkeh, J.C. Cousin, M. Muller and N. Samama, "Joint Distance and Azimuth Angle estimation using an UWB-based Indoor Localization System," International Conference on Advances in Computing, Communication and Information Technology (CCIT), October 2019.
  - C1.** N. Awarkeh, J.C. Cousin, M. Muller and N. Samama, "Improvement of The Angle Measurement Accuracy for Indoor UWB Localization," European Microwave Week (EUMW), September 2018.
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# Appendix A

## Multiple Hypothesis Testing System Model

The objective is to estimate the BP from the measurements  $y = [y_0, \dots, y_{L-1}]^T$  according to the optimal classification rule derived from the Neyman-Pearson criterion and extended to several assumptions. The null hypothesis  $H_0$  indicates that there is no change while  $H_n$  is the hypothesis of having the BP in the  $n$ -th sample and it can be formally noted as

$$H_0 : y(i) \sim \mathcal{N}(0, R_0) \quad i \in [0, L - 1]$$

$$H(n) : \begin{cases} y(i) \sim \mathcal{N}(0, R_0), & \text{if } i \in [0, n - 1] \\ y(i) \sim \mathcal{N}(0, R_1), & \text{if } i \in [n, L - 1] \end{cases}$$

When the received UWB signals are modelled as time-correlated processes (correlation resulting from the transmitted waveform) with an exponentially decreasing PDP and a constant decay equal to the root mean square delay spread  $\tau_{rms}$  of the CIR,  $R_0$  is the covariance matrix of the time-correlated process before the BP and  $R_1$  is the time-varying covariance matrix of the exponentially decreasing variables.

For each hypothesis  $H_n$ , the vector  $y$  is splitted into  $y_0(n) = [y(0), \dots, y(n - 1)]^T$  and  $y_1(n) = [y(n), \dots, y(L - 1)]^T$ . The test statistics between alternative hypotheses are based on the inner product  $\Phi_B = y_0(n)^T y_0(n)$  and  $\Phi_F = y_1(n)^T y_1(n)$  for samples before (Backward) and after (Forward) the BP, respectively. So, the optimal estimator for the BP is

$$\hat{n}_0 = \arg \max_n [\gamma(n)]$$

where  $\gamma(n)$  is the Probability Density Function (PDF) of  $\Phi_B(n)$  and  $\Phi_F(n)$  expressed in terms of  $C(n)$  which is composed by all the independent terms from the samples of  $y$ , as follows

$$\gamma(n) = C(n) \times \left( \frac{\Phi_B(n)}{\Phi_F(n)} \right)^{\frac{n}{2}} \times \frac{1}{\Phi_B(n)} \times \left( \frac{\Phi_B(n)}{\Phi_F(n)} + 1 \right)^{1 - \frac{L}{2}} \quad (\text{A.1})$$



## Matched Filter

The algorithm proceeds as follows

1. Apply a matching filtering to the received **UWB** signal

$$\hat{y}(t) = y(t) \otimes g(t) \quad (\text{A.2})$$

where  $y(t)$  and  $g(t)$  are the received and template signals respectively.

2. Determine the envelope of the match-filtered signal  $\hat{y}(t)$ , via modulus operation with low-pass filtering

$$e(t) = |\hat{y}(t)|_{LPF} \quad (\text{A.3})$$

3. Determine the threshold value  $\gamma$  with respect to the peaks of the envelope signal  $e(t)$

$$\gamma = \alpha \cdot \max[e(t)] \quad (\text{A.4})$$

where  $\alpha$  is the dynamic threshold factor, generally chosen between 0.45 and 0.65 depending on the pulse repetition rate and environmental conditions.

4. Determine the first peak of the envelope exceeding the threshold

$$\hat{t} = \min_t [\arg(e(t) \geq \gamma)] \quad (\text{A.5})$$

## Two-step ToA estimators

### First method

The coarse step relies on the sliding correlation over a symbol length to find a signal block where the direct path is enclosed. The coarse estimate  $\hat{t}_{ToAc}$  is computed according to the following steps

1. The sliding correlation  $C_{Wck}$  is achieved by sampling and correlating  $K_c$  overlapping signal blocks along the duration  $T_s$  of a symbol. Each block has a duration  $T_{Wc}$  and is shifted from the previous one by the correlation step  $\Delta_c$ .
2. The first derivative is computed over the  $K_c$  points of the resulting sliding correlation

$$\Delta C_{Wck} = C_{Wck} - C_{Wc(k-1)} \quad (\text{A.6})$$

3. The position corresponding to the derived value above a threshold  $\gamma_c$ , denoted  $\hat{K}_c$ , is chosen to compute the coarse estimate  $\hat{t}_{ToAc}$

$$\gamma_c = a_1 \cdot \max(\Delta C_{Wck}) \quad (\text{A.7})$$

$$\hat{K}_c = \min_k [\arg(\Delta C_{Wck} \geq \gamma_c)] \quad (\text{A.8})$$

$$\hat{t}_{ToAc} = \hat{K}_c \cdot \Delta_c \quad (\text{A.9})$$

where  $a_1$  is a constant calculated experimentally in the simulations, ranging from 0.25 to 0.5 to produce the best results.

In the fine step, the sliding correlation  $C_{Wfk}$  is finely evaluated over the signal block obtained by the coarse step to accurately estimate the starting point of the pulse, following these steps

1. The fine sliding correlation  $C_{Wfk}$  is obtained by dividing the block contents into  $K_f$  sub-blocks, each with a time duration  $T_{Wf}$ . Here, the offset between two consecutive blocks is equal to  $\Delta_f$ .
2. The derivative is computed over the  $K_f$  points of the resulting sliding correlation

$$\Delta C_{Wfk} = C_{Wfk} - C_{Wf(k-1)} \quad (\text{A.10})$$

3. The position corresponding to the derived value above a threshold  $\gamma_f$ , denoted  $\hat{K}_f$ , is chosen to compute the fine estimate  $\hat{\tau}_{ToAf}$

$$\gamma_f = a_1 \cdot \max(\Delta C_{Wfk}) \quad (\text{A.11})$$

$$\hat{K}_f = \min_k \left[ \arg(\Delta C_{Wfk} \geq \gamma_f) \right] \quad (\text{A.12})$$

$$\hat{\tau}_{ToAf} = \hat{K}_f \cdot \Delta_f \quad (\text{A.13})$$

Finally, the absolute **ToA** estimate is the sum of the coarse and fine estimates

$$\hat{\tau}_{ToA} = \hat{\tau}_{ToAc} + \hat{\tau}_{ToAf} \quad (\text{A.14})$$

## Second method

The estimation is performed in two steps. In the first one, the frame is analyzed to find the higher energy block, using an energy detector. To ensure reliable decision variables in this step, the energy for each block  $y_{i,j}$  is combined from  $N_1$  different frames of the received signal  $r(t)$

$$y_i = \sum_{j=1}^{N_1} y_{i,j} \quad i = 1, \dots, N_b \quad (\text{A.15})$$

$$y_{i,j} = \int_{iT_f + iT_b + C_j T_c}^{jT_f + (i+1)T_b + C_j T_c} |r(t)|^2 dt \quad (\text{A.16})$$

where  $C_j \in \{1, \dots, N_c\}$  is the **TH** sequence.

The estimated block  $\hat{k}_b$  with the highest signal energy is given by

$$\hat{k}_b = \arg \max_i [y_i] \quad (\text{A.17})$$

In the second step, the estimated block  $\hat{k}_b$  is analyzed to find the chip where the first signal path is located, by correlating the received signal with a shifted version of the template signal  $s_{tmp}(t)$

$$z_i = \int_{iT_c}^{iT_c + N_2 T_f} r(t) \cdot s_{tmp}(t - iT_c) dt \quad (\text{A.18})$$

where  $N_2$  is the number of frames over which the correlation output is obtained.

By choosing the block interval  $T_b$  appropriately, it is possible to assume that the block starts with a number of chips with noise components only (assumption  $H_0$ ) followed by chips with signal plus noise components (assumption  $H_K$ ). Thus, the arrival time of the first signal path is estimated through a hypothesis test approach. Therefore, the correlator outputs  $z_i$  are used to estimate the unknown parameters with the Method of Moments (MM). These are used to estimate the chip  $\hat{k}_c$  containing the first signal path.

Finally, the ToA is obtained by

$$\hat{\tau}_{ToA} = \hat{k}_b T_b + \hat{k}_c T_c \quad (\text{A.19})$$

## Dirty Template

To acquire timing with frame-level resolution, the algorithm proceeds as follows

1. Define an observation interval  $T_o$  made up of  $M$  symbols

$$T_o = M T_s \quad (\text{A.20})$$

2. Compute the product of two received waveforms  $x_{n,2m}(t)$  and  $x_{n,2m+1}(t)$  for two adjacent symbols  $2m$  and  $2m+1$ ,  $m \in \{0, \dots, M-1\}$  in the  $n$ -th frame  $n \in \{0, \dots, N_f-1\}$

$$R_{x,x}(n, m) = \int_0^{T_s} x_{n,2m}(t) x_{n,2m+1}(t) dt \quad (\text{A.21})$$

3. Estimate  $R_{x,x}(n)$  of each frame  $n$  by averaging the absolute values of  $R_{x,x}(n, m)$  across the  $M/2$  pairs

$$R_{x,x}(n) = \frac{2}{M} \sum_{m=0}^{\frac{M}{2}-1} |R_{x,x}(n, m)| \quad (\text{A.22})$$

4. Determine the estimated frame  $\hat{n}_f$

$$\hat{n}_f = \arg \max_n [R_{x,x}(n)] \quad (\text{A.23})$$

5. Finally, derive the estimated **ToA** using

$$\hat{\tau}_{ToA} = \hat{n}_f \cdot T_f \tag{A.24}$$



**Titre:** Système de Localisation 2D Indoor par Radar Multistatique UWB

**Mots clés:** Localisation, UWB, Radar, Télécommunications, Interférométrie, Goniométrie

**Résumé:** De nos jours, la capacité de suivre des objets et des personnes est cruciale pour un grand nombre d'applications, telles que les applications médicales (surveillance de patients) ou les applications indépendantes qui nécessitent une très grande précision et résolution dans le processus de positionnement. Par conséquent, l'objectif scientifique principal de cette thèse est de développer un système de suivi utilisant un système de radar multistatique UWB pour fournir une localisation 2D en temps réel de transpondeurs ou de balises actives. La localisation est réalisée en coordonnées polaires (distance et angle d'azimut) en fusionnant les principes d'interférométrie et de goniométrie, en supposant un canal de propagation à trajet direct, ou LoS entre la station et la cible. L'ILS conçu utilise une technique hybride en combinant les méthodes duplex UWB et de corrélation de phase pour les estimations de la distance radiale et de l'angle d'Azimut. L'ILS proposé comprend deux composants principaux, une station émettrice/réceptrice servant de LBS et un AT. Le LBS a une chaîne d'émission et deux chaînes de réception identiques et indépendantes. La localisation est effectuée en envoyant des impulsions UWB vers l'AT qui joue le rôle de transpondeur actif et retransmet le signal reçu à son tour au LBS après l'avoir retardé. Cet ILS conçu devrait offrir, dans les conditions LoS, une estimation de position avec une précision et une résolution élevées, tout en maintenant une faible complexité du système. Le système fonctionne avec une seule ancre et répond simultanément aux défis intérieurs tels que les trajets multiples, les fortes atténuations de signal, les réflexions, etc.

**Title:** 2D Indoor Localization System with an UWB Multistatic Radar

**Keywords:** Localization, UWB, Radar, Telecommunications, Interferometry, Goniometry

**Abstract:** Nowadays, the ability to track objects and people is crucial for a huge number of applications, such as medical applications (monitoring of patients) or independent applications that require a very high accuracy and resolution in the positioning process. Therefore, the main scientific objective of this thesis is to develop a tracking system using an UWB multistatic radar system to provide real-time 2D location of transponders or active tags. The localization is carried out in polar coordinates (distance and azimuth angle) by merging the interferometry and goniometry principles, assuming a propagation channel with a direct path, or LoS between the station and the target. The designed ILS incorporates a hybrid technique by combining the duplex UWB and the Phase Correlation methods for the radial-distance and the azimuth angle estimates. The proposed ILS consists of two main components, a transmitter /receiver (transceiver) station serving as a LBS and an AT. The LBS has one transmitting channel and two identical and independent receiving channels. The localization is performed by sending UWB pulses towards the AT which acts as an active transponder and retransmits in turn the received signal back to the LBS upon delaying it. This designed ILS is expected to offer, under LoS conditions, a position estimation with high accuracy and resolution while maintaining low system complexity. The system works with a single anchor, and simultaneously addresses indoor challenges such as multipaths, strong signal attenuations, reflections, etc.

